

Geotechnical Workshop at Griffith University Gold Coast  
Campus, 29 Sept – 3 Oct 2008

## ***Part II***

# **Preloading using Prefabricated Vertical Drains (PVDs)**

- 2-1. Introduction
- 2-2. Design and analysis method
- 2-3. Installation
- 2-4. Quality control and practical considerations
- 2-5. Case studies

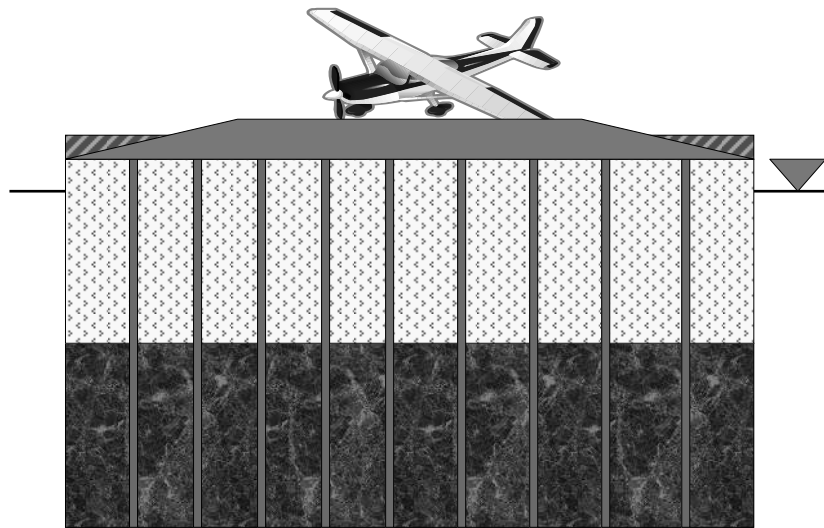


## ***Section 2-1***

# **Introduction**



## Offshore Land Reclamation Process



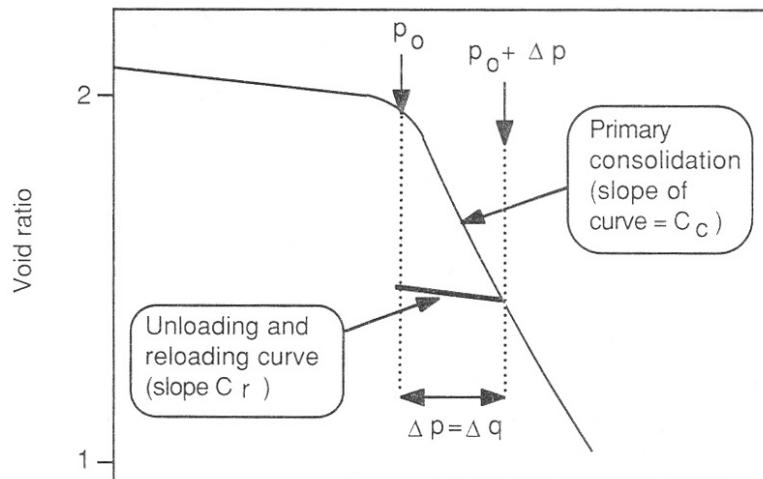
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## Purpose of Preloading

- To increase the bearing capacity and reduce the compressibility of weak ground by forcing loose cohesionless soils to densify or clayey, silty soil to consolidate.
- To reduce secondary compression under working load.
- Achieved by placing a temporary surcharge prior to the construction of the planned structure.
- The surcharge can be applied using fill weight or vacuum pressure.

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## Mechanism of preloading



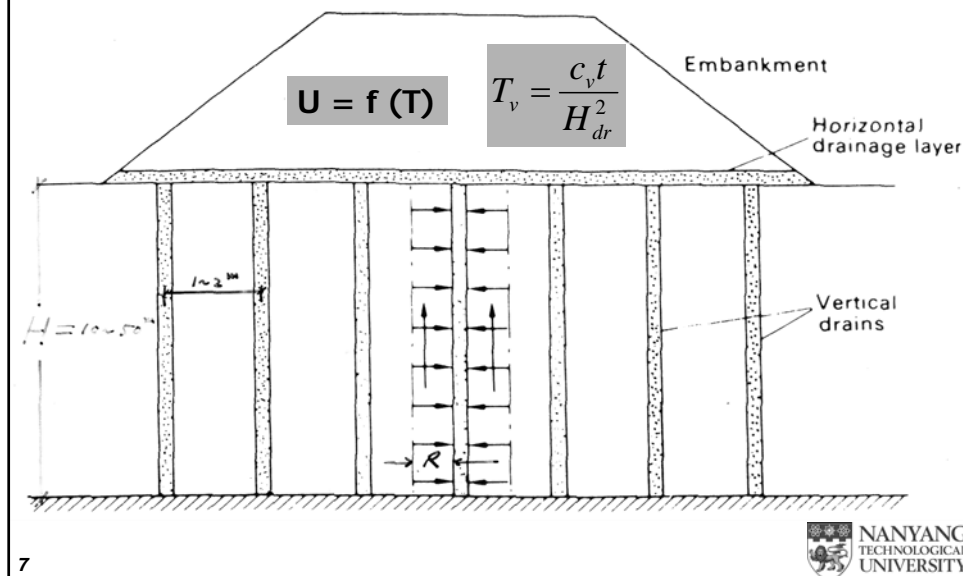
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## Preloading

- Advantages:
  - Inexpensive if large area is improved.
- Disadvantages:
  - Time consuming. Need a few months if not a few years. Therefore, prefabricated vertical drains (PVDs) are normally used to cut down the drainage path and thus accelerate the consolidation process.

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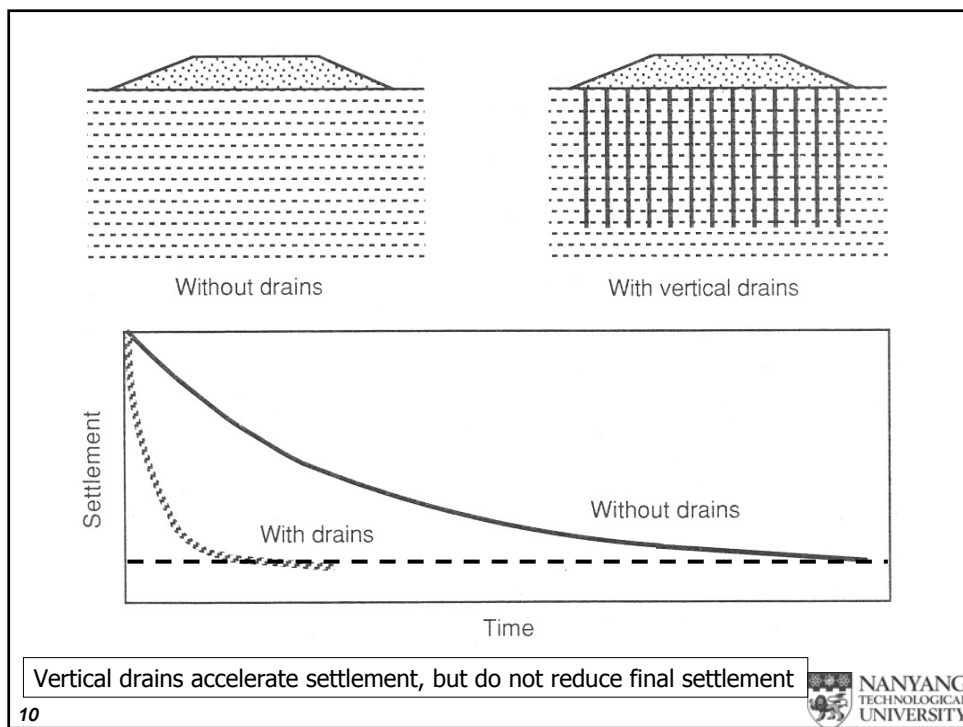
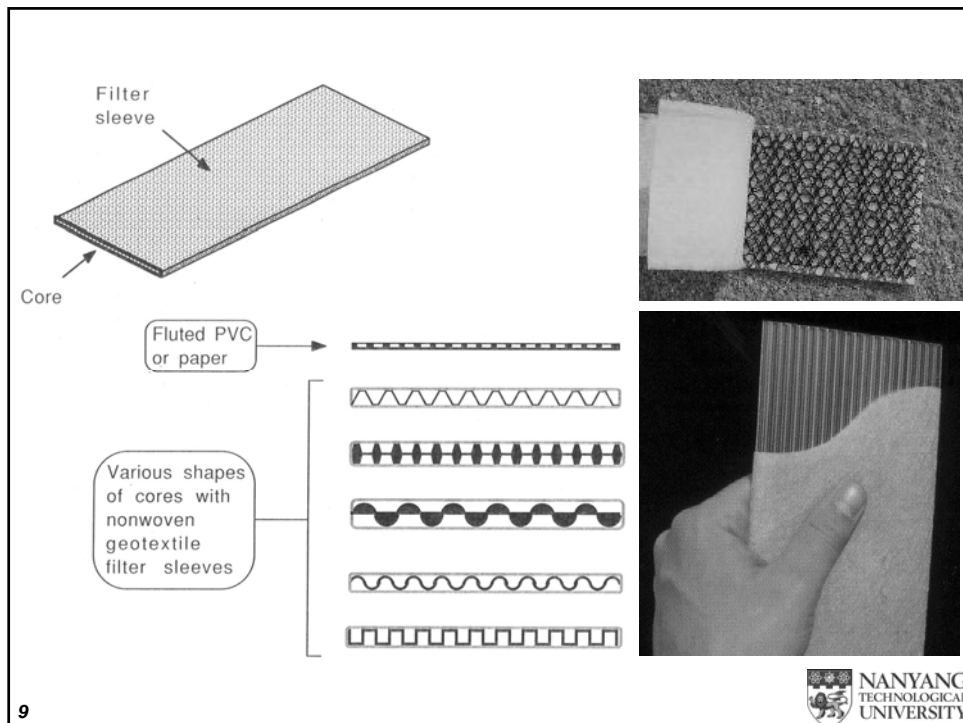
## Why PVDs



## Vertical drains

- Vertical drains are used to accelerate primary consolidation of cohesive soil by cutting down the drainage path.
- Types of vertical drains
  - *Cylindrical Sand Drains*: Boreholes filled with sand without or with a sock, 65 – 450 mm in diameter.
  - *Prefabricated Vertical Drains (PVDs)*: Band drains with a core and filter sleeve made of paper, PVC, PE (polyethylene), PP (polypropylene), and PES (polyester).

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## Design problems

- Calculate the ultimate settlement and settlement at a given time;
- Estimate the rate of consolidation, i.e., how long will it take to achieve a given degree of consolidation;
- Design for vertical drains, e.g., the drain spacing required to achieve a given degree of consolidation.

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## *Section 2-2* Design and Analysis methods

### 2.2.1 Settlement calculation

### 2.2.2 Rate of settlement calculation

- 1). Terzaghi's (vertical) consolidation theory
- 2). Radial consolidation theory and vertical drain design
- 3). Combined vertical and radial flow

### 2.2.3 Design for vertical drain with smear zone



## 2.2.1 Settlement Calculation

Ground settlement consists of 3 components:

$$\delta = \delta_i + \delta_c + \delta_s$$

Initial settlement
Consolidation settlement
Secondary compression

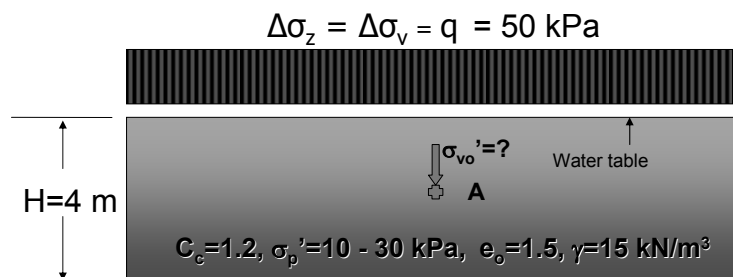
**For soft clay, consolidation settlement dominates.**  
**With preloading, secondary compression is small.**  
**The compressibility of sand fill is normally ignored.**

Settlement calculation is assumed to be a 1D problem.  
 This is reasonable for reclamation problems.

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## Consolidation Settlement Calculation



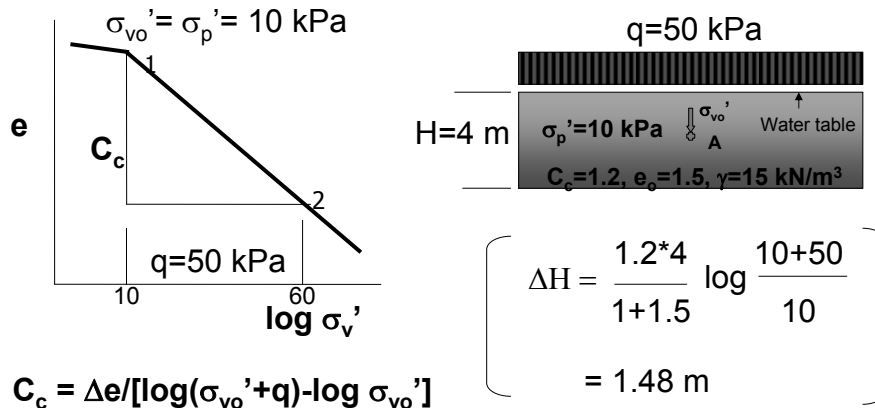
*The effective overburden stress at the middle of the clay layer:*

$$\sigma_{vo}' = 2 \cdot 15 - 2 \cdot 10 = 10 \text{ kPa.}$$

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## Settlement Calculation – $\sigma_p' = 10$ kPa

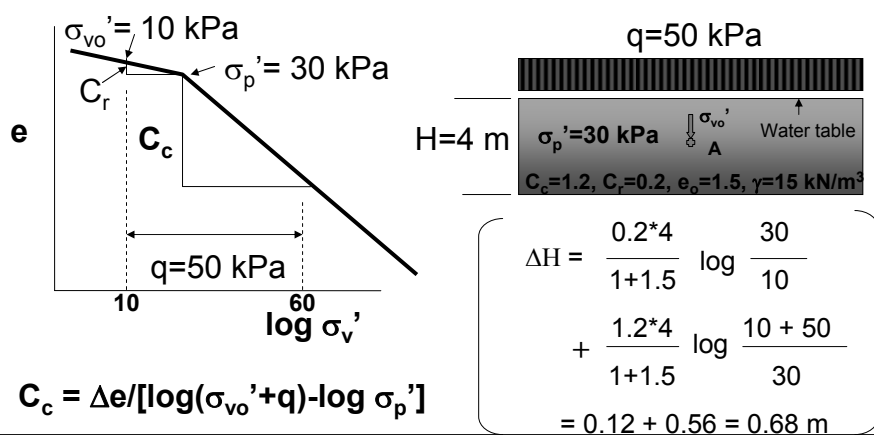


$$\Delta H = \varepsilon_v H = \frac{\Delta e H}{1+e_0} = \frac{C_c H}{1+e_0} [\log(\sigma_{vo}' + q) - \log \sigma_{vo}'] \quad (1)$$

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## Settlement Calculation – $\sigma_p' = 30$ kPa



$$\Delta H = \frac{C_r H}{1+e_0} [\log \sigma_p' - \log \sigma_{vo}'] + \frac{C_c H}{1+e_0} [\log(\sigma_{vo}' + q) - \log \sigma_p'] \quad (3)$$

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## Settlement can be induced by ground water variations



Fill surcharge can also be affected by the water table

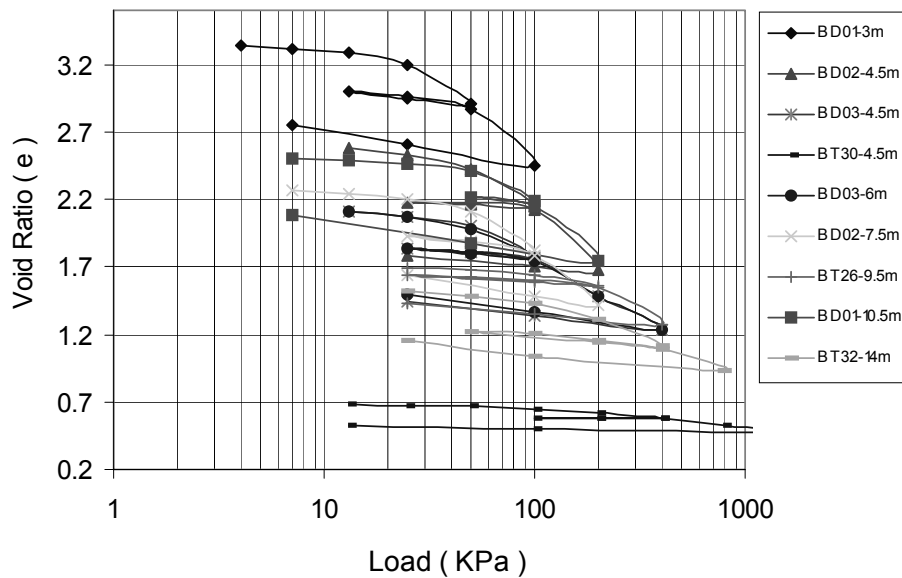
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## Remarks on ultimate consolidation settlement calculation

- It is important to determine  $\sigma_p'$  reliably, as  $\sigma_p'$  affects settlement calculation considerably.
- For multiple soft clay layers or a single soft clay layer but with large variations in  $\sigma_p'$  or  $C_c$ , subdivision is required for more accurate results.
- For thick clay layer, subdivision may also be required, as the effective stress changes is too large.
- Sometimes, we need to calculate the settlement at a given time or degree of consolidation,  $U_{avg}$ . You can either use  $s(t) = U_{avg} S_{ult}$ , or use  $\sigma_v'(t)$ .

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### $e \sim \log \sigma_v'$ Curves for KFC at Different Depths



## 2.2.2 Rate of Consolidation

### Terzaghi's 1D Consolidation Theory



Excess pore water pressure (pwp)

$$\frac{\partial u_e}{\partial t} = c_v \frac{\partial^2 u_e}{\partial z^2} \quad (1-1)$$

Time

Vertical distance below the ground surface

$$c_v = \left( \frac{2.30 \sigma_z' k}{\gamma_w} \right) \left( \frac{1+e}{C_c} \right)$$

Coefficient of consolidation

# What's For?

Excess pore water pressure (pwp)

Change in vertical effective stress

$$u_e = \Delta\sigma_z f\left(T_v, \frac{z_{dr}}{H_{dr}}\right) = \sum \frac{2u_0}{M} \left(\sin M \frac{z}{H_d}\right) e^{-M^2 T_v} \quad (1.2)$$

Fig. 1.1

$$M = \frac{\pi}{2}(2m+1)$$

For uniform pwp distribution

Vertical distance from point to nearest drainage boundary

Time factor:

$$T_v = \frac{c_v t}{H_{dr}^2}$$

Drainage path:

$H_{dr} = H$ , single drainage  
 $H_{dr} = H/2$ , double drainage

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## Solution

$$u_e = \Delta\sigma_z f\left(T_v, \frac{z_{dr}}{H_{dr}}\right)$$

$$T_v = \frac{c_v t}{H_{dr}^2}$$

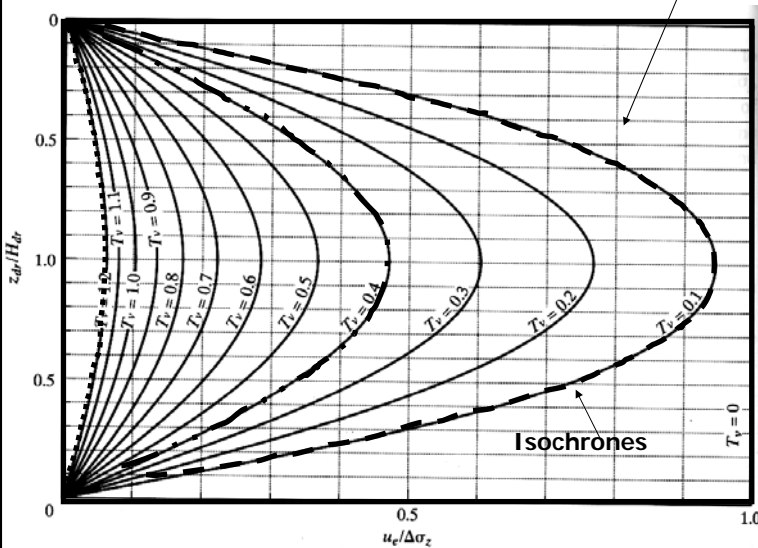


Fig 1.1  
 $u_e/\Delta\sigma_z$  for various values with double drainage.

(For the single drainage case, use only the upper half of this diagram.)

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## Average Degree of Consolidation

Consolidation settlement

$$\bar{U}_v = \frac{S_c(t)}{(S_c)_{ult}} 100\% = \frac{(4T_v / \pi)^{0.5}}{[1 + (4T_v / \pi)^{2.8}]^{0.179}} \quad (1.3)$$

Average degree of consolidation

Ultimate consolidation settlement

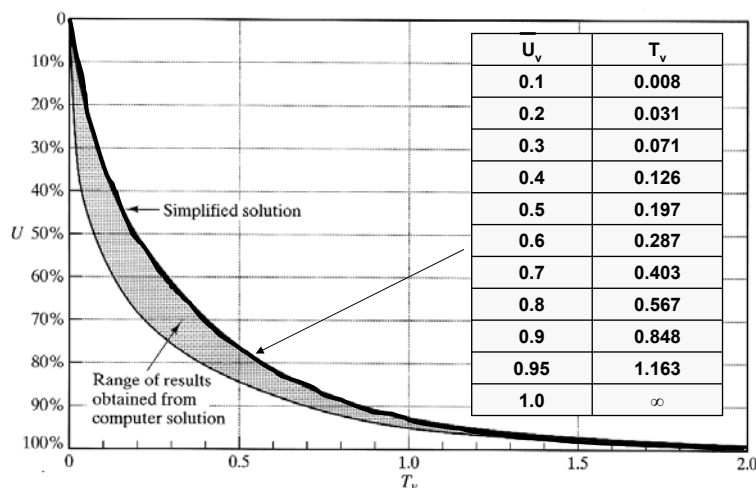
$$S_c(t) = \bar{U}(S_c)_{ult} \quad (1.3a)$$

$$T_v = \frac{c_v t}{H_{dr}^2}$$

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## $\bar{U}_v$ versus $T_v$ Relationship



**Figure 12.10** The solid line is the  $U$  vs.  $T_v$  function for the simplified analysis of one-dimensional consolidation. The shaded area represents the range of values obtained from the more precise computer solution described earlier.

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## Radial Consolidation Theory

$$c_h \left( \frac{\partial^2 u}{\partial r^2} + \frac{1}{r} \frac{\partial u}{\partial r} \right) = \frac{\partial u}{\partial t} \quad c_h = \frac{k_h}{m_v \gamma_w} \quad (1.4)$$

$c_h$  is the coefficient of consolidation in the horizontal direction.

For combined vertical and radial flow

$$c_v \frac{\partial^2 u}{\partial z^2} + c_h \left( \frac{\partial^2 u}{\partial r^2} + \frac{1}{r} \frac{\partial u}{\partial r} \right) = \frac{\partial u}{\partial t} \quad (1.5)$$

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## Consolidation due to combined vertical and radial flow

### *Carillo's equation*

In practice, the excess pore pressure ratios  $u_e/u_0$  are computed separately based on vertical flow (Eq. 1.1) and radial flow (Eq. 1.4) alone, and then combined using Carillo's equation:

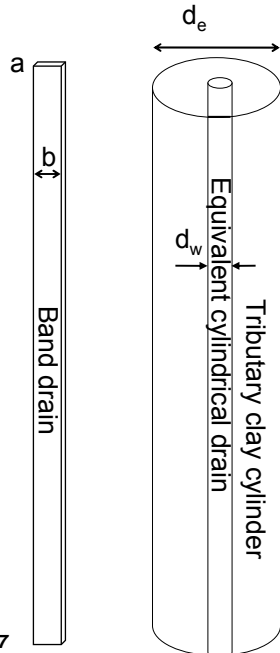
$$(1 - U_{vh}) = (1 - U_z) \times (1 - U_h) \quad \text{at a point} \quad (1.6)$$

$$(1 - \bar{U}_{vh}) = (1 - \bar{U}_v) \times (1 - \bar{U}_h) \quad \text{average value} \quad (1.7)$$

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## Barron's theory for pure radial drainage



$$d_w = 2(a + b) / \pi \quad \text{Eq. (1.8)}$$

$$\bar{U}_h = 1 - \exp \left[ \frac{-8T_h}{F(n)} \right]$$

$$F(n) = \frac{n^2}{(n^2 - 1)} \ln(n) - \frac{(3n^2 - 1)}{4n^2} \approx \ln(n) - 0.75 \quad \text{Eq. (1.9)}$$

$$T_h = \frac{c_h t}{d_e^2} \quad n = \frac{d_e}{d_w} \quad \text{Eq. (1.10)}$$

Fig 1.2 Barron's equal-strain solution for a unit cell

## An Alternative Formula

(Terzaghi, Peck & Mesri (1996))

$$\bar{U}_h = 1 - \exp \left[ \frac{-2T_r}{F(n)} \right] \quad \text{Eq. (1.11)}$$

$$F(n) \approx \ln(n) - 0.75$$

$$T_r = \frac{c_h t}{r_e^2} \quad r_e = \frac{d_e}{2}$$

Equations 1.9 and 1.11 are identical.

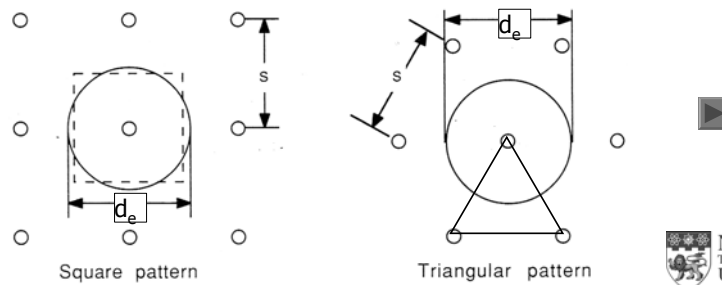
### Calculation of $d_e$

The diameter of the equivalent clay cylinder tributary to a vertical drain is based on equivalent cross-sectional area. If the vertical drains are installed in a square grid pattern, the equivalent drainage diameter is obtained as follows:

$$\text{Square grid: } spacing^2 = \pi \frac{d_e^2}{4}, \text{ hence } d_e = 1.128 \times spacing \quad (1.12)$$

If the vertical drains are spaced in a triangular grid pattern, the equivalent drainage diameter is:

$$\text{Triangular grid: } spacing^2 \times \sin 60^\circ = \pi \frac{d_e^2}{4}, \text{ hence } d_e = 1.05 \times spacing \quad (1.13)$$



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### Equal-strain consolidation with no smear

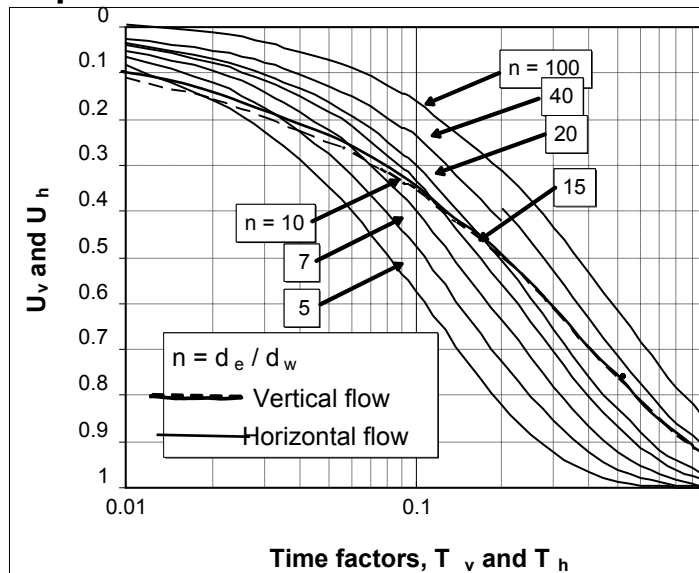


Fig 1.3 Solutions to Eq. (1.3) & Eq. (1.9)

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## Design charts for combined vertical and radial

$$(1 - \bar{U}_{vh}) = (1 - \bar{U}_v) \times (1 - \bar{U}_h) \quad \bar{U}_h = 1 - \exp\left[\frac{-8T_h}{F(n)}\right]$$

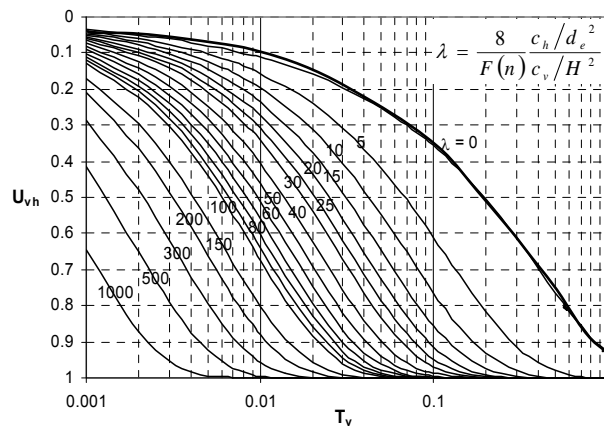
$$\bar{U}_{vh} = 1 - (1 - \bar{U}_v) \times \exp[-8T_h/F(n)]$$

$$= 1 - (1 - \bar{U}_v) \times \exp\left[-8 \frac{T_h}{T_v} \frac{T_v}{F(n)}\right]$$

$$= 1 - (1 - \bar{U}_v) \times \exp[-\lambda T_v] \quad (1.14)$$

$$\text{where } \lambda = \frac{8}{F(n)} \frac{T_h}{T_v} = \frac{8}{F(n)} \frac{c_h/d_e^2}{c_v/H_d^2} \quad (1.14a)$$

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**Fig 1.4**  
**Solution to**  
**combined**  
**drainage**

After Bo et al.  
(2003)

$$T_v = c_v t / H^2$$

$$F(n) \approx \ln(n) - 0.75$$

$$n = d_e / d_w$$

$$d_e = 1.13s \text{ for square grid}$$

$$1.05s \text{ for triangular grid}$$

$$s = \text{drain spacing}$$

$$d_w = \text{drain diameter}$$

$c_v$  = coefficient of consolidation (vertical flow)

$c_h$  = coefficient of consolidation (horizontal flow)

$H$  = Maximum length of vertical drainage path

(Note:  $\lambda = 0$  if no horizontal drainage)

**Note:  $\lambda = 0$  for cases with no vertical drains or horizontal drainage layer.**

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## Example -1

### EXAMPLE:

Given: Saturated clay layer 8 m thick, lower boundary impermeable,  
70 mm diameter prefabricated vertical drains at 2 m centres in  
a square pattern,  $c_v = 2.0 \text{ m}^2/\text{year}$ ,  $c_h = 3.0 \text{ m}^2/\text{year}$ .

To Find: Time required for 90% consolidation of the clay layer as a result of  
an extensive fill.

Solution:  $d_e = 1.13 \times 2 \text{ m} = 2.26 \text{ m}$

$$n = 2.26 \text{ m} / 0.07 \text{ m} = 32.3$$

$$F(n) \approx \ln(32.3) - 0.75 = 2.73$$

$$\lambda = (8 / 2.73) \times (3 / 2.26^2) / (2 / 8^2) = 55 \quad (\text{using the above } \lambda \text{ eqn.})$$

Enter chart with  $\lambda = 55$  and  $U_{vh} = 90\%$ ,

$$n = d_e / d_w$$

get  $T_v = 0.038$

then, required  $t = T_v H^2 / c_v = 1.2 \text{ years}$ .

$$\bar{U}_h = 1 - \exp\left[-\frac{2T_v}{F(n)}\right]$$

$$F(n) \approx \ln(n) - 0.75$$

$$\lambda = \frac{8}{F(n)} \frac{T_h}{T_v} = \frac{8}{F(n)} \frac{c_h}{c_v} \frac{d_e^2}{H_d^2}$$

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## Example -1 (Cont'd)

In Example 1, if  $H = 20 \text{ m}$ ,

$$\lambda = (8/2.73) \times (3/2.26^2) / (2/20^2) = 344$$

$$T_v = 0.006, \text{ then } t = T_v H^2 / c_v = 0.006 \times 20^2 / 2 = 1.2 \text{ yr}$$

Therefore, radial drainage controls when the clay layer is thick.

An alternative method is to calculate  $U_v$  and  $U_h$  using the equations (1.3), (1.8 – 1.10) or the chart, Fig. 1.3. However, the solution has to be done by trial and error. For example, you can assume  $t = 1 \text{ yr}$ , then calculate  $U_v$  and  $U_h$  and then  $U_{vh}$ . If  $U_{vh}$  is less than 90%, increase  $t$  and calculate again. This is illustrated using the next example.

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## Example -2

As in Example 1, given  $c_v = 2.0 \text{ m}^2/\text{yr}$ ,  $c_h = 3.0 \text{ m}^2/\text{yr}$ ,  $H = 8 \text{ m}$ , PVD 104 x 5 mm at a spacing of 2 m in square pattern. Calculate the degree of consolidation achieved in 1 yr.

$$T_v = c_v t / H_{dr}^2 = 2 \times 1 / 4^2 = 0.125$$

$$U_v = \sqrt{4T_v / \pi} = \sqrt{4 \times 0.125 / 3.14} = 0.4$$

$$d_w = 2(a + b) / \pi = 2(0.104 + 0.005) / 3.14 = 0.07 \text{ m}$$

$$d_e = 1.13s = 1.13 \times 2 = 2.26 \text{ m}, n = 2.256 / 0.07 = 32.3$$

$$F(n) = \ln(n) - 0.75 = \ln(32.3) - 0.75 = 2.73$$

$$T_h = c_h t / d_e^2 = 3 \times 1 / 2.26^2 = 0.587$$

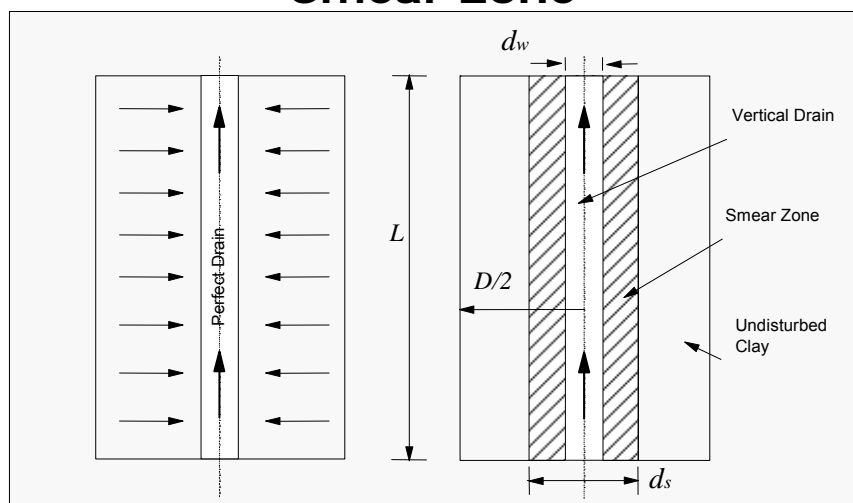
$$U_h = 1 - \exp[-8T_h / F(n)] = 1 - \exp[-8 \times 0.587 / 2.73] = 0.82$$

$$U_{vh} = U_v + U_h - U_v U_h = 0.4 + 0.82 - 0.4 \times 0.82 = 0.89 \text{ or } 89\%$$

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## Design for Vertical Drain with Smear Zone



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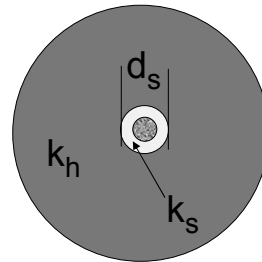
## Smear effect

An annulus of smeared clay around the drain.  
Within this annulus of diameter  $d_s$ , the remolded soil has a coefficient of permeability  $k_s$  which is lower than the  $k_h$  of the undisturbed clay.

$$F_s(n) = \ln\left(\frac{n}{s}\right) - 0.75 + \left(\frac{k_h}{k_s}\right) \ln(s)$$

(Eq. 1.15)

where  $s$  = smear zone ratio  $d_s/d_w$



The new boundary condition between the undisturbed zone and the smeared annulus affects the above solution for  $\bar{U}_h$  by changing the factor  $F(n)$  which becomes:

$$F_s(n) \approx \ln\left(\frac{n}{s}\right) - 0.75 + \left(\frac{k_h}{k_s}\right) \ln(s) \quad (1.16)$$

or, equivalently, 
$$F_s(n) \approx \ln(n) - 0.75 + \ln(s) \left(\frac{k_h}{k_s} - 1\right) \quad (1.17)$$

so that Eq. 2.16 becomes 
$$\bar{U}_h = 1 - \exp\left[\frac{-8T_h}{F_s(n)}\right] \quad (1.18)$$

where  $s$  = smear zone ratio  $d_s/d_w$  (1.18a)

The two additional parameters,  $s$  and  $k_h/k_s$ , are difficult to estimate.

## Example -3

As in Example 1, given  $c_v = 2.0 \text{ m}^2/\text{yr}$ ,  $c_h = 3.0 \text{ m}^2/\text{yr}$ ,  $H = 8 \text{ m}$ , PVD 104 x 5 mm at a spacing of 2 m in square pattern. Calculate the degree of consolidation achieved in 1 yr. Assume that permeability in the smear zone is 1/2 of the undisturbed clay and the smear zone diameter is 2 time of the drain diameter.

$$T_v = c_v t / H_{dr}^2 = 2 \times 1 / 4^2 = 0.125,$$

$$U_v = \text{sqrt}(4T_v / \pi) = \text{sqrt}(4 \times 0.125 / 3.14) = 0.4$$

$$d_w = 2(a + b) / \pi = 2(0.104 + 0.005) / 3.14 = 0.07 \text{ m}$$

$$d_e = 1.128s = 1.128 \times 2 = 2.256 \text{ m}, n = 2.256 / 0.07 = 32.3$$

$$S = d_s / d_w = 2, k_h / k_v = 2$$

$$F(n) = \ln\left(\frac{n}{s}\right) - 0.75 + \left(\frac{k_h}{k_s}\right) \ln(s) = \ln(32.3/2) - 0.75 + 2 \ln 2 = 3.4$$

$$T_h = c_h t / d_e^2 = 3 \times 1 / 2.256^2 = 0.589$$

$$U_h = 1 - \exp[-8T_h / F(n)] = 1 - \exp[-8 \times 0.589 / 3.4] = 0.75$$

$$U_{vh} = U_v + U_h - U_v U_h = 0.4 + 0.75 - 0.4 \times 0.75 = 0.85 \text{ or } 85\%$$

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	A	B	C	D	E	F	G	H	I	J
3	time	1.000	year	SquareGrid?	$d_e$	$n$	$T_v$	$T_h$	$F(n)$	
4	$c_v$	2	$\text{m}^2/\text{yr}$	Square	2.256	32.229	0.125	0.58944	3.416	
5	$H_d$	4	m	(y or n)						
6	$c_h$	3	$\text{m}^2/\text{yr}$							
7	Spacing	2.000	m							
8	$d_w$	0.07	m							
9	$s$	2	(smear diameter ratio)							
10	$k_h/k_s$	2	(smear k ratio)							
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**Formulas:**

$$d_e = \text{Spacing} * \text{IF}(E4="y", 1.128, 1.05)$$

$$n = d_e / d_w$$

$$T_v = c_v * \text{time} / H_d^2$$

$$T_h = c_h * \text{time} / d_e^2$$

$$F(n) = \text{LN}(n) - 0.75 + \text{LN}(s) * (k_h / k_s - 1)$$

$$U_v = \text{SQRT}(4 * T_v / \text{PI}()) / (1 + (4 * T_v / \text{PI}())^2.8)^{0.179}$$

$$U_h = 1 - \text{EXP}(-8 * T_h / F(n))$$

$$U_{vh} = U_v + U_h - U_v * U_h$$

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## Example -4

**EXAMPLE:** A wide sand fill is to be placed on a layer of soft clay. The clay is 8 m thick and underlain by impermeable hard stratum. The coefficients of consolidation of the clay are  $c_v = 2.0 \text{ m}^2/\text{year}$  and  $c_h = 3.0 \text{ m}^2/\text{year}$ . Assume that the placement of fill to its final thickness will occur gradually over 6 months. To accelerate consolidation of the clay layer, it is proposed to install vertical prefabricated band drains (of cross-section  $100 \text{ mm} \times 5 \text{ mm}$ ) all the way to the bottom of the clay layer. The drains will be installed when the fill reaches half its final thickness. Determine the horizontal spacing of the vertical drains (installed in a triangular-grid layout) so as to achieve 90% of primary consolidation in 1.5 years after the commencement of fill placement. Assume that the installation of the band drains results in an annulus of smeared zone in which the coefficient of permeability ( $k_s$ ) for radial flow is  $1/3$  that of the undisturbed clay. The smear zone ratio is  $s = 2$ . Assume negligible well resistance.

Note: 
$$\bar{U}_v \approx \frac{\sqrt{(4T_v/\pi)}}{[1 + (4T_v/\pi)^{2.8}]^{0.179}} \quad \text{for } 0 \leq \bar{U}_v \leq 100\%$$

$$\bar{U}_h = 1 - \exp(-8T_h / F_s(n))$$

where 
$$F_s(n) = \ln\left(\frac{n}{s}\right) - 0.75 + \left(\frac{k_h}{k_s}\right) \times \ln(s)$$

Available consolidation time = 18 months – 0.5\*6 months = 1.25 years

	A	B	C	D	E	F	G	H	I	J
3	time	1.250	year	SquareGrid?		$d_e$	$n$	$T_v$	$T_h$	$F(n)$
4	$c_v$	2	$\text{m}^2/\text{yr}$	Triangular		1.9211	27.444	0.0391	1.01611	3.94844
5	$H_d$	8	m	(y or n)						
6	$c_h$	3	$\text{m}^2/\text{yr}$							
7	Spacing	1.830	m							
8	$d_w$	0.07	m							
9	$s$	2	(smear diameter ratio)							
10	$k_h/k_s$	3	(smear k ratio)							

**Goal Seek**

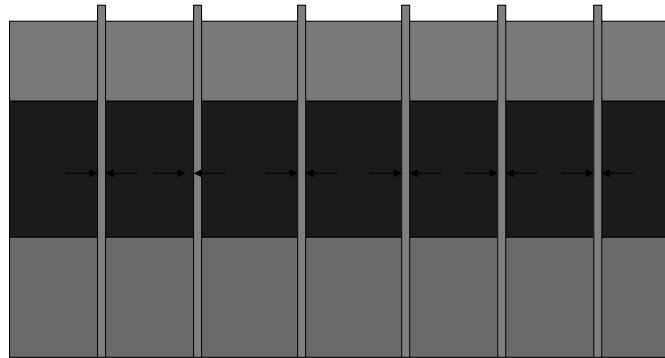
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## For Layered soils



The rate of consolidation is controlled by the soil layer with a smaller  $c_h$

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## Summary

(1) Vertical drainage:

$$\begin{aligned} \text{For } U_v < 0.60, \quad T_v &= (n/4)U_v^2 \\ \text{For } U_v > 0.60, \quad T_v &= -0.933\log(1-U_v) - 0.085 \end{aligned}$$

$$\text{Or } \bar{U}_v \approx \frac{\sqrt{(4T_v/\pi)}}{[1 + (4T_v/\pi)^{2.8}]^{0.179}} \quad \text{for } 0 \leq \bar{U}_v \leq 100\%$$

(2) Radial drainage:

Where:  $F(n) \approx \ln(n) - 0.75$  For case of no smear and no well resistance

$$F(n) = \ln\left(\frac{n}{s}\right) - 0.75 + \left(\frac{k_h}{k_s}\right) \ln(s) \quad \text{For smear case}$$

$$\begin{aligned} n &= d_e/d_w & s &= d_s/d_w & d_w &= 2(a+b)/n \\ d_e &= 1.128 \times \text{spacing} & & & & \text{For square grid} \\ d_e &= 1.05 \times \text{spacing} & & & & \text{For triangular grid} \\ d_s &= \text{outer diameter of the smear zone annulus} \end{aligned}$$

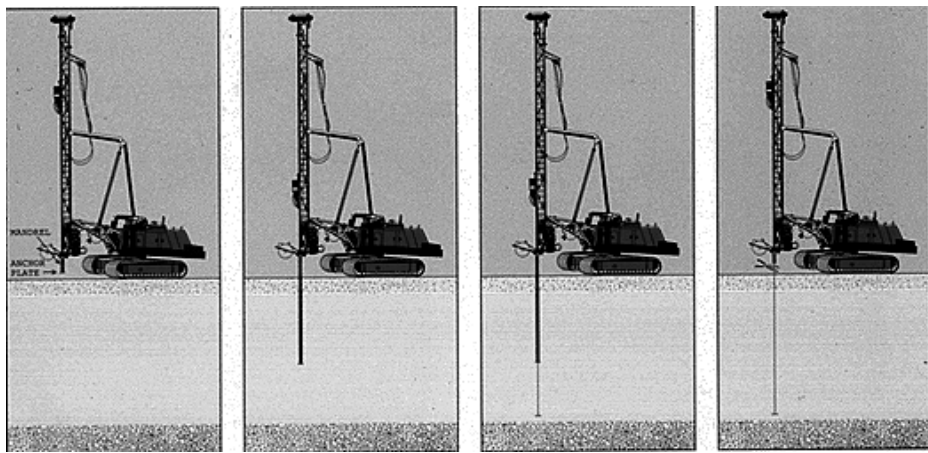
(3) Carillo's Equation:

$$(1 - U_{vh}) = (1 - U_v) \times (1 - U_h)$$

44

## ***Section 2-3*** **Installation**

### **Installation of PVD**



Installation equipment

Driving mandrel

Extracting mandrel

Cutting drain

After "[www.americanwick.com/graphics/stickrigb.gif](http://www.americanwick.com/graphics/stickrigb.gif)"

### Types of vertical drain installation rigs

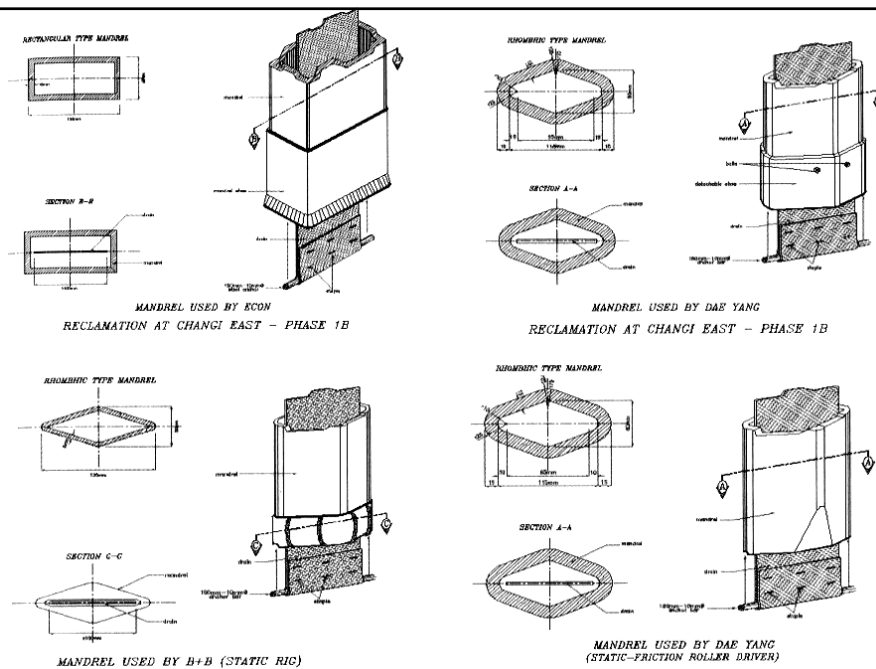
	Type of base machine	Weight of base (t)	Penetration Power (t)	Height of Rig (m)	Max penetration depth (m)	Mechanism of Penetration	Max production / day (m/14 hrs)
Cofra	O & K Excavator	70 - 110	20 - 30	36 - 55.5	50.5	Hydraulic motor	30,000
Econ	O & K Excavator	70 - 120	20 - 30	36 - 56.1	51.2	- do -	27,000
Yuyang	Crane	77 - 100	25 - 30	52.5 - 55.8	52.8	Hydraulic motor	10,000
						sprocket & chain	
Chosuk	Daewoo - Solar	45	25	54.6	51	Hydraulic motor	12,000
	450 - Excavator					multi pulley system	
Dae Yang	Daewoo - Solar	33 - 55	20 - 34	42 - 56	51	Hydraulic motor	13,500
	450 - Excavator					Push in roller	
						and clamp	
B + B	Excavator	-	-	31 - 47	29 - 45	Hydraulic	19,200
						sprocket & chain	
B + B	Excavator	-	-	43 - 50	41 - 48	Vibro push in	8,600





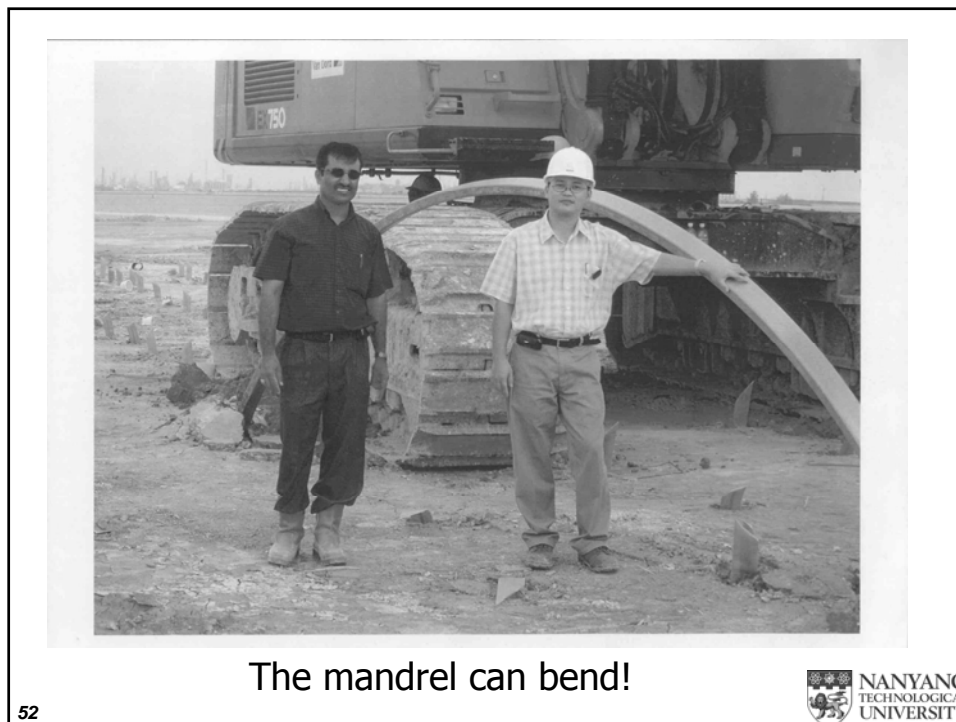
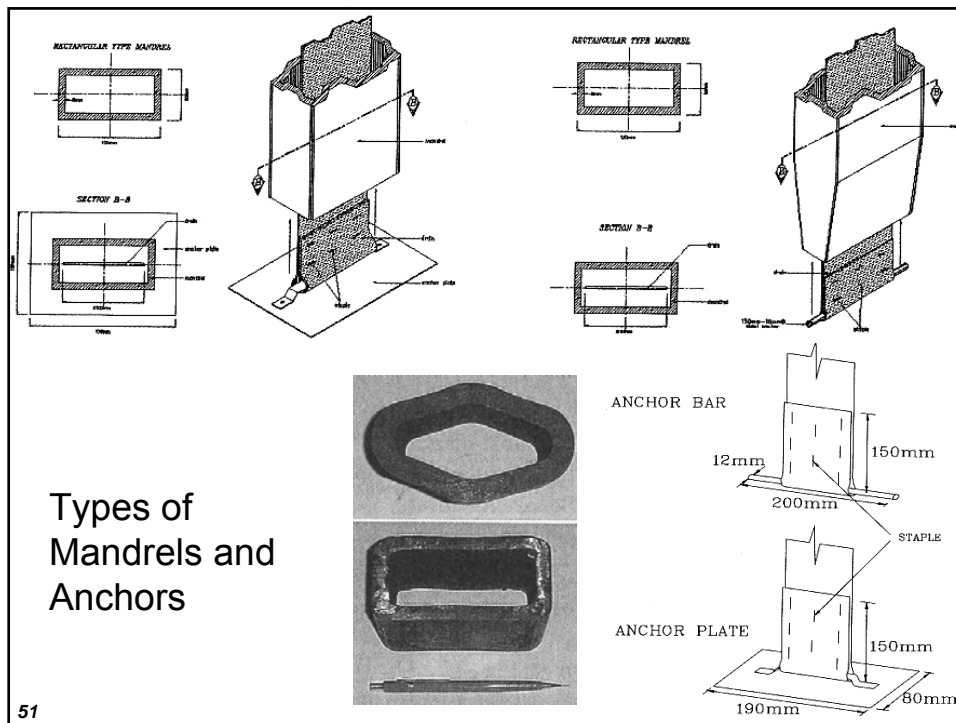


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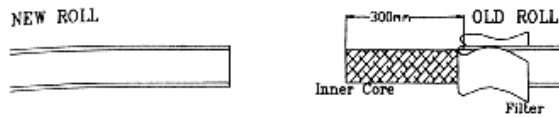


50

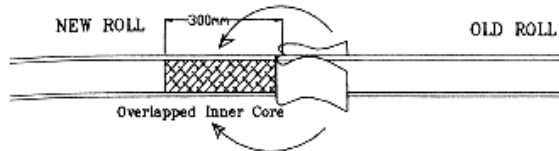
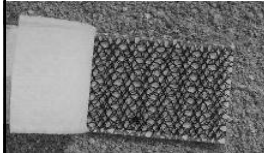
## Types of mandrels



# Splicing

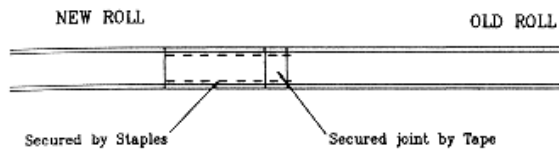


- Insert the opened core into the new drain and make sure smooth overlap:



- Fold back the filter, secure the opening by tape and staple as shown:

Colband drain



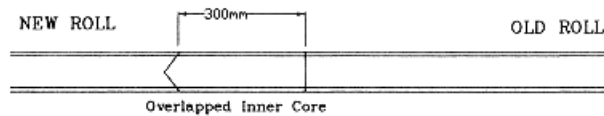
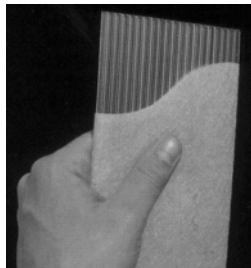
After Bo et al. (2003)

53

# Splicing

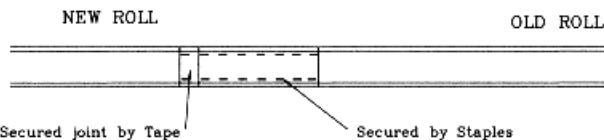


- Overlapped length should be 300mm



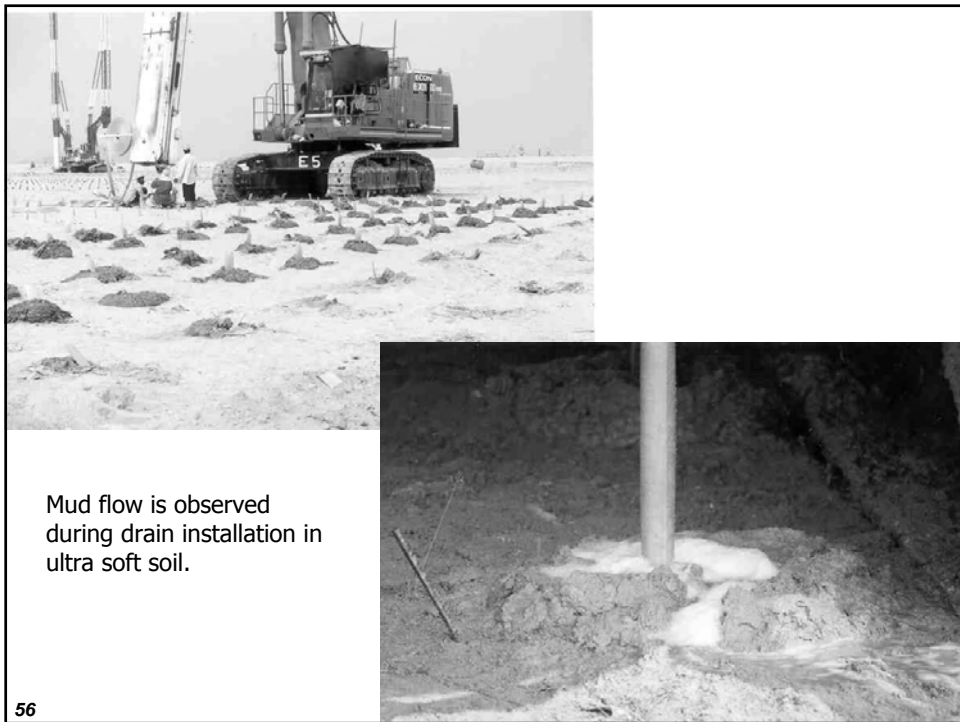
- Secure the opening by tape and staple as shown:

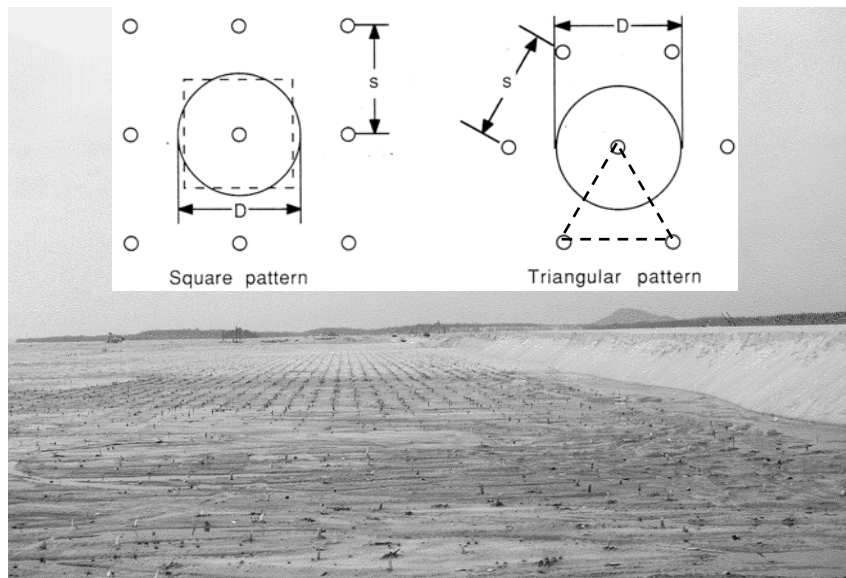
Mebra drain



After Bo et al. (2003)

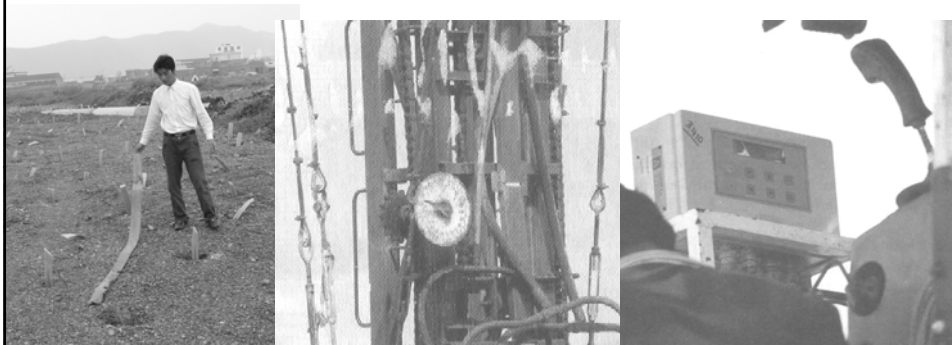
54





**Area Installed with Vertical Drains**

## Counters to record Installation Depth



**Preloading using fill  
or vacuum pressure**



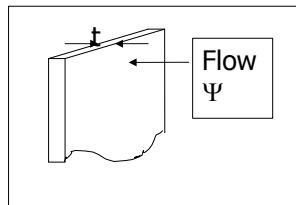
## ***Section 2-4***

### **Quality Control and Practical Considerations**

- 2.4.1 Terminology
- 2.4.2 Properties of PVD
- 2.4.3 Factors control the PVD selection
- 2.4.4 Quality control tests
- 2.4.5 Practical Considerations

## 2.4.1 Terminology -1

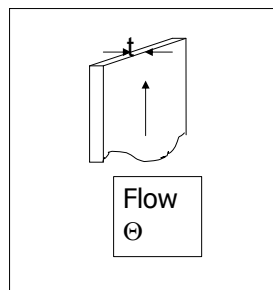
- Permittivity of filter,  $\Psi = k_n / t$  , 1/s  
(permeability of the filter/ thickness)



61

## Terminology -2

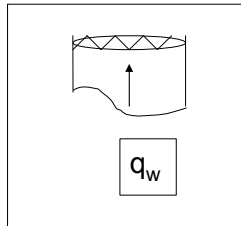
- Transmissivity of filter ,  $\Theta = k_d t$  , m<sup>2</sup>/s  
(In-plane permeability x thickness)



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## Terminology -3

- Discharge capacity of drain,  $q_w = Q / i$ , m<sup>3</sup>/s



Discharge  
velocity

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## Terminology -4

- Discharge factor

$$D = \frac{q_w}{k_h l_m^2}$$

The efficiency of PVD in discharging water is controlled not only by the discharge capacity, but also by the permeability of the soil and the length of the drain.

64



## Terminology -5

- Apparent opening size (AOS)

AOS is usually defined as the size that is larger than 95% or 90% of the fabric pores, denoted as  $O_{95}$  or  $O_{90}$ .

65



## Terminology -6

- $D_{85}$  of soils

$D_{85}$  is used to measure the particle size of soil. It is defined as the size that is larger than 85% of soil particles as measured from the particle size distribution curve.

Sometimes,  $D_{90}$ ,  $D_{50}$ , or  $D_{15}$  may be used.

66



## 2.4.2 Properties of PVD

With pure radial flow, the average degree of consolidation,  $U_h$ , reached at a certain depth,  $z$ , can be calculated by:

$$U_h = 1 - \exp\left(-\frac{8c_h t}{\mu D^2}\right)$$

Permeability of soil

Coefficient of consolidation of soil in the radial direction

Diameter of smeared zone

$$\mu = \ln\left(\frac{D}{d_s}\right) + \frac{k_h}{k_s} \ln\left(\frac{d_s}{d_w}\right) - \frac{3}{4} + \pi z (2l_m - z) \frac{k_h}{q_w}$$

Well resistance

Permeability of smeared soil

$$d_w = 2(a + b) / \pi$$

Equivalent drain diameter

Discharge capacity of PVD

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## 2.4.3 Factors Affecting the Performance of PVD

Discharge capacity  
Tensile strength  
Filter



## Discharge Capacity

- Normally the well resistance is ignored in design. Therefore, we must ensure the discharge capacity of the drain is sufficient so that well resistance is negligible.
- How large is sufficient?

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## Discharge Capacity (Cont'd)

- The condition for well resistance to be insignificant is:

$$D = \frac{q_w}{k_h l_m^2} \geq 7.85$$

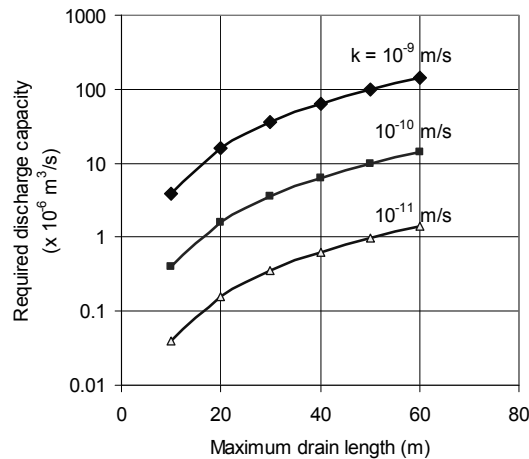
$$q_{req} \geq 7.85 F_s k_h l_m^2$$

$F_s$  = factor of safety,  $F_s = 4 \sim 6$

70



## Discharge Capacity (Cont'd)



71

## Discharge Capacity (Cont'd)

If we take  $F_s = 5$ ,  $k_s = 10^{-10}$  m/s, and  $I_m = 25$  m,  
then  $q_w = 2.45 \times 10^{-6}$  m<sup>3</sup>/s, or 82 m<sup>3</sup>/yr.

If  $I_m = 50$  m instead of 25 m,  
then  $q_w = \underline{9.81 \times 10^{-6}}$  m<sup>3</sup>/s, or 327 m<sup>3</sup>/yr.

If  $k_s = 10^{-9}$  m/s instead of  $10^{-10}$  m/s,  
then  $q_w = \underline{98.1 \times 10^{-6}}$  m<sup>3</sup>/s, or 3,270 m<sup>3</sup>/yr.

72

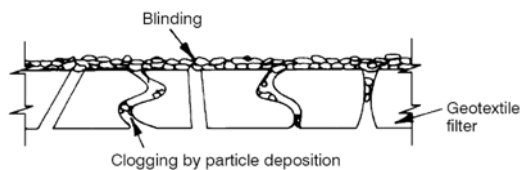
# Tensile Strength

- To sustain the tensile load applied to PVD during installation.
- Commonly, it is required the drain to have a tensile strength of larger than 1 kN at a tensile strain of 10% at either dry or wet conditions.
- Sometimes, permanent necking can occur. This will reduce the discharge capacity.

73

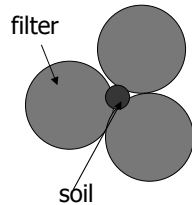
# Filter

- Soil retention ability
  - $O_{95} \leq (2 \sim 3) D_{85}$  ( $D_{85}=0.01\sim0.03\text{mm}$ )
  - and
  - $O_{50} \leq (10 \text{ to } 12) D_{50}$  ( $D_{50}=0.001\sim0.002\text{mm}$ )
- Permeability
  - $k_f \geq 10 k_s$  (normally not a problem)
- Clogging resistance
  - $n \geq 30\%$
  - $O_{95} \geq 3 D_{15}$
  - $O_{15} \geq (2 \text{ to } 3) D_{10}$



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# Filter design criteria



Terzaghi and Peck (1948) suggested:

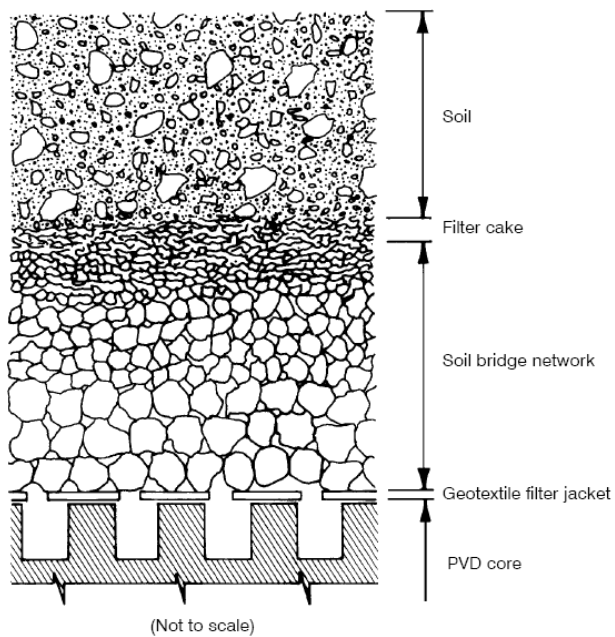
*For retention:*

$$D_{15}(F) < 4D_{85}(S)$$

*For permeability:*

$$D_{15}(F) > 4D_{15}(S)$$

75



## How filter works

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## 2.4.4 Quality Control Tests

Discharge Capacity  
Tensile Strength  
Permeability and AOS of Filter



## Need for Quality Control Tests

- Several million meters of PVDs can be used in one project and the supplies are over a few months. We have to know the consistence of the product. The only way to check is to conduct quality control tests.
- It is NOT possible to make direct comparison among  $q_w$  given by suppliers unless the drains are tested in the same way.



## Discharge Capacity

- Normally measured under straight and deformed conditions.
- Types of Tests
  - Straight drain tester
  - Buckled drain tester
  - Kinked drain tester

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## Discharge Capacity Tests

- ASTM 4716 is NOT the standard for this test, although it is often used.
- The drain to be tested MUST be embedded into soil.
- MUST have independent water head measurement.

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# Straight Drain Tester

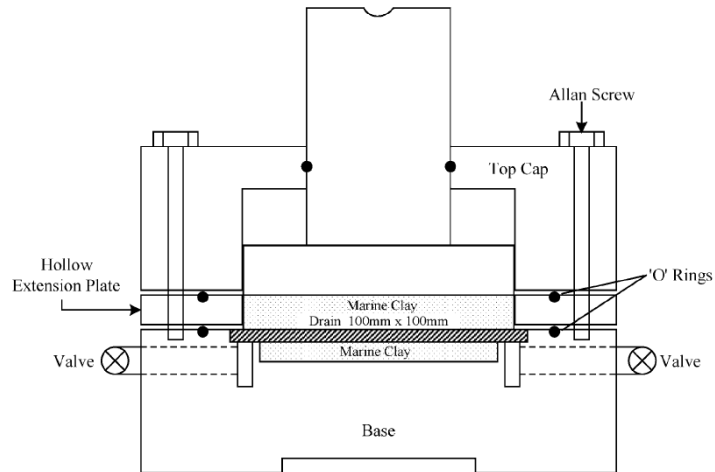
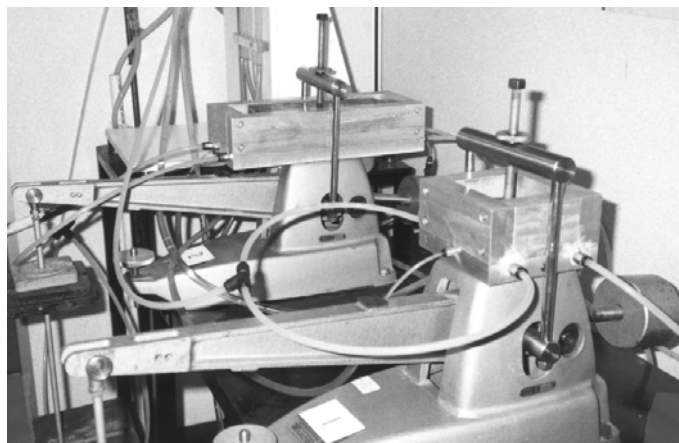
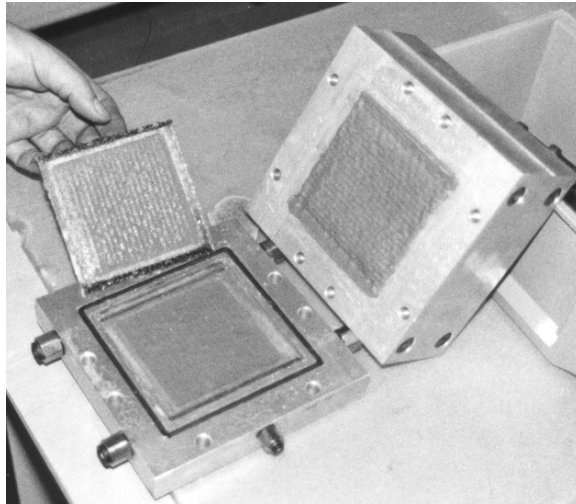


Fig. 4. A cross-section of the straight drain tester.

## Straight Drain Tester (Cont'd)

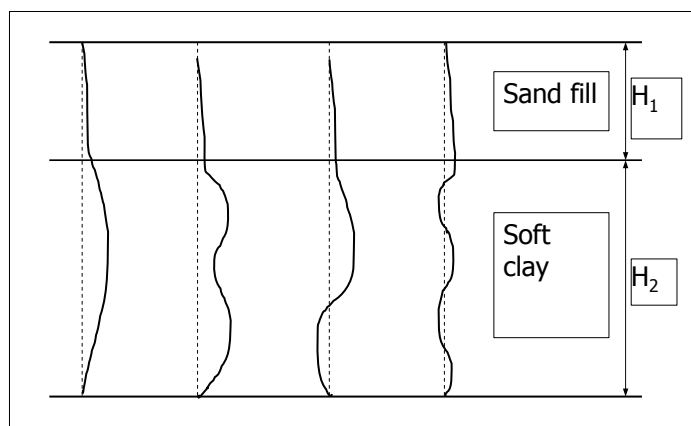


## Straight Drain Tester (Cont'd)

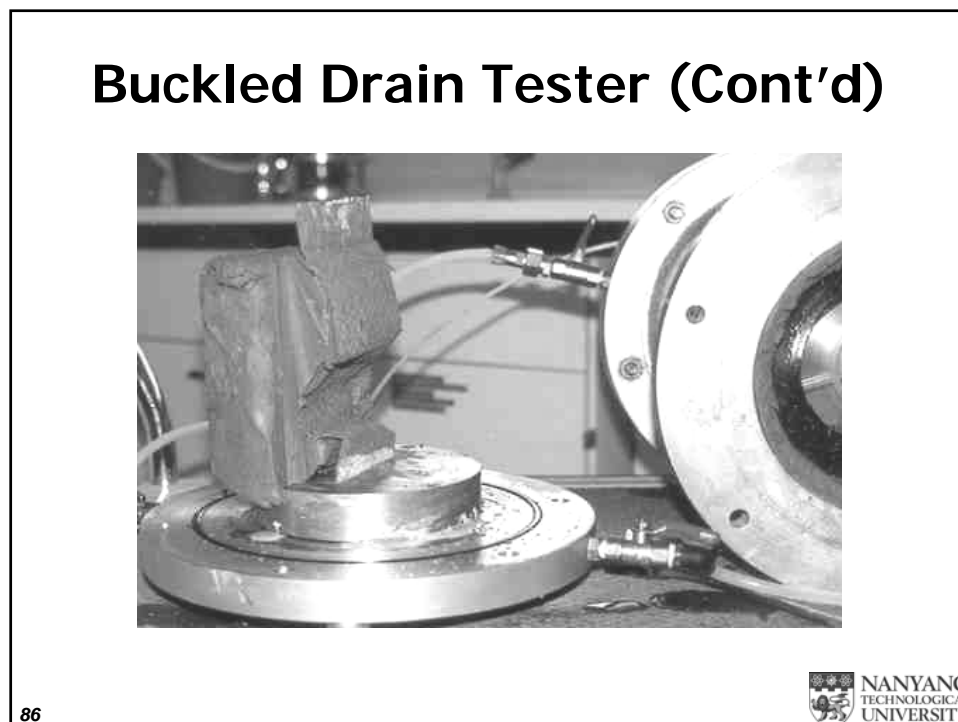
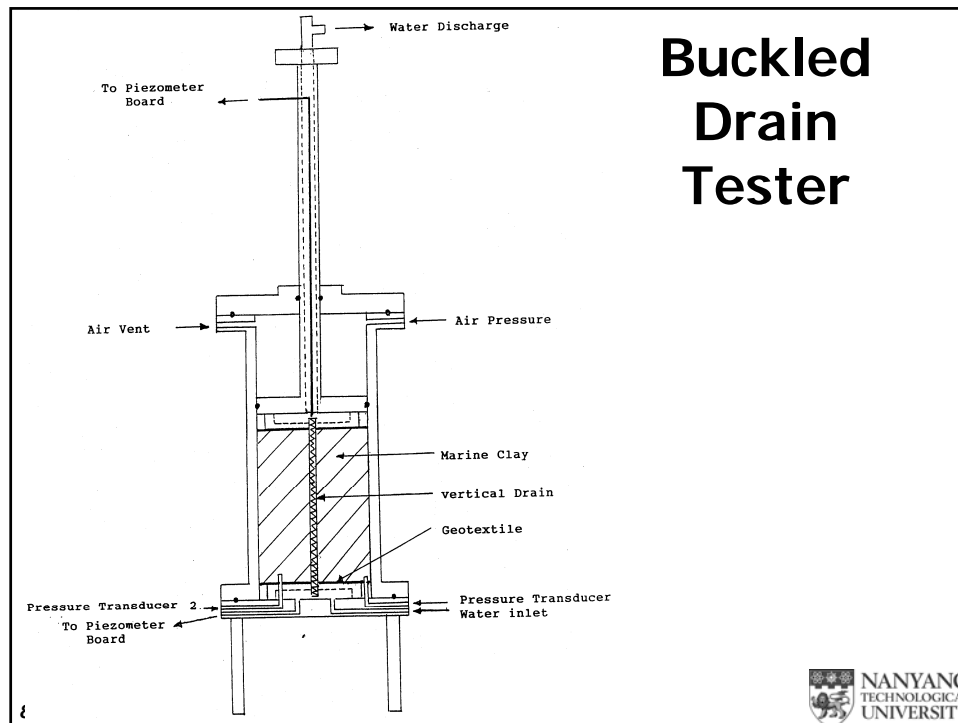


83

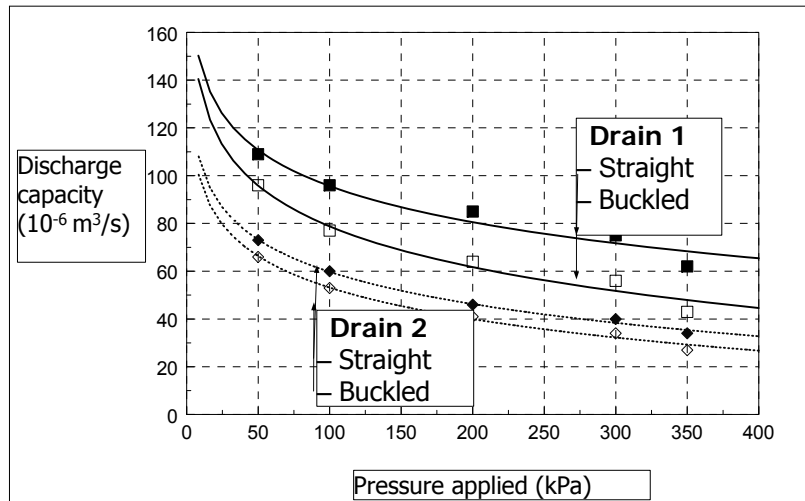
## Buckling of Drains



84

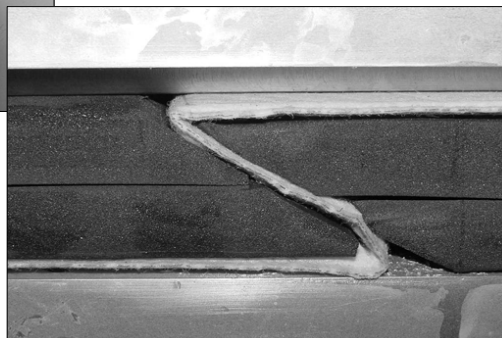


## Example - Discharge Capacity



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## Kinked Drain Tester



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## Discussion on $q_w$ Measurement

- The measurement of  $q_w$  is affected by hydraulic gradient  $i$ . The greater the  $i$  the smaller the  $q_w$ . It appears  $i=0.5$  is the most suitable value for  $q_w$  measurement.
- $q_w$  is a measure of the in-plane flow capacity of the drain. The measurement is not affected by the smear effect. For the same reason, it is NOT affected by the size of the soil media used to embed the drain.

89



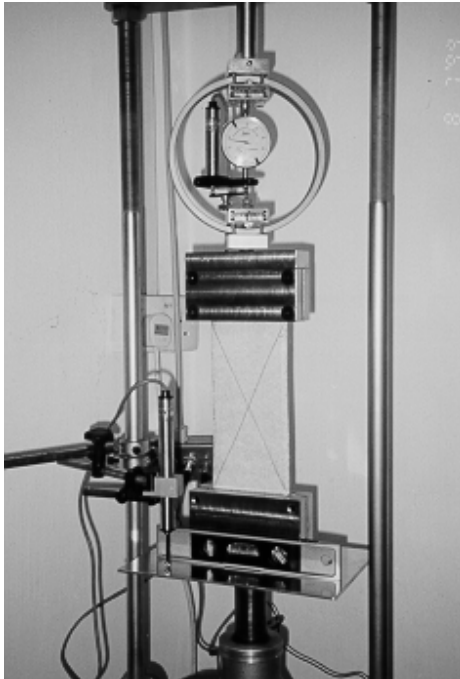
## Discussion on $q_w$ Measurement (Cont'd)

- In practice, the drain wells work together. It is the overall effect which matters. Therefore, the drains should be tested under typical, not the most severe conditions.
- The  $q_w$  reduces with time, but so does the rate of consolidation.

90

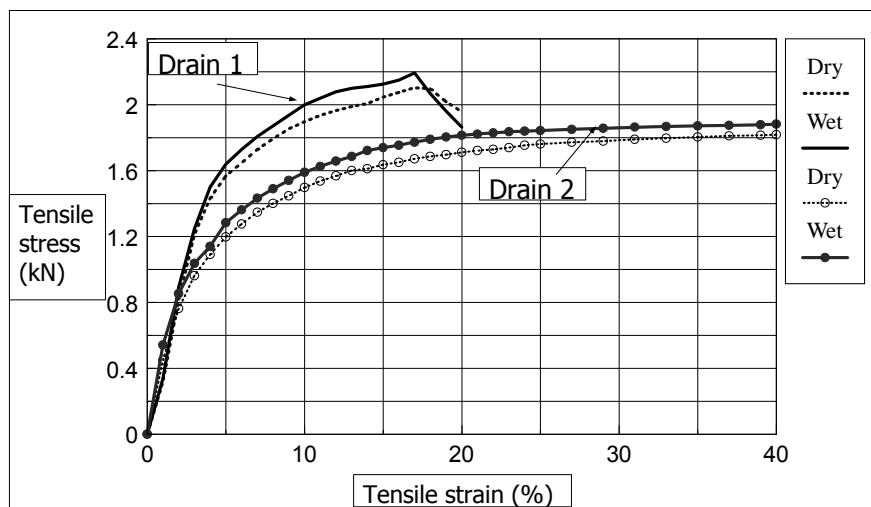


# Tensile Strength Test



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## Example -Tensile Strength Test



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## Permeability of Filter



$$k = \frac{Q\delta}{A\Delta ht} R_t$$

As specified by ASTM D4491-96, the permeability is taken as the value corresponding to a 50 mm water head.

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## AOS of Filter



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## AOS of Filter (Cont'd)

$$B = 100 P / T \quad (4.14)$$

Where: B = beads passing through specimen, %  
P = mass of glass beads in the pan, g, and  
T = total mass of glass beads used, g.

Table 4.2 Cumulative size distribution percent of spheres with diameters less than the size indicated

Weight (%)	2.7	10.9	19.2	24.7	28.9	33.3	36.8	38.4	40.1	43.6
Diameter (μm)	40	44	48	52	56	60	64	68	72	76

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## Quality Control of PVD



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## Quality Control of PVD (Cont'd)



Devices to measure the length of the drain

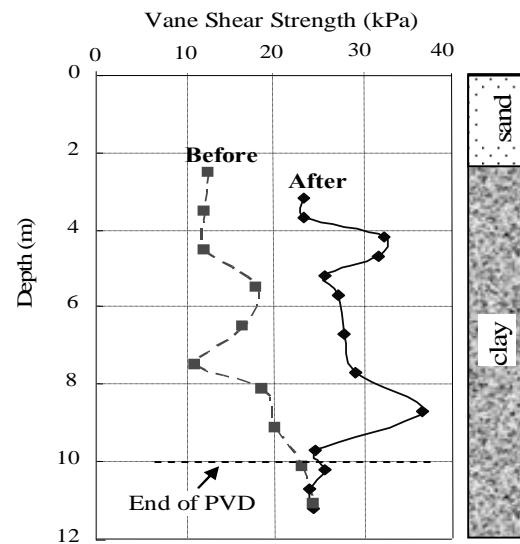
## 2.4.5 Practical Considerations

- Select drain with discharge capacity matches the need:

$$q_{req} \geq 7.85 F_s k_h l_m^2$$

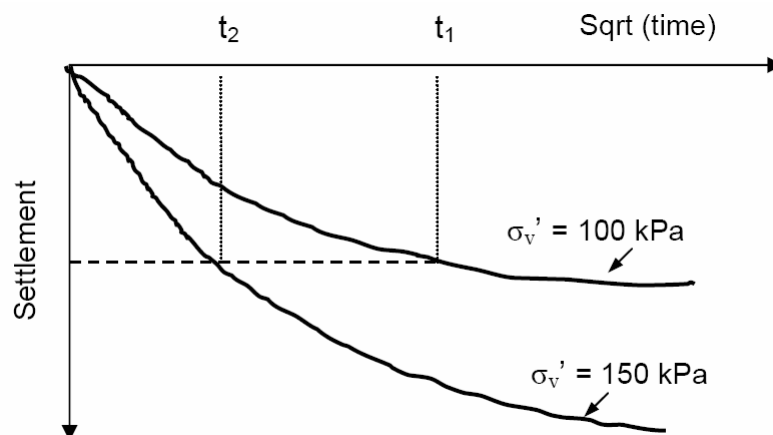
- Select the filter with AOS matches the soil to be improved. For Singapore marine clay:  $O_{95} \leq (4-7.5)D_{85}$ .  $D_{85} = 0.01-0.02\text{mm}$ . By experience, thicker filters are better. The mass/area  $> 90 \text{ g/m}^2$ .
- If the drain spacing is smaller, the smear effect will be more significant.
- Complete penetration of drain into soft clay may not be necessary.

Comparison of vane shear strength before and after soil improvement



99

## Reduction of consolidation time through application of higher surcharge



100

## Summary-1

- The selection of PVD is controlled not only by the drain itself, but also by the length of the drain and the permeability of the soil. Therefore, one cannot borrow specifications without considering the site conditions and the nature of the project.

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## Summary-2

- The discharge capacity  $q_w$  must be adequately large so the well effect can be ignored.
- The drains also must have sufficient tensile strength. The AOS of the filter should match the grain size of the soil. The permeability of the filter should also have sufficiently large.

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## Summary-3

- Quality control tests need to be conducted during a project to (a) compare & verify the properties of different PVD, (b) to ensure the design assumptions are met, and (c) to ensure the quality consistency.
- Some simple testing devices and methods for quality control tests for PVD have been introduced.

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## Concluding Remark

- For the successful implementation of a drain project the design must take into consideration many factors such as the site and soil conditions, the client's requirements, the quality control of the drains, the method of installation, the experience of the contractor and the evaluation and interpretation of the soil instrumentation, laboratory and in-situ test data. A holistic approach to drain design has therefore to be adopted and experience plays an essential role in achieving the desired results.

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## Section 2.5 Case Studies

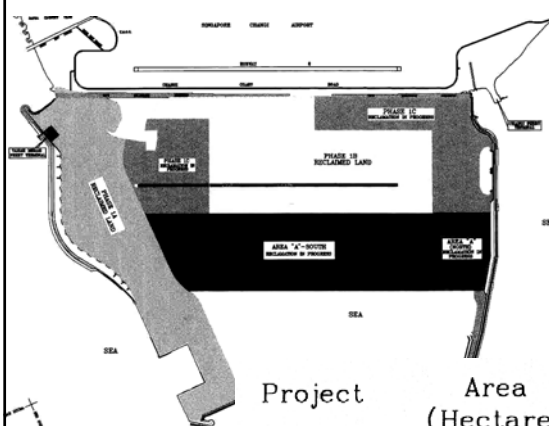


Changi International Airport

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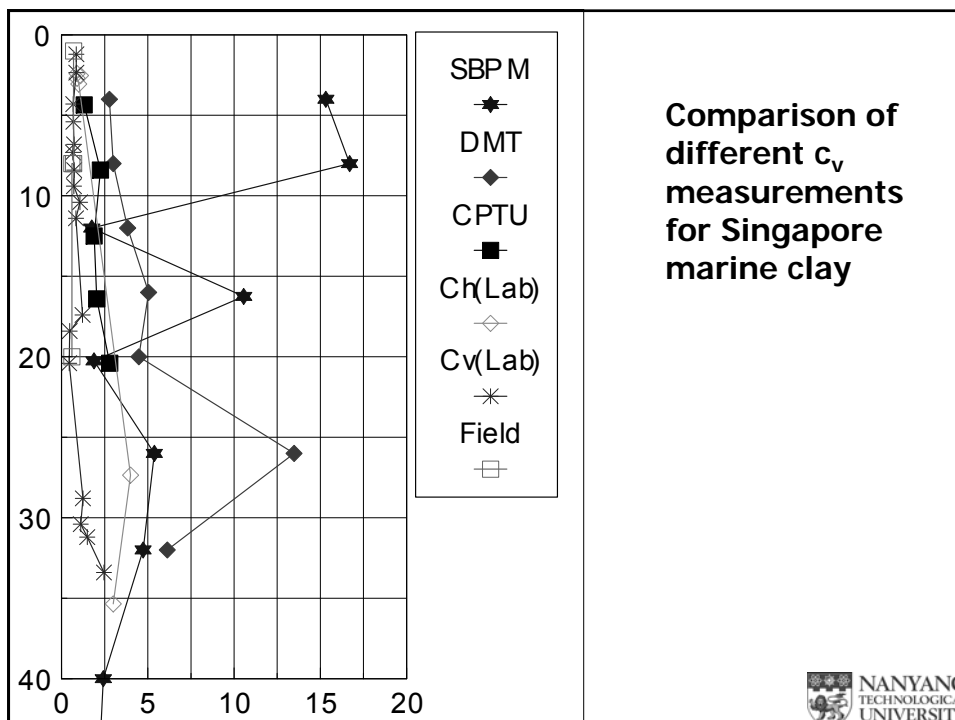
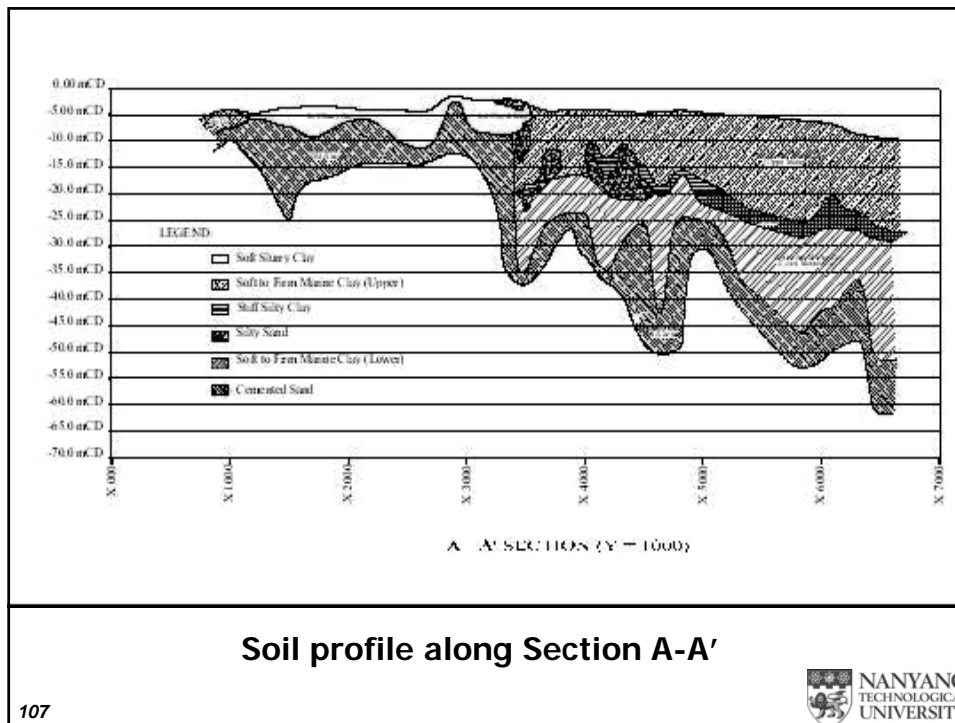
## Changi East Land Reclamation Project



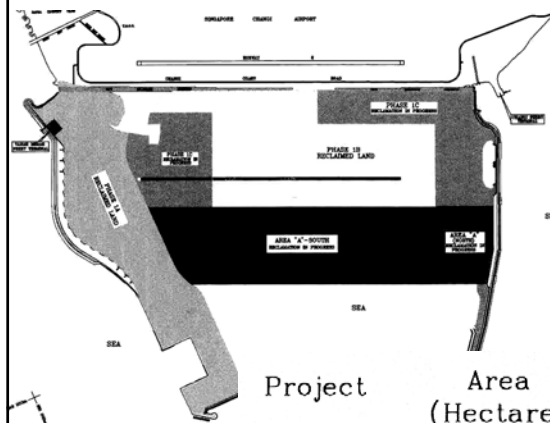
Area = 2000 ha  
Sand = 272 M m<sup>3</sup>  
PVD = 140 Mm

Project	Area (Hectares)	Volume of Sand (Mm <sup>3</sup> )	Length of Vertical Drain (Mm)
PHASE 1A	501	65	—
PHASE 1B	520	75	28
PHASE 1C	451	68	49
AREA "A" - NORTH	90.7	12	13.3
AREA "A" - SOUTH	450	52	50.4

106



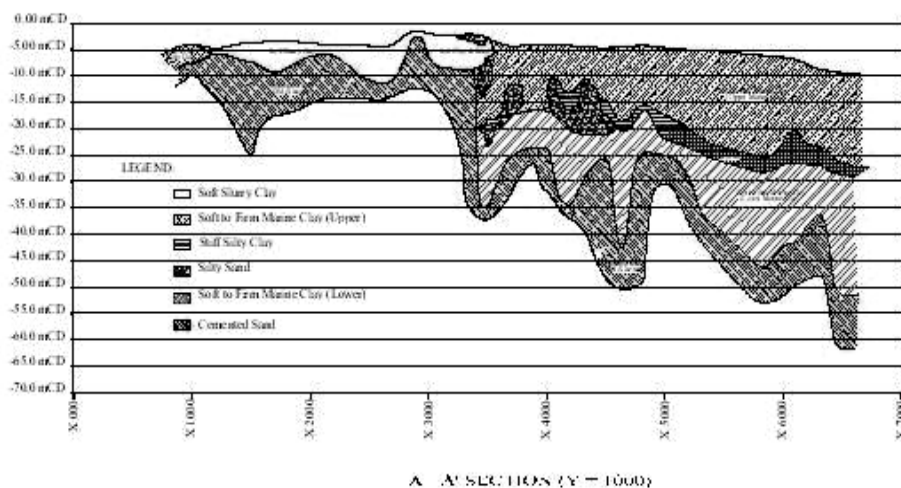
## Changi East Land Reclamation Project



Area = 2000 ha  
 Sand = 272 M m<sup>3</sup>  
 PVD = 140 Mm

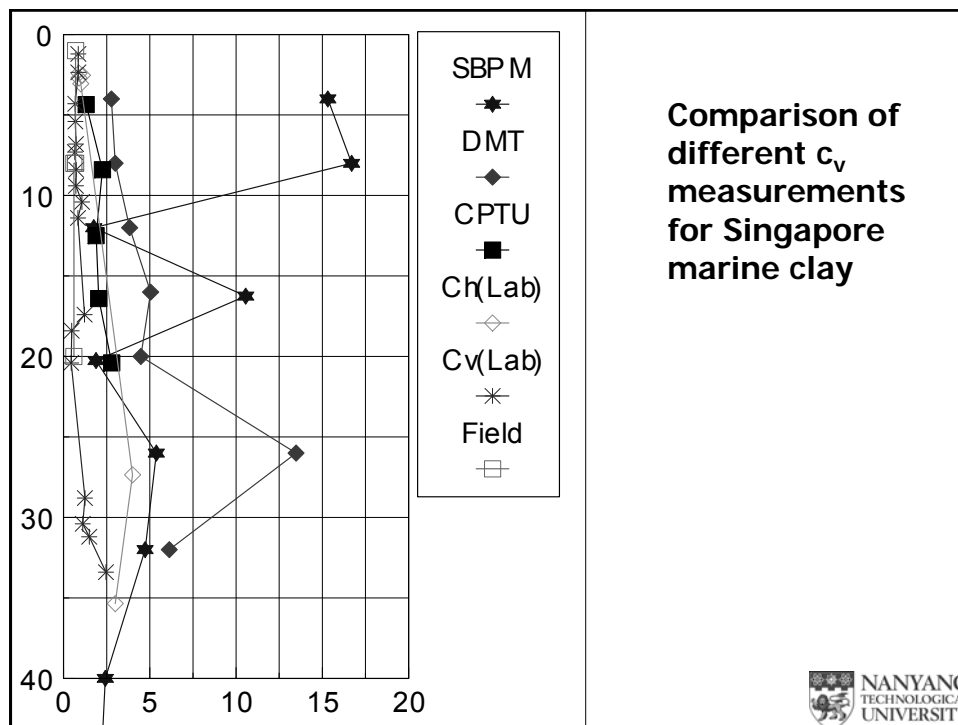
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AREA "A" - NORTH	90.7	12	13.3
AREA "A" - SOUTH	450	52	50.4

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Soil profile along Section A-A'

110







**Installation of Vertical Drains**



**Area Installed with Vertical Drains**



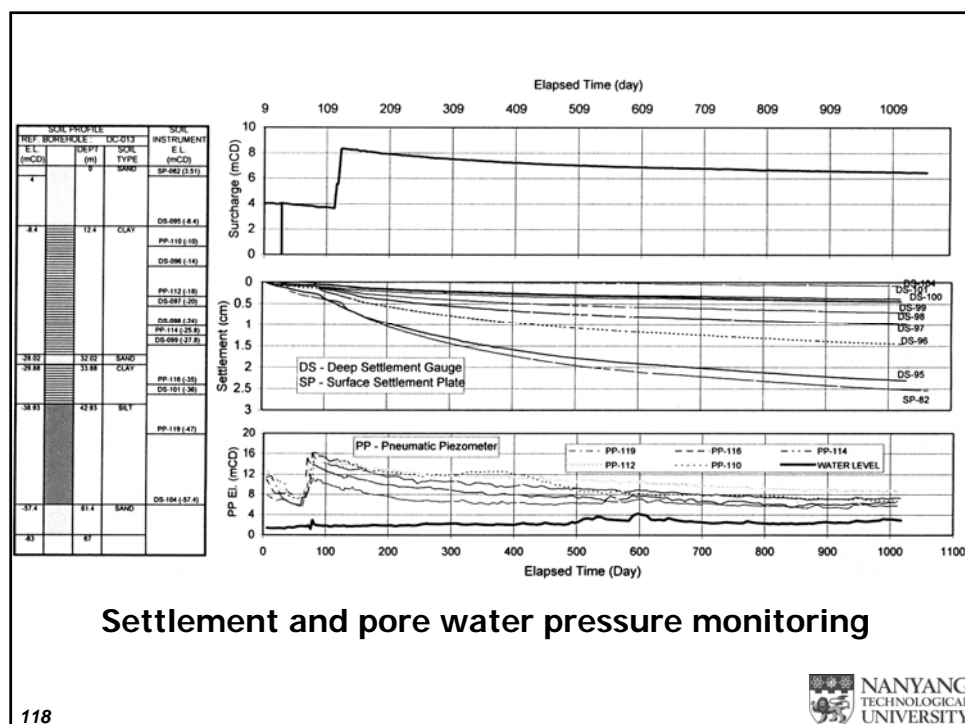
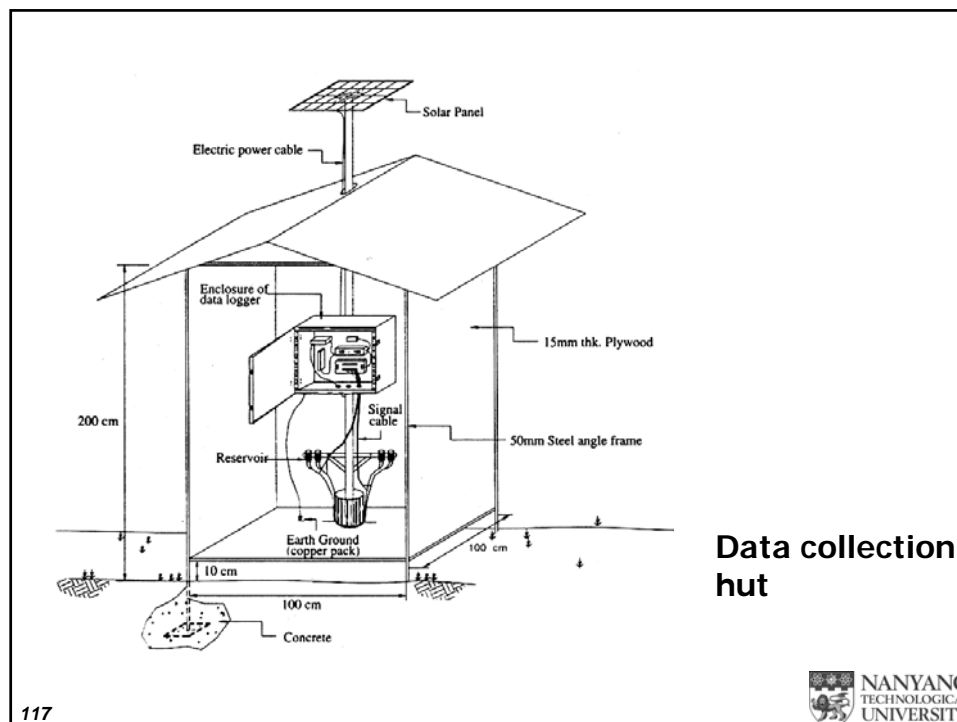
**Instrument Clusters**

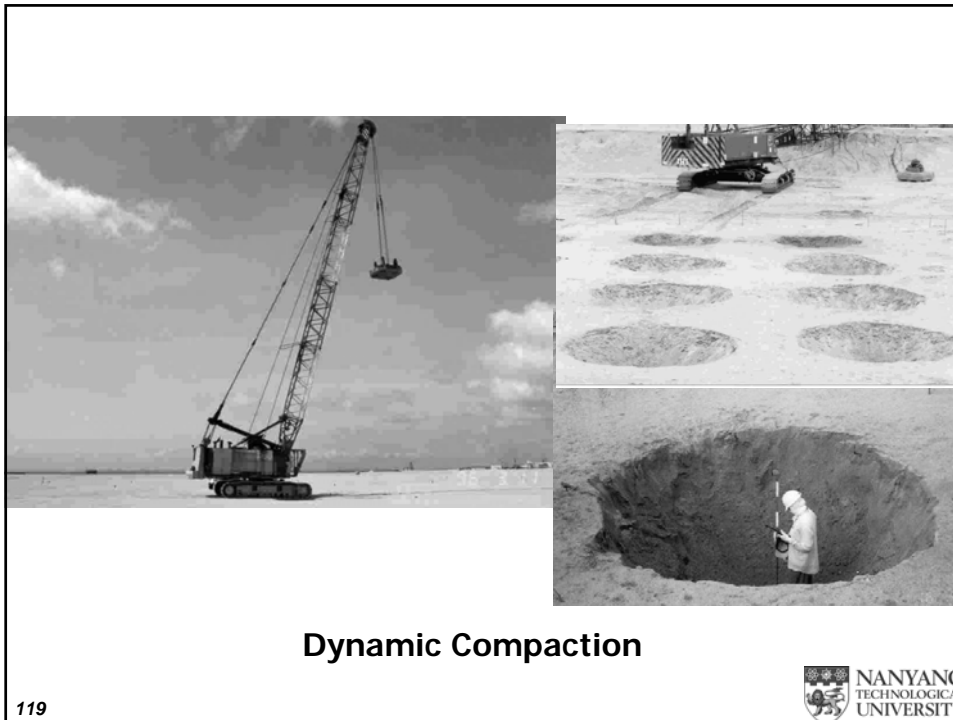
115



**Application of Surcharge**

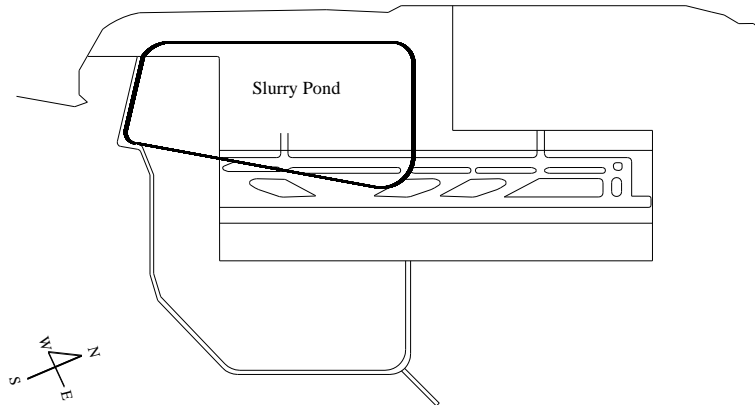
116





## Soil Improvement for the slurry pond

## Location of the slurry pond

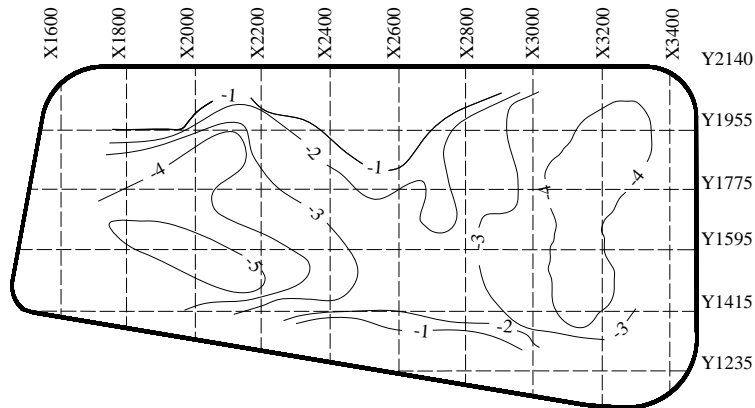


121



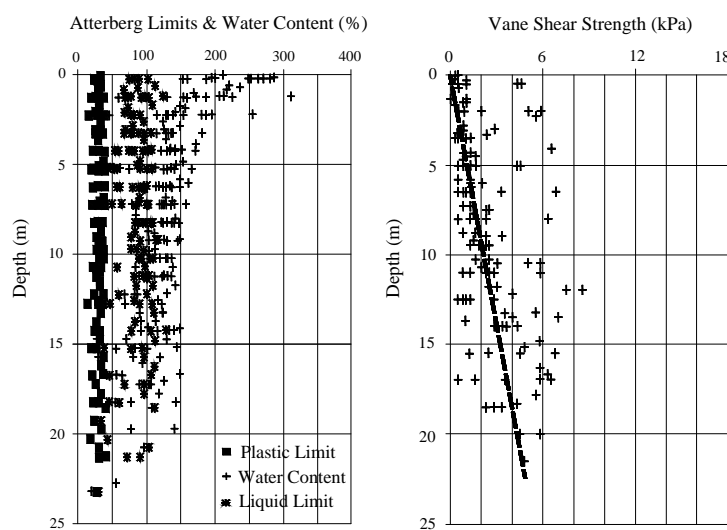
122

## Water depth contour



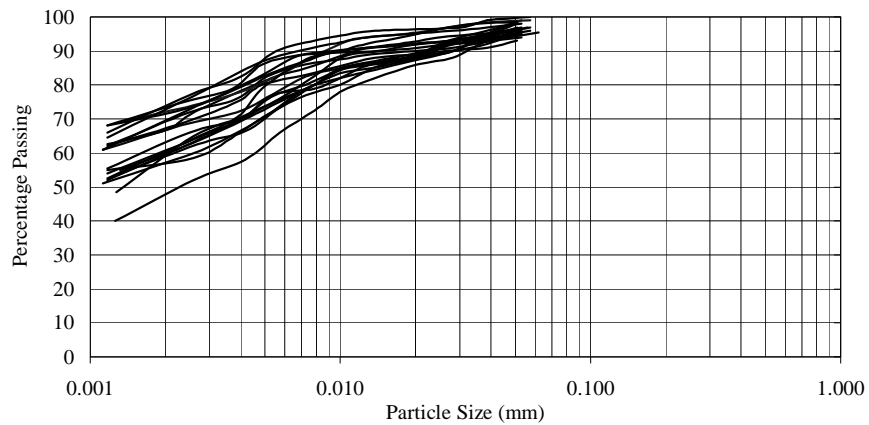
123

## Properties of slurry



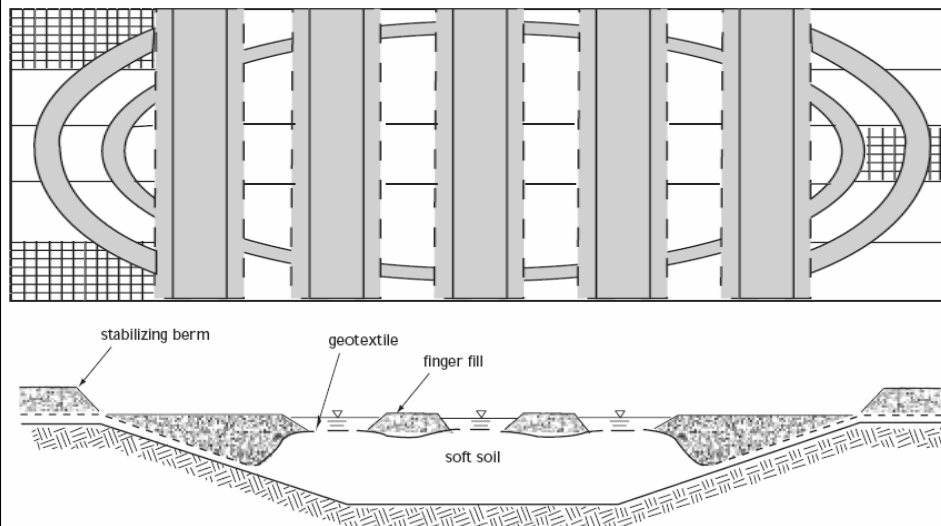
124

## Grain size distribution of slurry soil



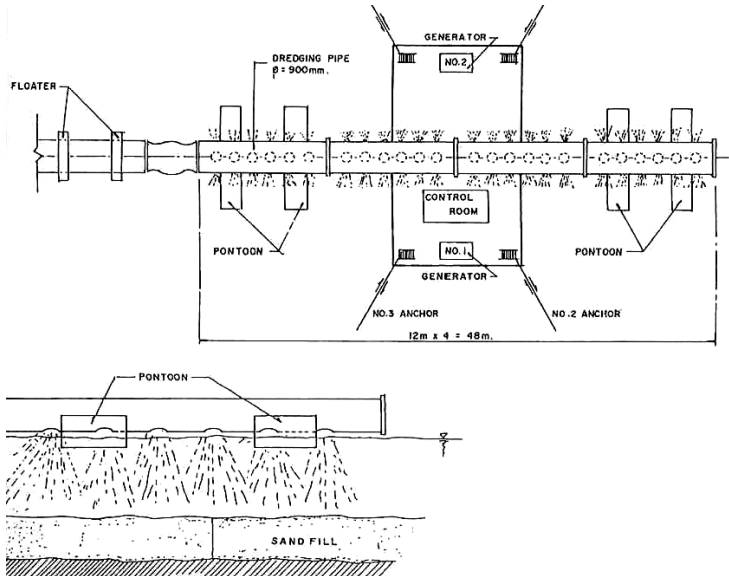
125

## Broms' Method



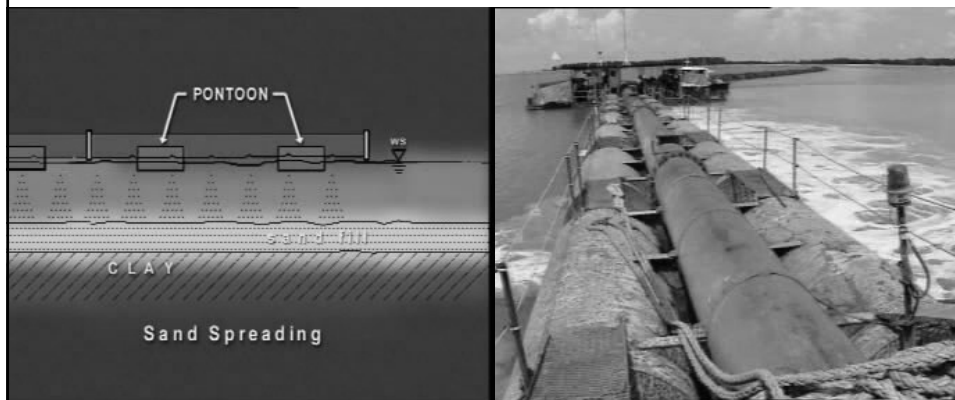
126

# Sand spreader



127

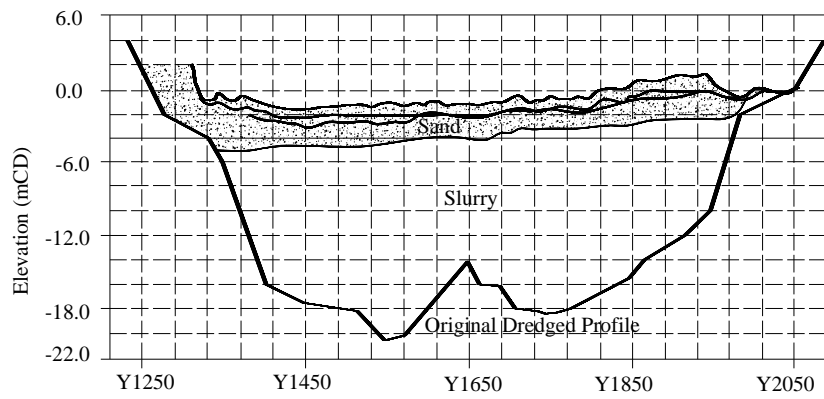
# Sand Spreading



128



## Spreading of sand cap



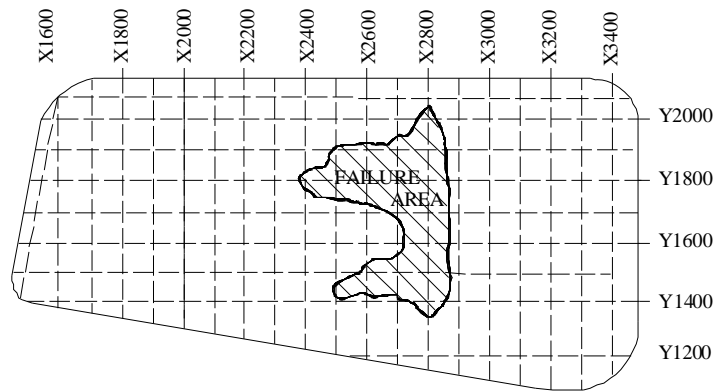
129

## Slurry burst



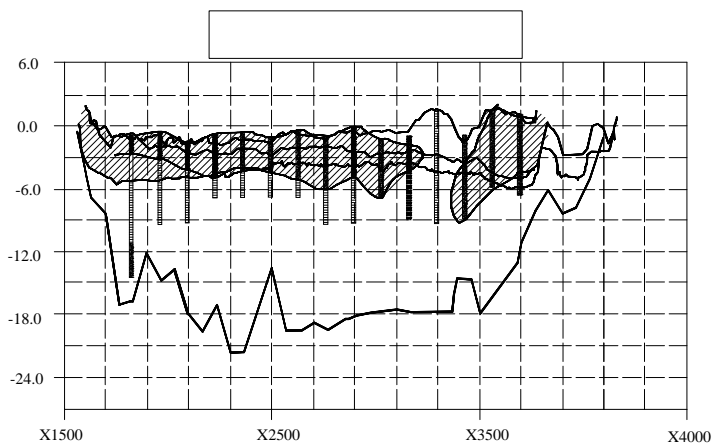
130

## Failed area



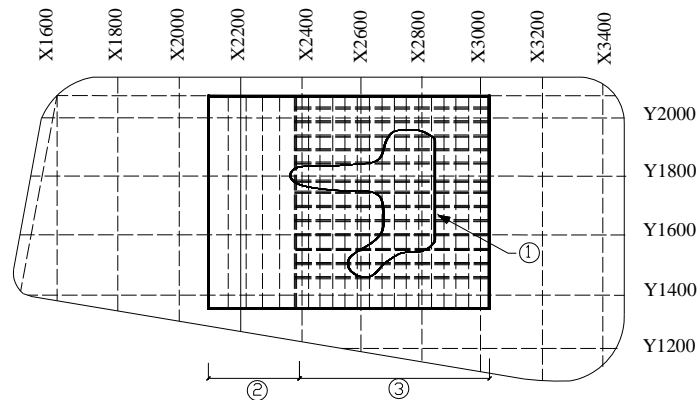
131

## Cross-section along Chainage Y1700 after failure



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## Area covered by geotextile sheet



$$700 \times 300 \text{ m} + 700 \times 600 \text{ m} = 630,000 \text{ m}^2$$

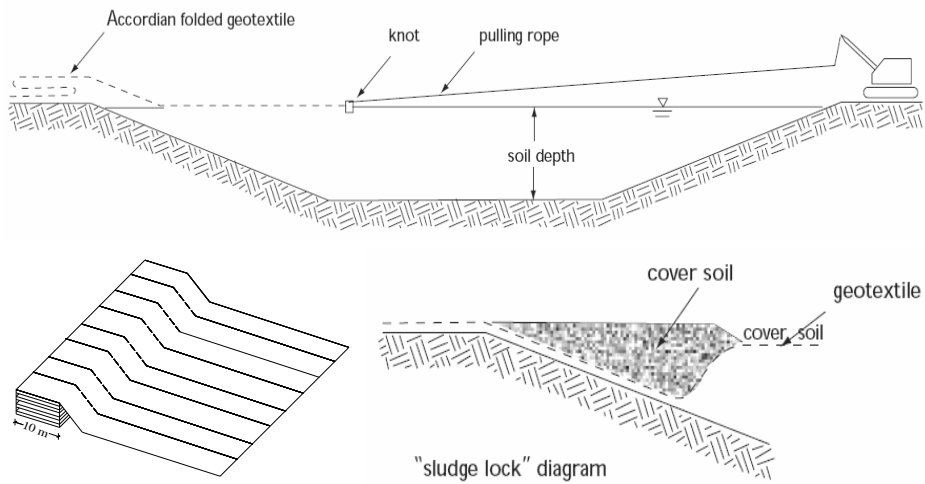
133

## Properties of geotextile

- Woven geotextile HS150/150 with tensile strength of 150 kN/m in both warp and weft directions.
- Two layers of geofabrics with tensile strength of 100 kN/m in the warp direction and 50 kN/m in the weft direction.

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# Placement of geotextile

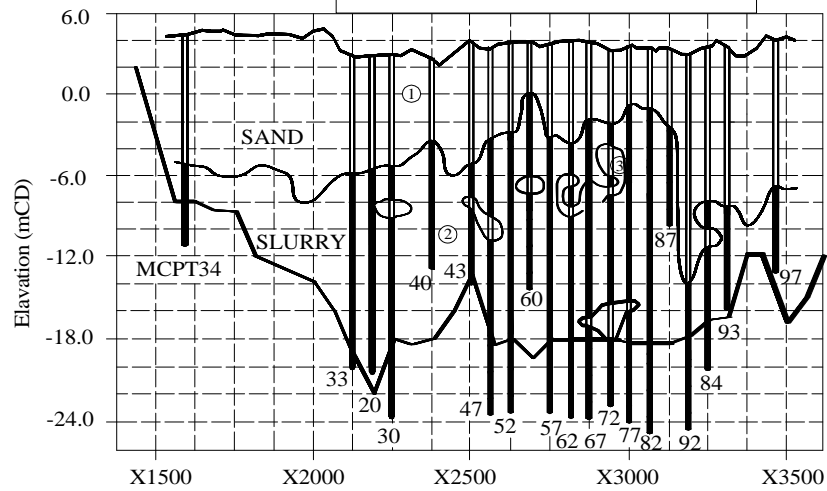


135

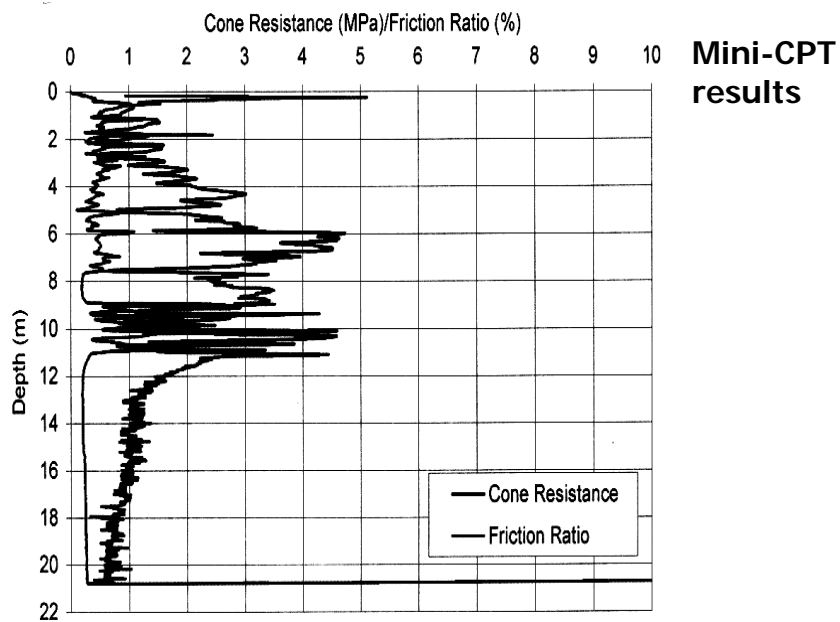


136

## Soil profile after sand placement



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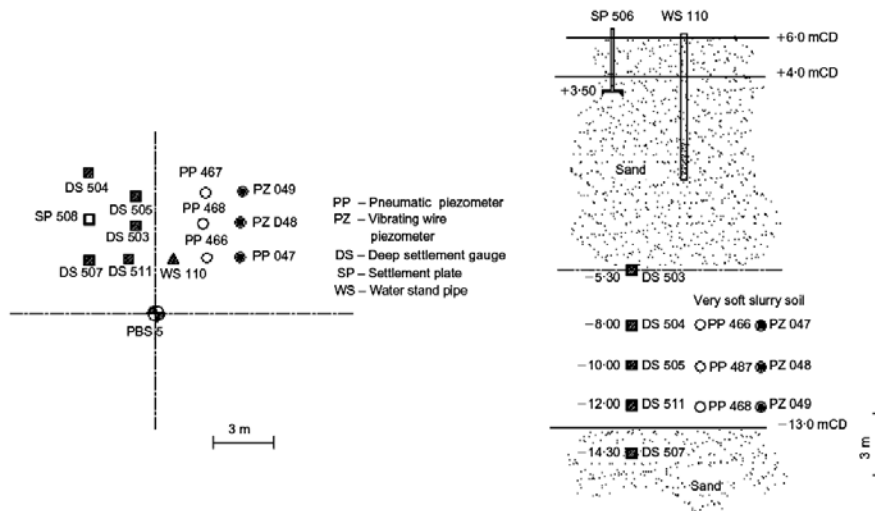
138

# Reclamation of the slurry pond

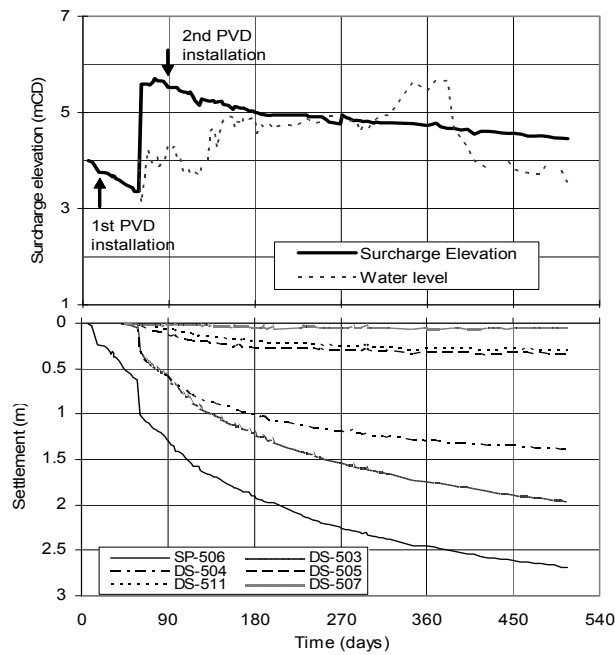
## Soil improvement using PVDs



# Instrumentations

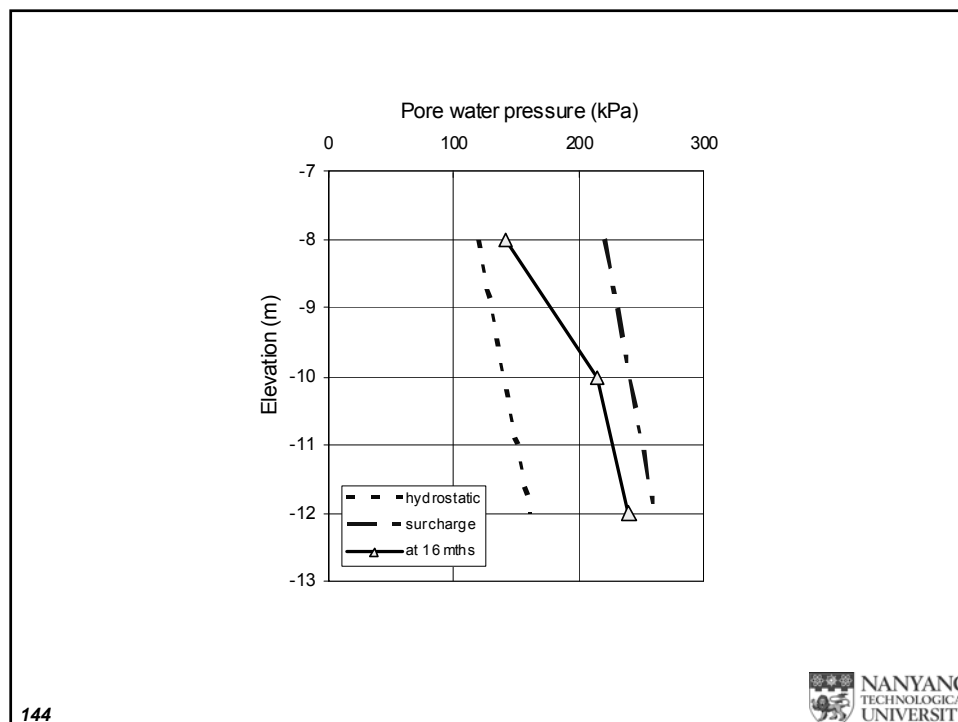
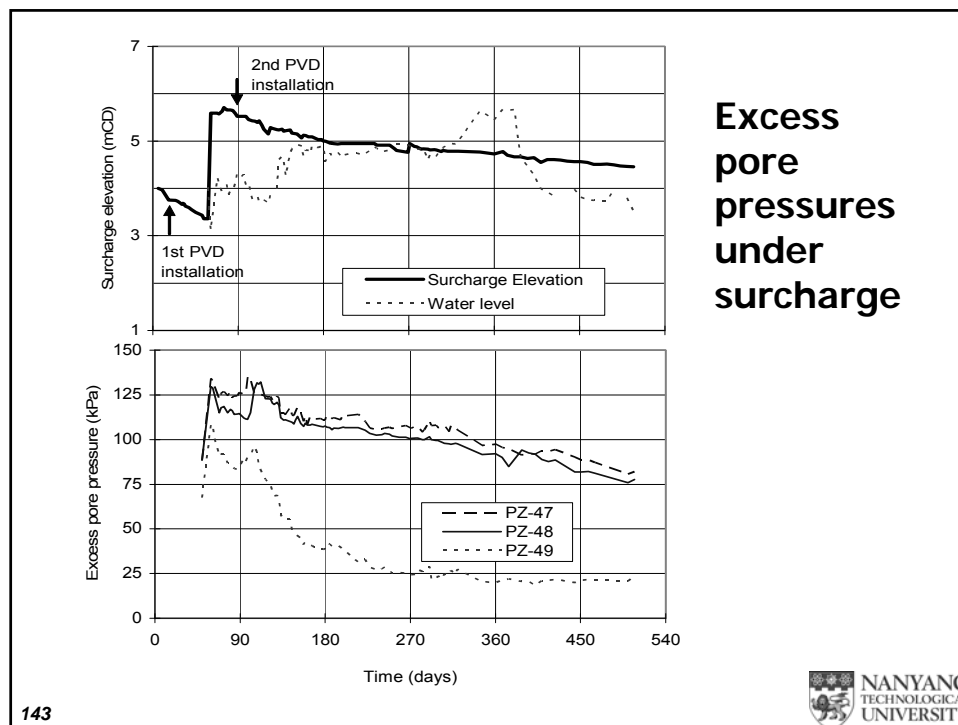


141



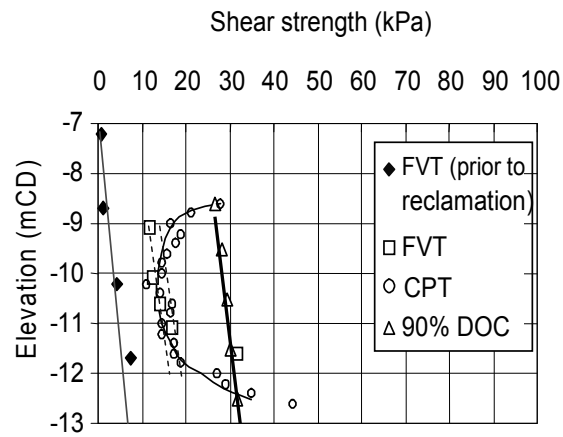
Settlement  
under  
surcharge

142



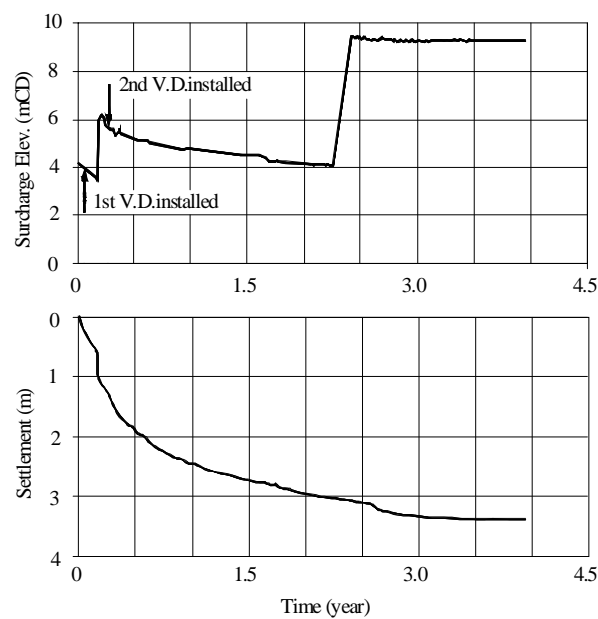


## Shear strength profile in 14 mths



$$U_{vh} = 0.45, U_v = 0.1, U_h = 0.4 \text{ from } (1 - U_{vh}) = (1 - U_v)(1 - U_h)$$

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## Summary

- For reclamation over ultra soft, high water content slurry, a direct placement of fill can be difficult. Geotextile may have to be used to cap the slurry before sand fill can be placed.
- The sand placement sequence should be designed so favourable arching stress is generated in the geotextile.
- The slurry still needs to be improved after the sand placement.