

3. LINKING Q TO USEFUL PARAMETERS FOR DESIGN

CORE LOGGING EXAMPLES – PRIOR TO PARAMETER ESTIMATION

SKB (Sweden) – from a potential site for high
level nuclear waste

Simpevarp – jointed rock example



IDEAL CORE HANDLING CONDITIONS

SKB'S SIMPEVARP

KSH 01 A and KSH 02

(these are 1000m deep holes)























Q - VALUES:	(RQD / Jn) * (Jr / Ja) * (Jw / SRF) =	Q
Q (typical min)=	45 / 12,0 * 1,0 / 6,0 * 0,50 / 1,0 =	0,313
Q (typical max)=	100 / 1,0 * 3,0 / 1,0 * 1,00 / 0,5 =	600,0
Q (mean value)=	88 / 5,9 * 1,8 / 2,1 * 0,75 / 0,8 =	12,54
Q (most frequent)=	100 / 9,0 * 2,0 / 1,0 * 0,66 / 0,5 =	29,33

B	V. POOR	POOR	FAIR	GOOD	EXC
L					
C					
C					
K					

S	EARTH	FOUR	THREE	TWO	ONE	NONE
I						
Z						
E						
S						

FILLS	PLANAR	UNDULATING	DISC.
T			
A			
N			
(ϕ_i)			
and			
T			
A			
N			
(ϕ_p)			

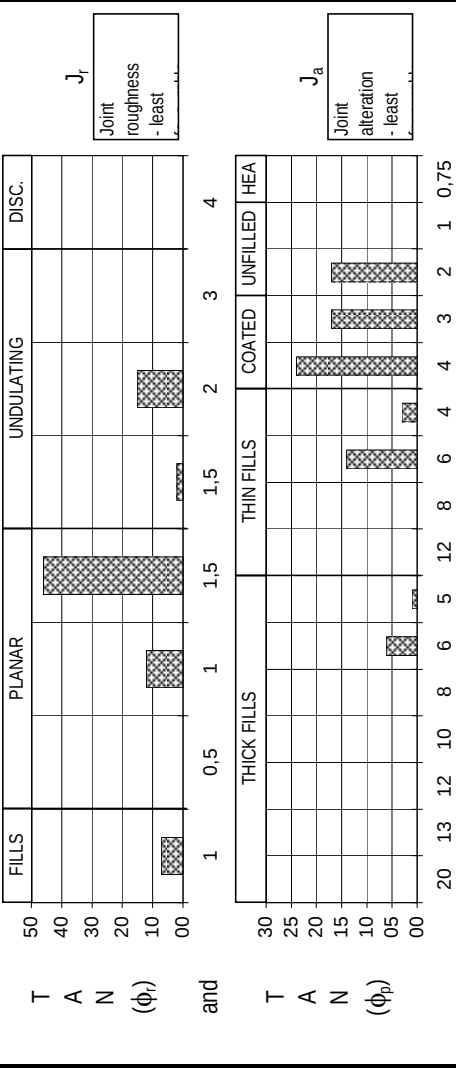
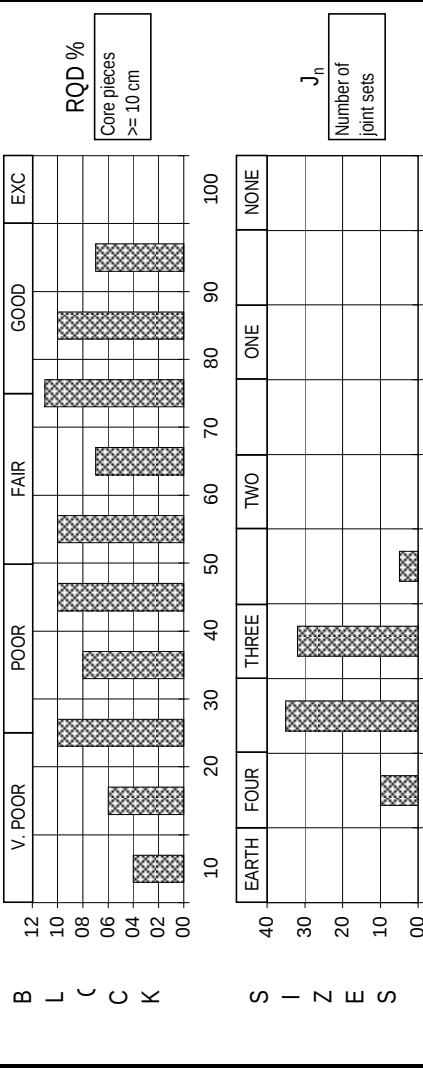
A	EXC. INFLOWS	HIGH PRESSURE	WET	DRY
C				
T				
I				
V				
E				

S	SQUEEZE	SWELL	FAULTS	STRESS / STRENGTH
T				
R				
E				
S				
S				

**Variations with depth for the 'background rock mass' of KSH 01 A and B
(minus 7 x FZ)**

Depth down hole	$Q_{most\ frequent}$	Q_{mean}	$Q_{typ.\ min.}$	$Q_{typ.\ max.}$
1.3-100.8 m	24.8	6.3	0.9	75
100.8-199.9 m	31.4	12.9	2.6	100
199.9-302.9 m	13.9	6.0	0.3	75
302.9-398.8 m	31.4	16.8	1.8	150
398.8-500.1 m	15.8	15.3	2.7	150
500.1-600.6 m	49.5	17.9	4.0	200
600.6-699.5 m	62.7	14.0	2.3	200
699.5-798.8 m	133	48.3	2.6	600
798.8-901.2 m	133	59.4	7.1	300
901.2-1003.0 m	150	71.7	13.9	1200

Q - VALUES:	(RQD / Jn) *	(Jr / Ja) *	(Jw / SRF) =	Q
Q (typical min)=	10 / 15,0	* 1,0 / 6,0	* 0,33 / 2,5	= 0,015
Q (typical max)=	95 / 6,0	* 2,0 / 2,0	* 0,66 / 0,5	= 20,9
Q (mean value)=	54 / 10,8	* 1,5 / 3,9	* 0,53 / 0,8	= 1,20
Q (most frequent)=	75 / 12,0	* 1,5 / 4,0	* 0,50 / 0,5	= 2,34

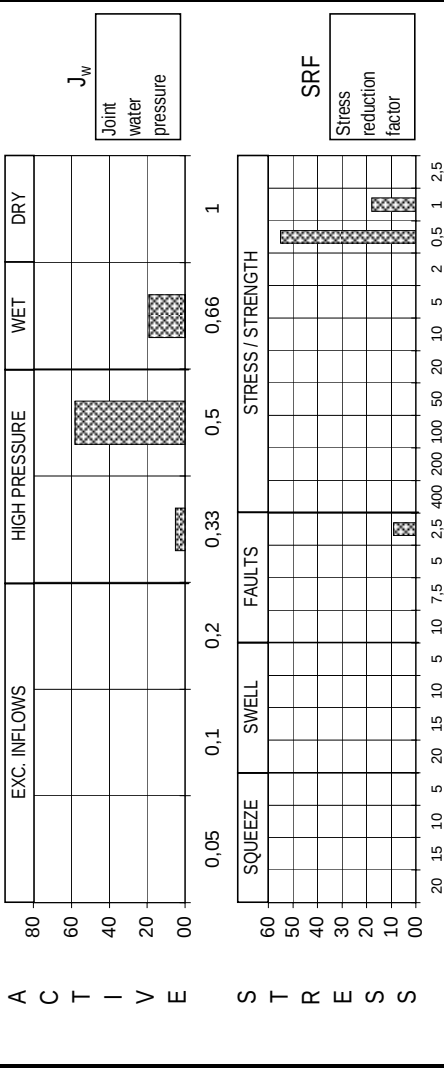


(φ_r)

20 13 12 10 8 6 5 4 3 2 1 0,75

and

20 13 12 10 8 6 5 4 3 2 1 0,75



T

40

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

J_w

Joint water pressure

I

20

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

J_w

Joint water pressure

V

00

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

J_w

Joint water pressure

E

00

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

J_w

Joint water pressure

S

60

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

T

50

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

R

40

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

E

30

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

S

20

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

S

10

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

S

00

EXC. INFLOWS

0,05 0,1 0,2 0,33 0,5 0,66 1

HIGH PRESSURE

0,05 0,1 0,2 0,33 0,5 0,66 1

WET

0,05 0,1 0,2 0,33 0,5 0,66 1

DRY

0,05 0,1 0,2 0,33 0,5 0,66 1

SRF

Stress reduction factor

SKB SIMPEVARP candidate site			Report No.	Figure No.
KSH 01A and B : overall quality of seven identified fractured zones : 1) 138.5-154.5, 2) 247.7-253.0, 3) 407.0-409.5, 4) 420-437, 5) 541-570, 6) 619-637, and 7) 725-730			Rev.	Report No.
			Borehole No. :	NB&A
			Drawn by	Date
			KSH 01A and B	
			Depth zone (m)	Checked
			various	nrb
			Logg	1,0 Approved
			##	21st May 2003
				nrb

Q-statistics for KSH 01 A and B's four principal fracture(d) zones identified from Q-parameter changes.

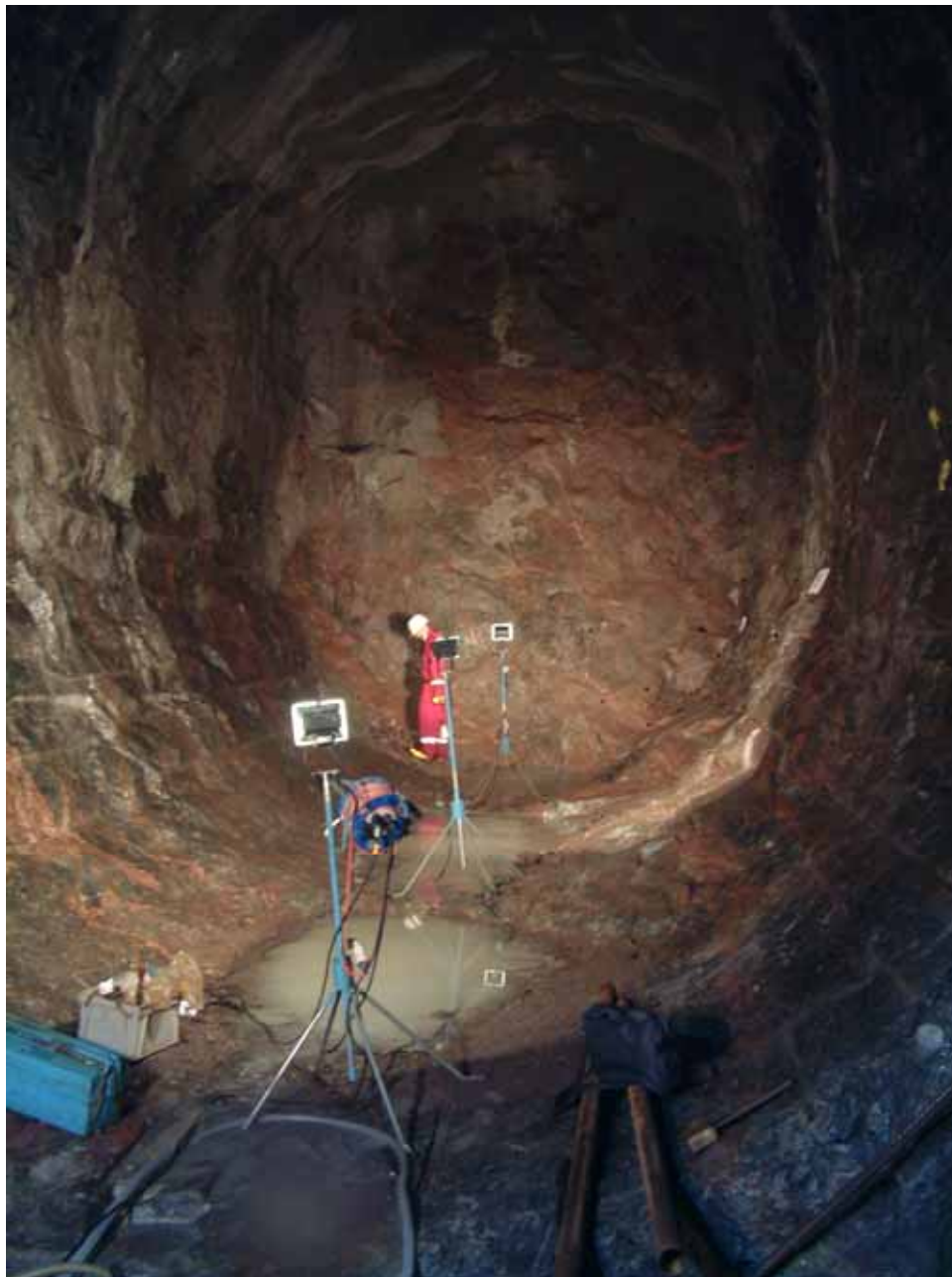
Fracture(d) zone	Depth (m)	$Q_{most\ frequent}$	Q_{mean}	$Q_{typ.\ min.}$	$Q_{typ.\ max.}$
FZ 1	138.5 -154.5	5.3	2.2	0.3	7.0
FZ 4	420 – 437	3.8	1.4	0.02	24.8
FZ 5	541 – 570	2.3	1.3	0.02	20.9
FZ 6	619 – 637	2.7	1.1	0.04	10.5

EXAMPLE OF PARAMETER ESTIMATION AT SKB's 'APSE' tunnel





One box is 45.0-64.6 (- sample) sticks mass. 45.2 $\rightarrow$ 59.4 (70.0-75.5
(only 4 m in box) Note: cost has 14 or 15 sticks/bx. -2 m. of sample)
(75.5-80.2
-3 m. of sample)



APPLICATION OF '500m' $Q_c - V_p$ equation (C. Andersson, SKB)

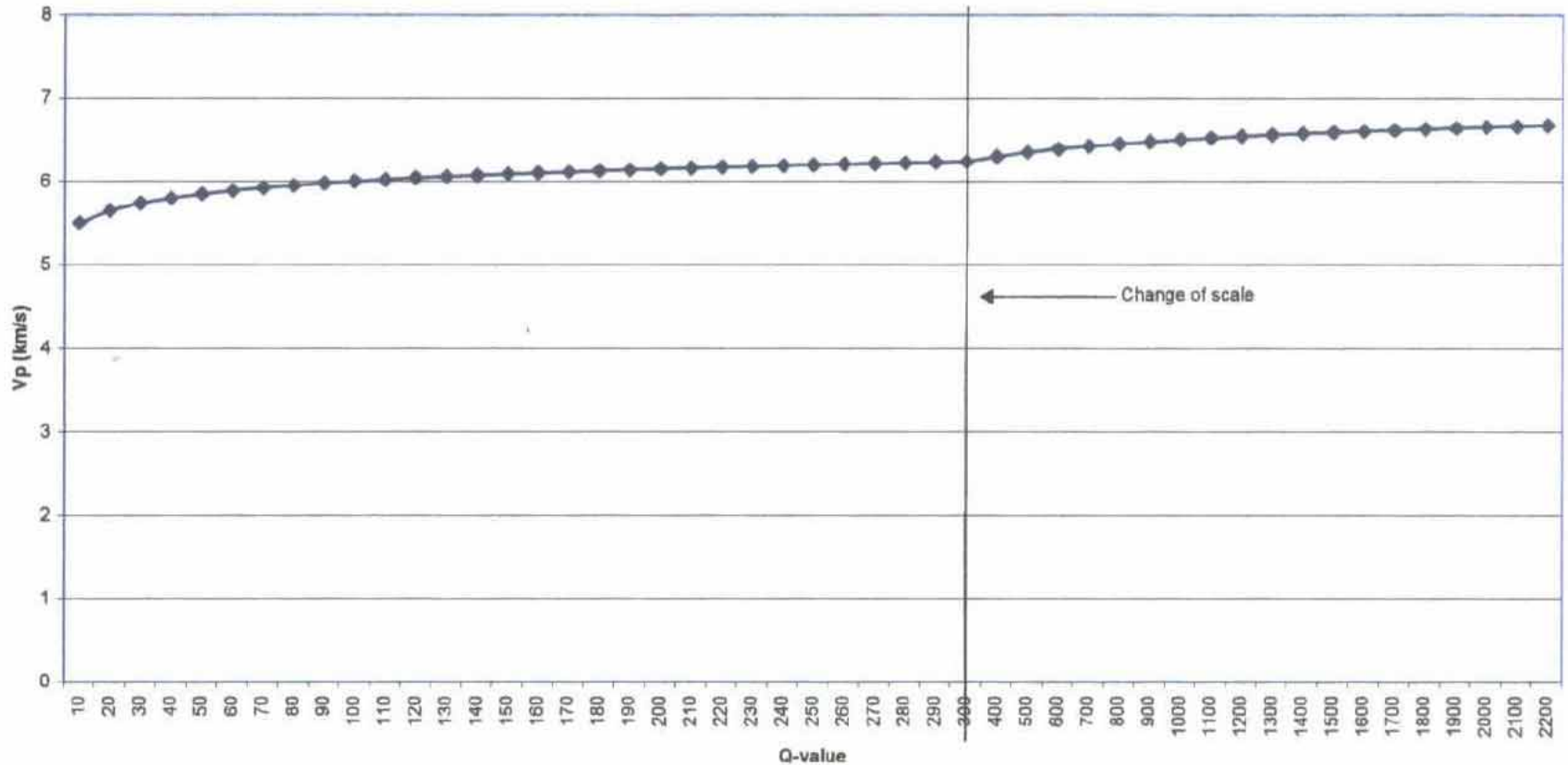
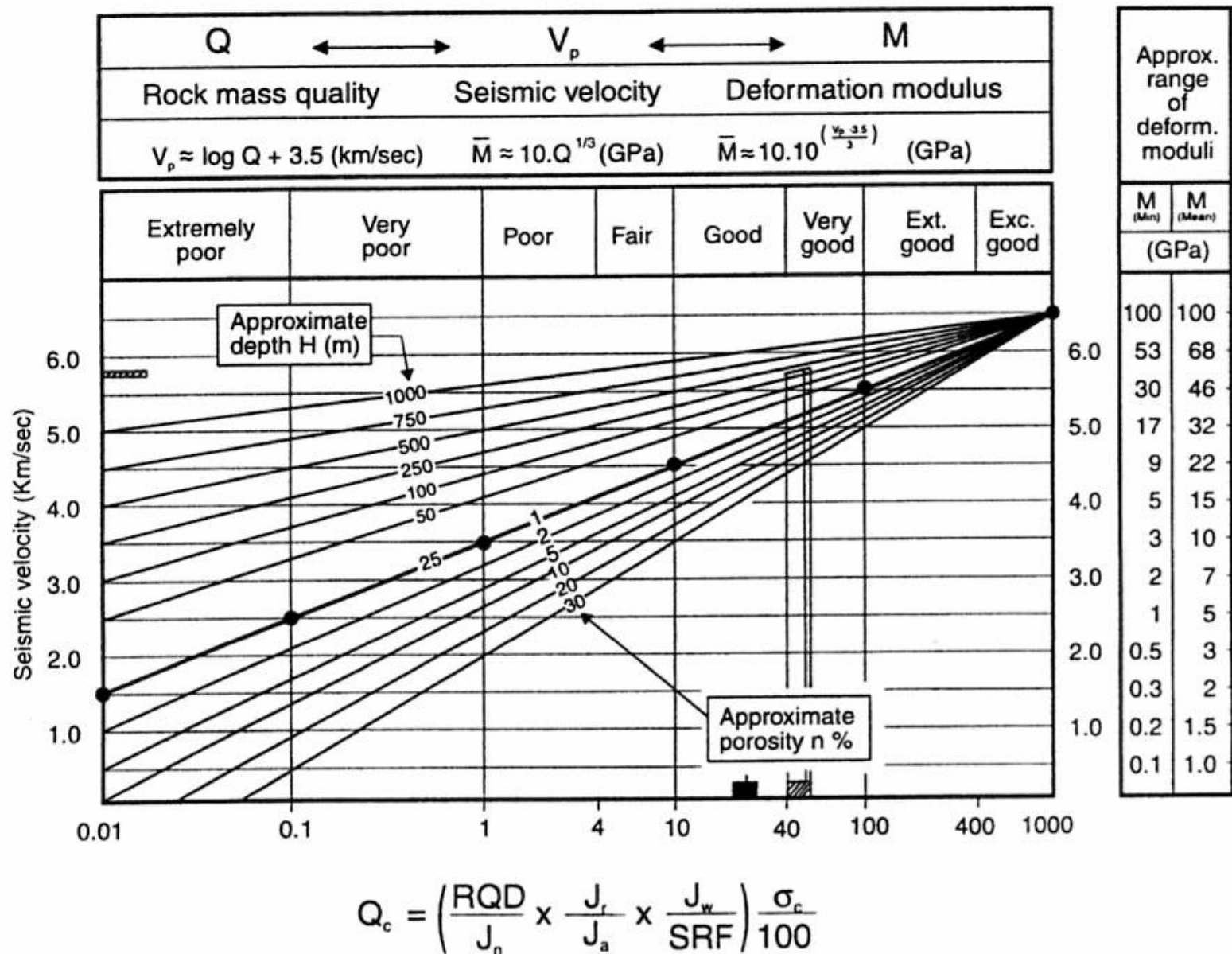


Figure 8. Plot of V_p versus Q -value using equation $V_p=5+0.5\log Q_c$



APPLICATION OF '500m' $Q_c - E_{\text{mass}}$ equation (C. Andersson, SKB)

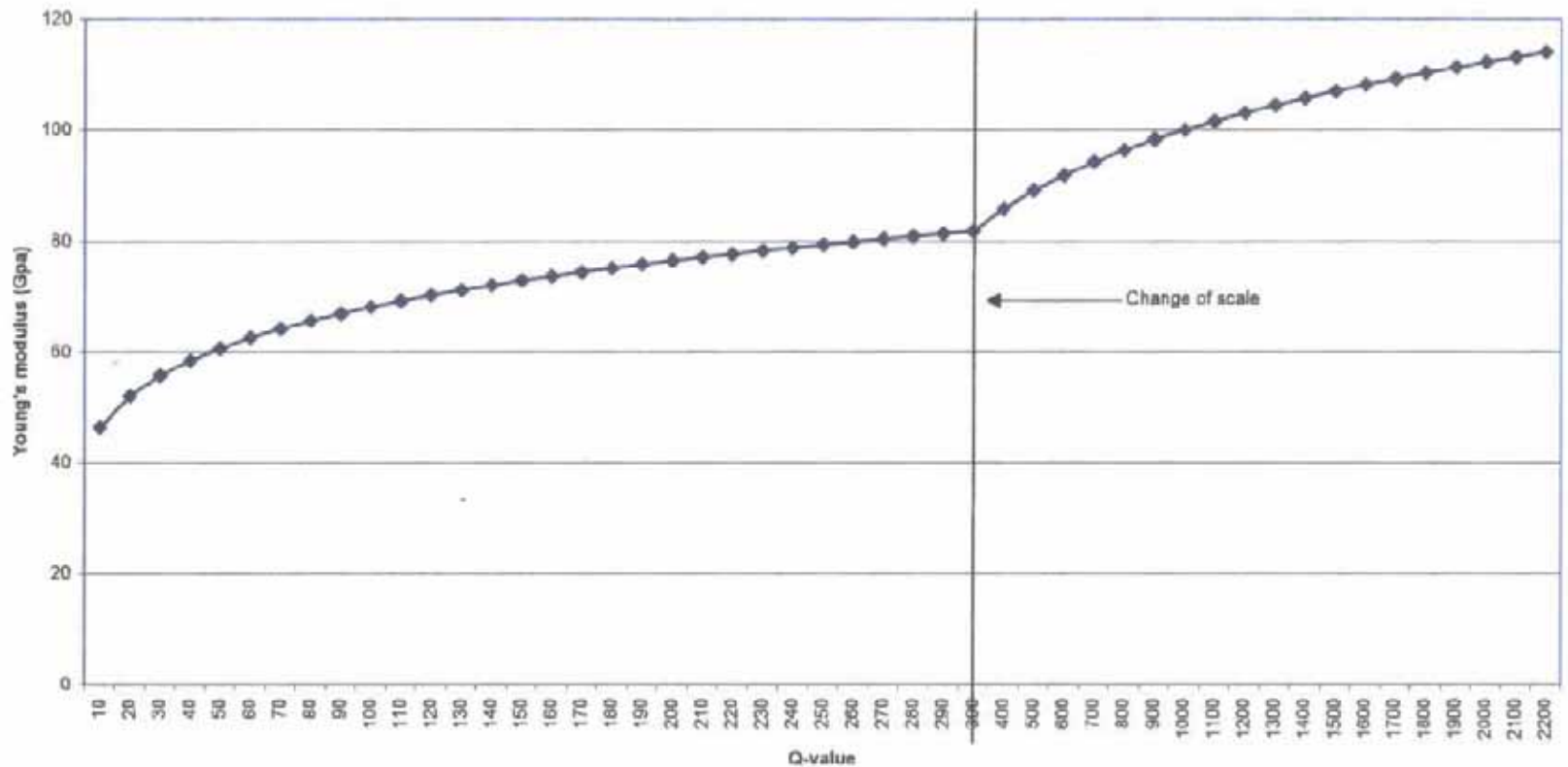


Figure 10. Plot of Young's modulus versus Q-value using equation: $E_{\text{mass}} = 10^{(4.5 + 0.5 \log Q)^3}$

APPLICATION OF Q – deformation equation (C. Andersson, SKB)

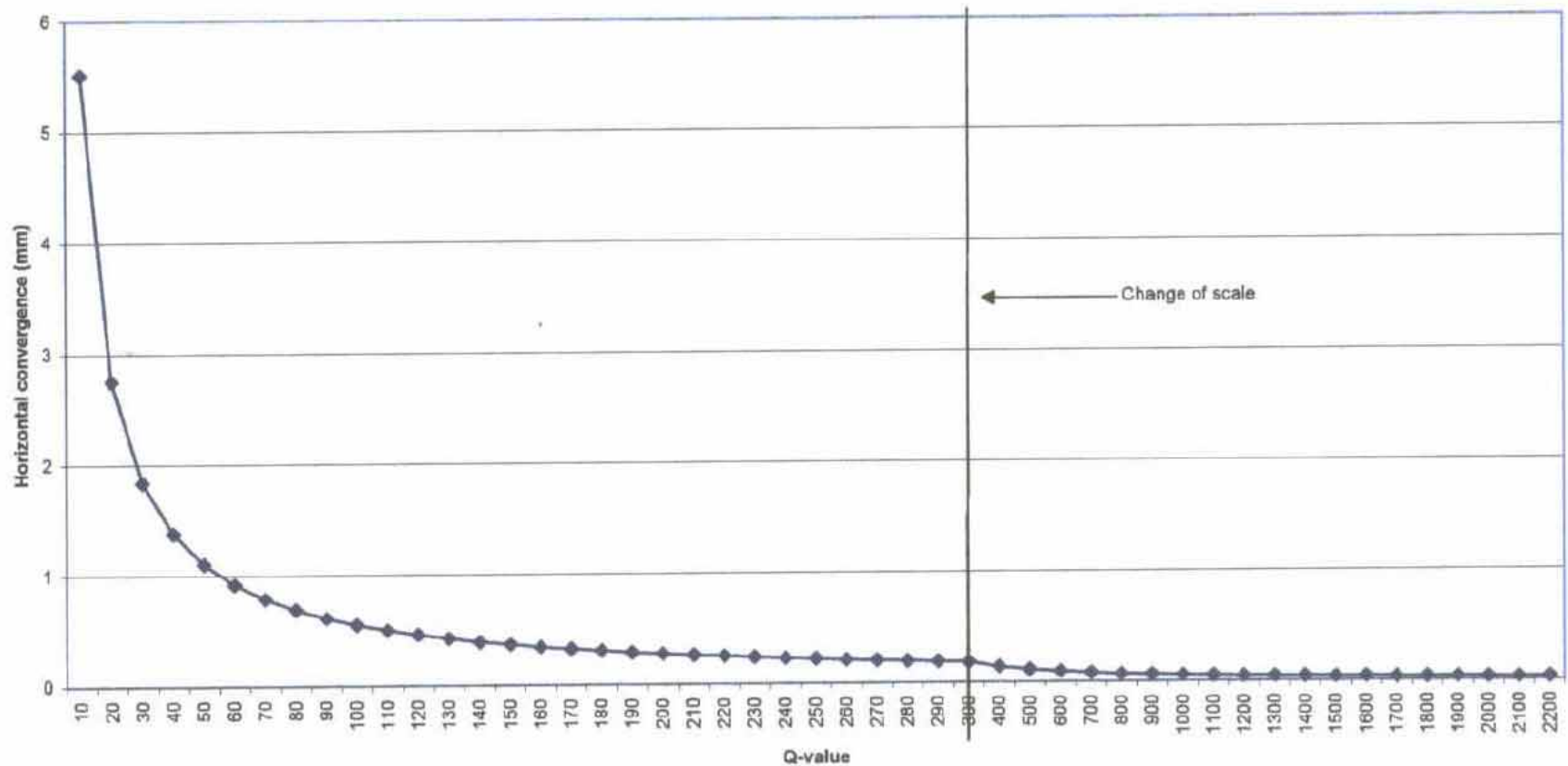
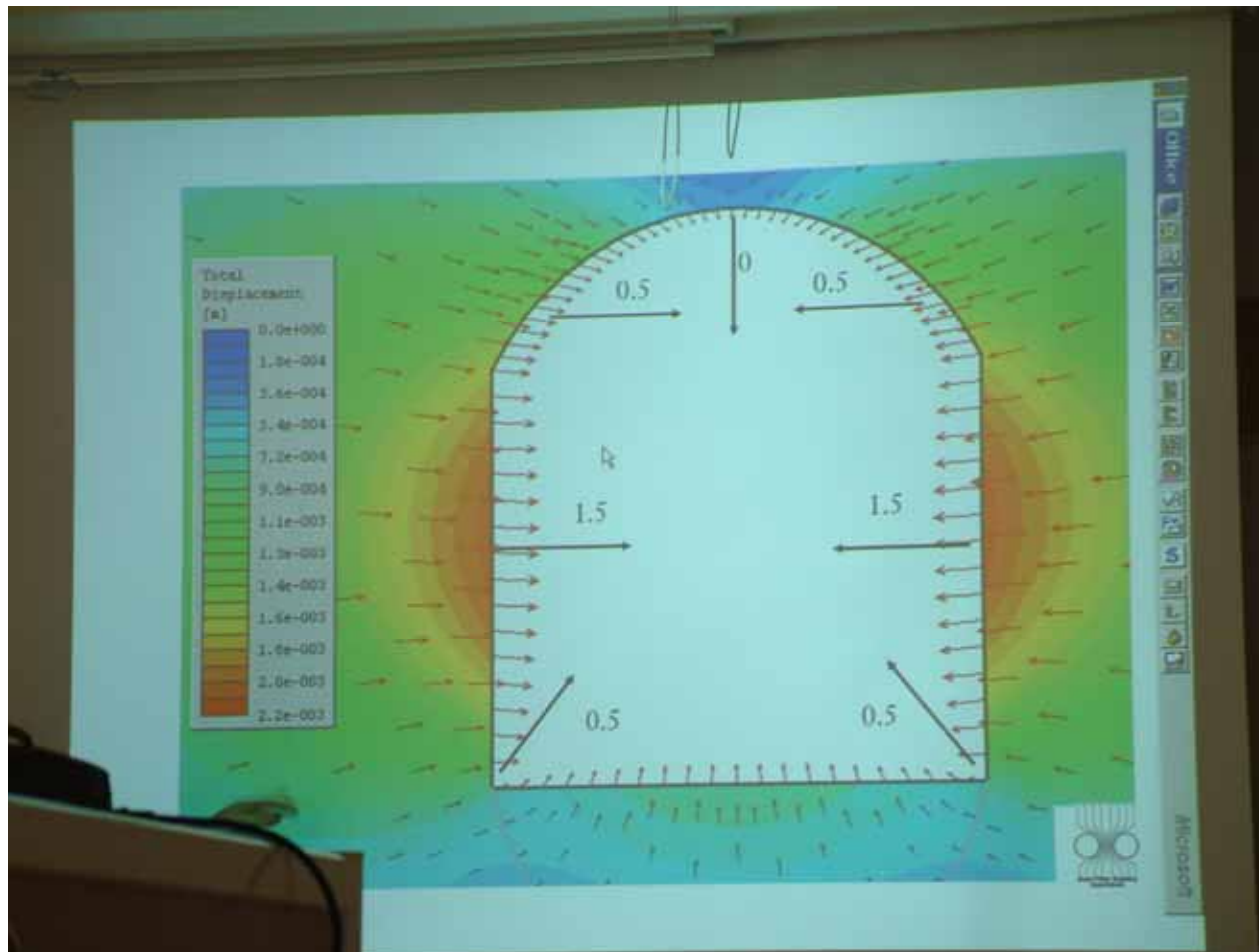


Figure 9. Plot of horizontal deformations versus Q-value using equation: $\Delta h = 2 \times \text{HEIGHT} / 100Q(\sigma_H / \sigma_c)$. Used parameters: Height = 7500, $\sigma_H = 27$ MPa, $\sigma_c = 200$ MPa.



**CORE LOGGING
OF
FAULTS
AND
WEATHERED ROCK**



LOOK OUT FOR THE PLANAR, RUST STAINED OR
CLAY-BEARING JOINTS WHEN LOGGING





THE PRICE PAYED FOR TUNNELLING TOO HIGH IN THE WEATHERING PROFILE



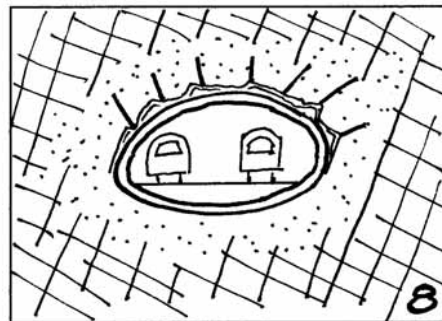
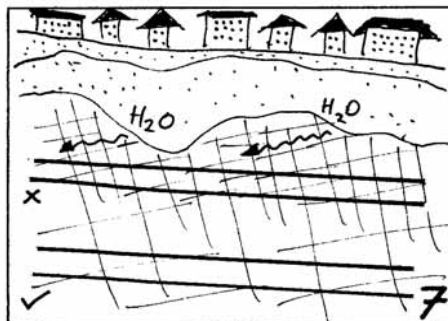
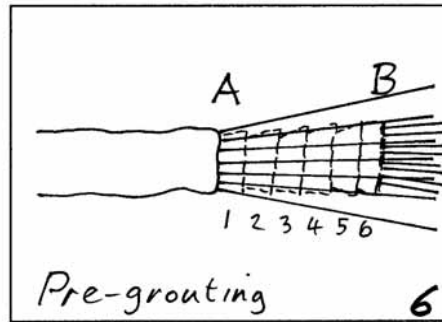
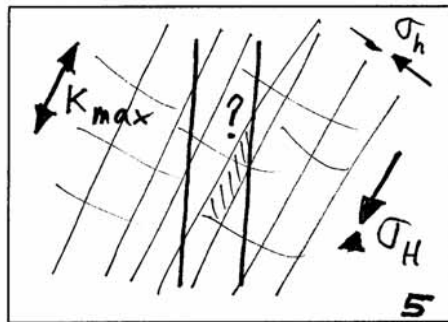
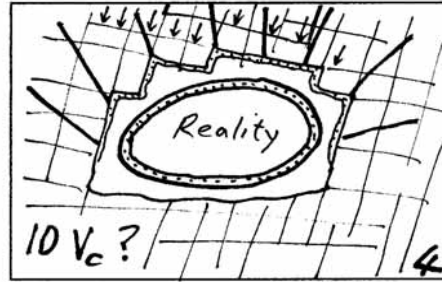
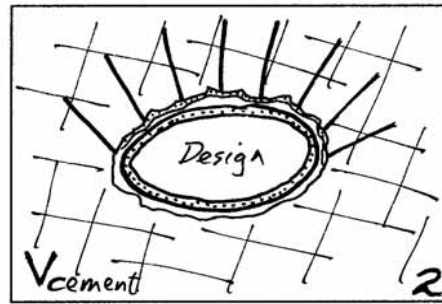
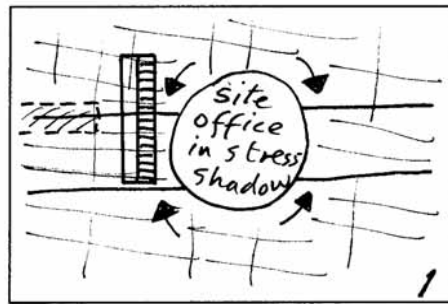


SAME PROJECT



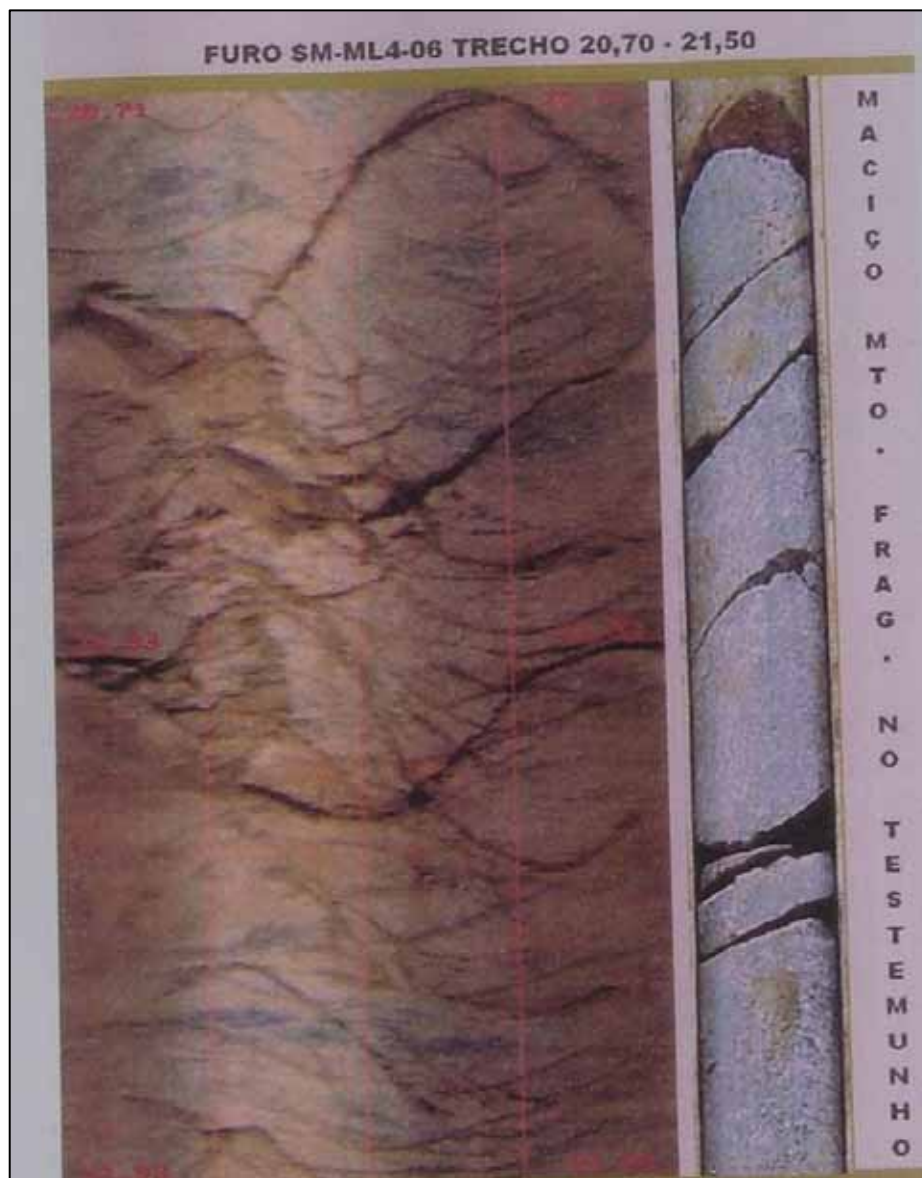
TOO MUCH OVER-BREAK – REQUIRES PRE-GROUTING

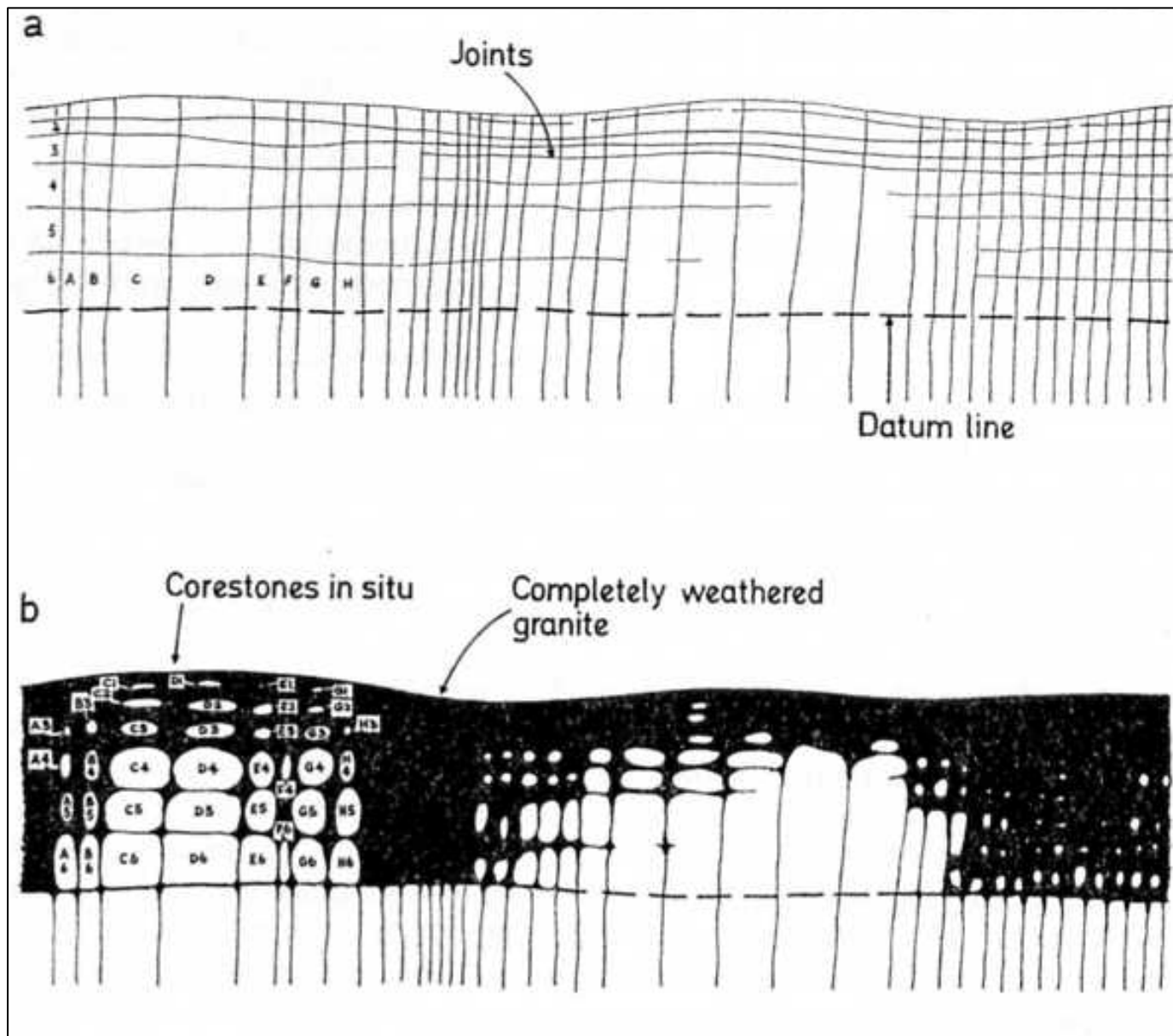








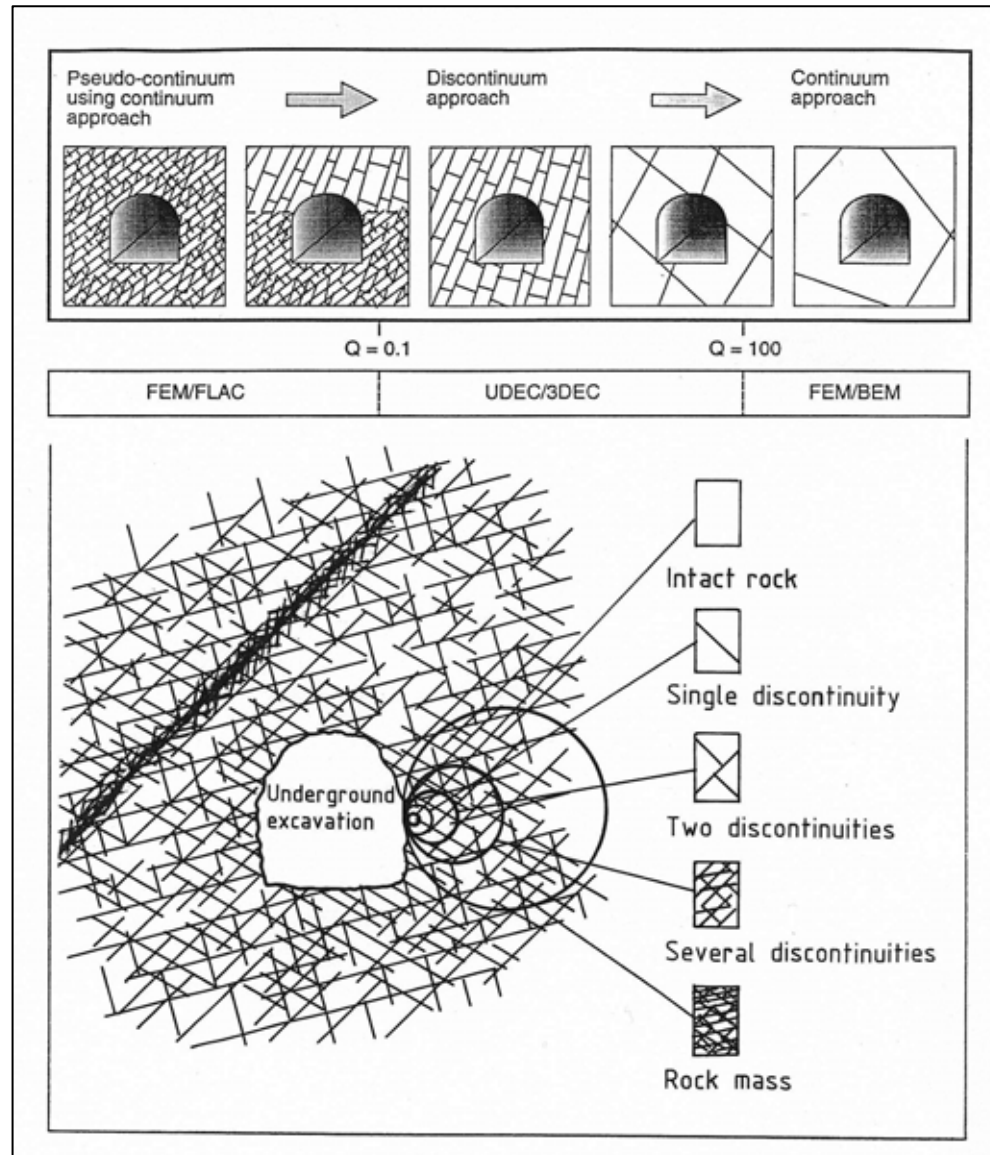


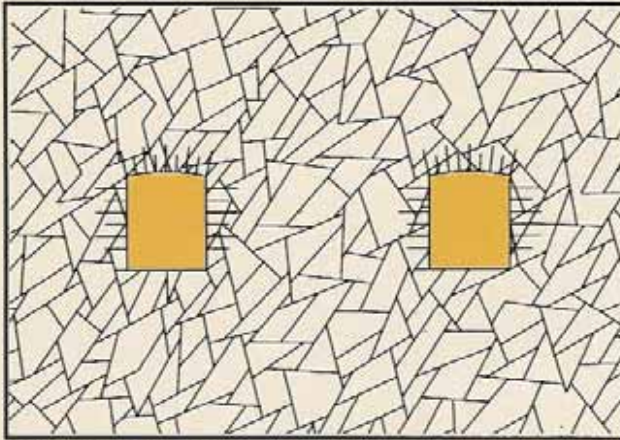


DEFORMATION MODULI FOR NUMERICAL MODELS

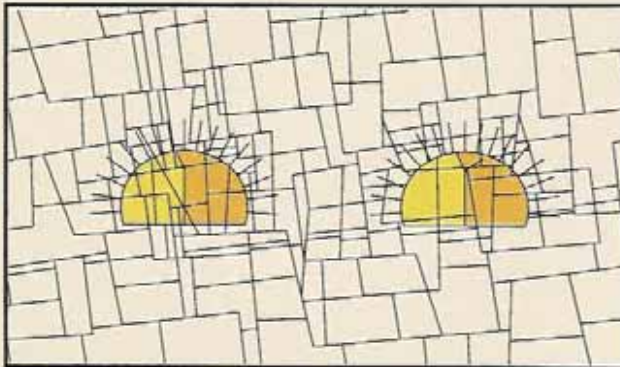
e.g.

UDEC-BB, FLAC, PHASES

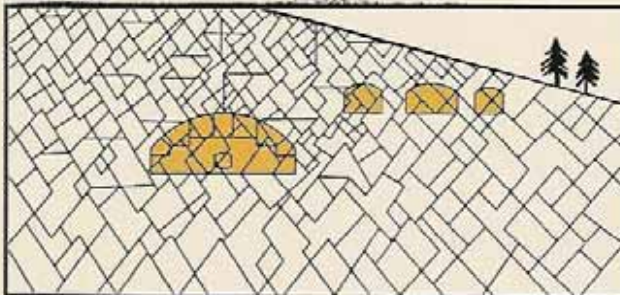




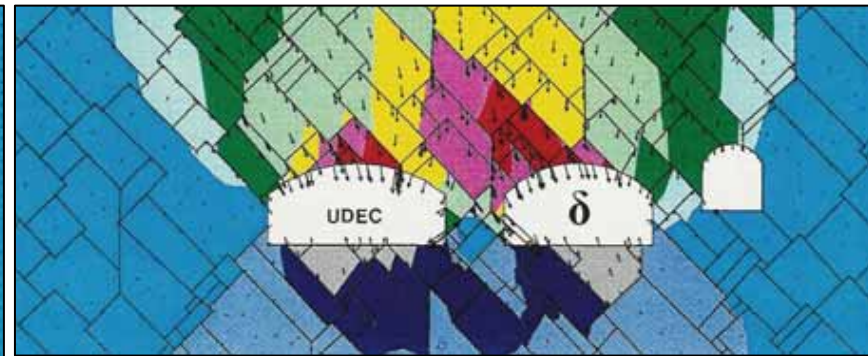
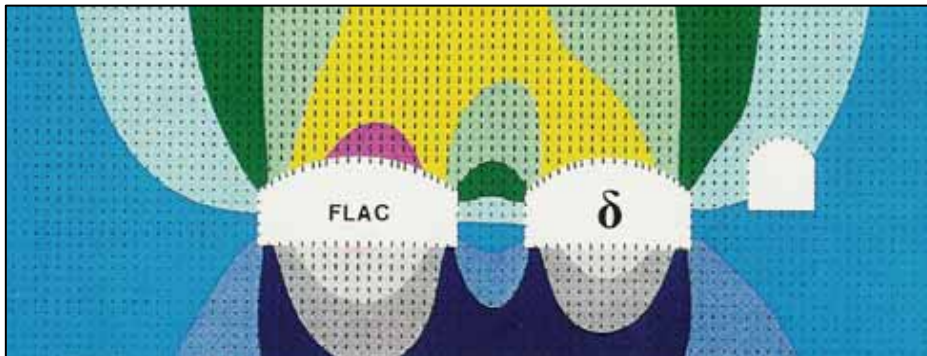
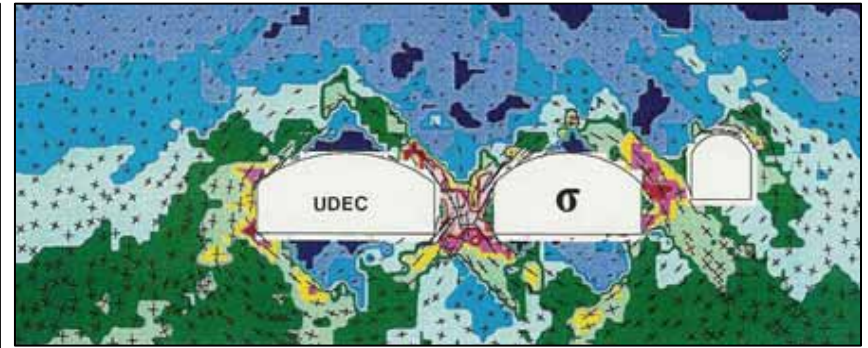
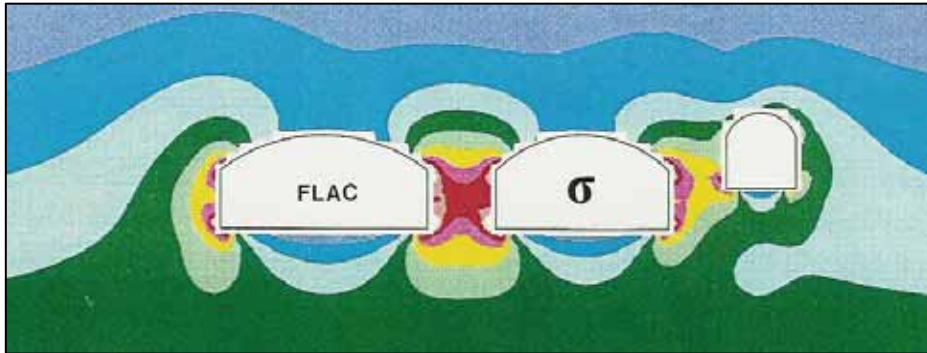
Radioactive waste caverns, UK Nirex Ltd.
England (For Owners)

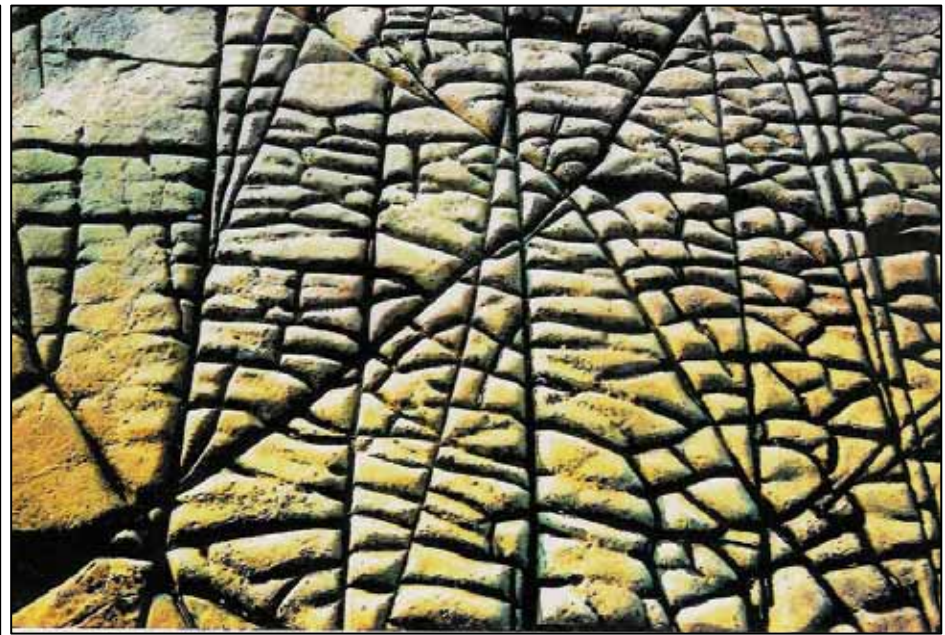


Motorway tunnels, 16m span
Hong Kong (For Contractors)

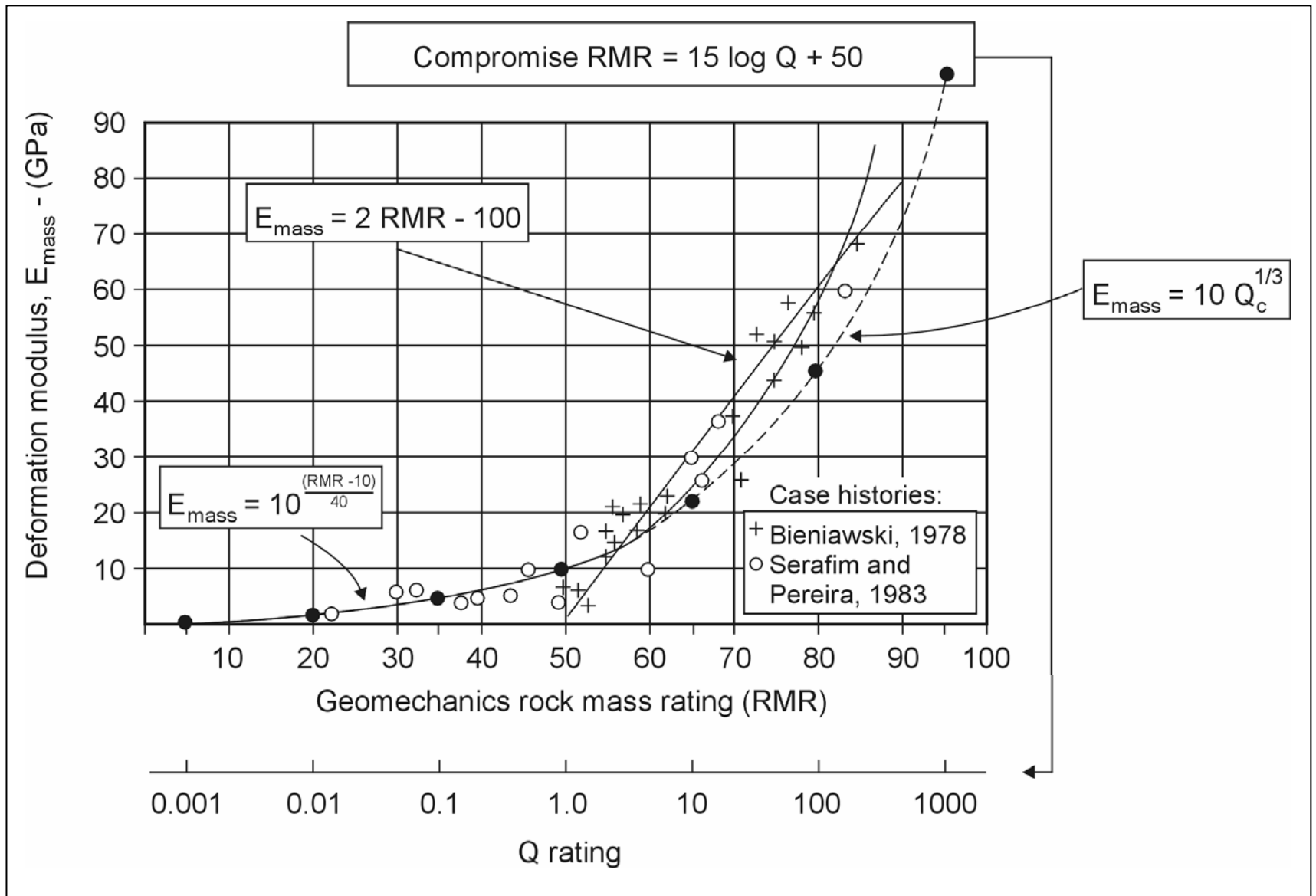


Gjøvik Olympic Mountain Hall, 62m span
Norway (For Consultants)



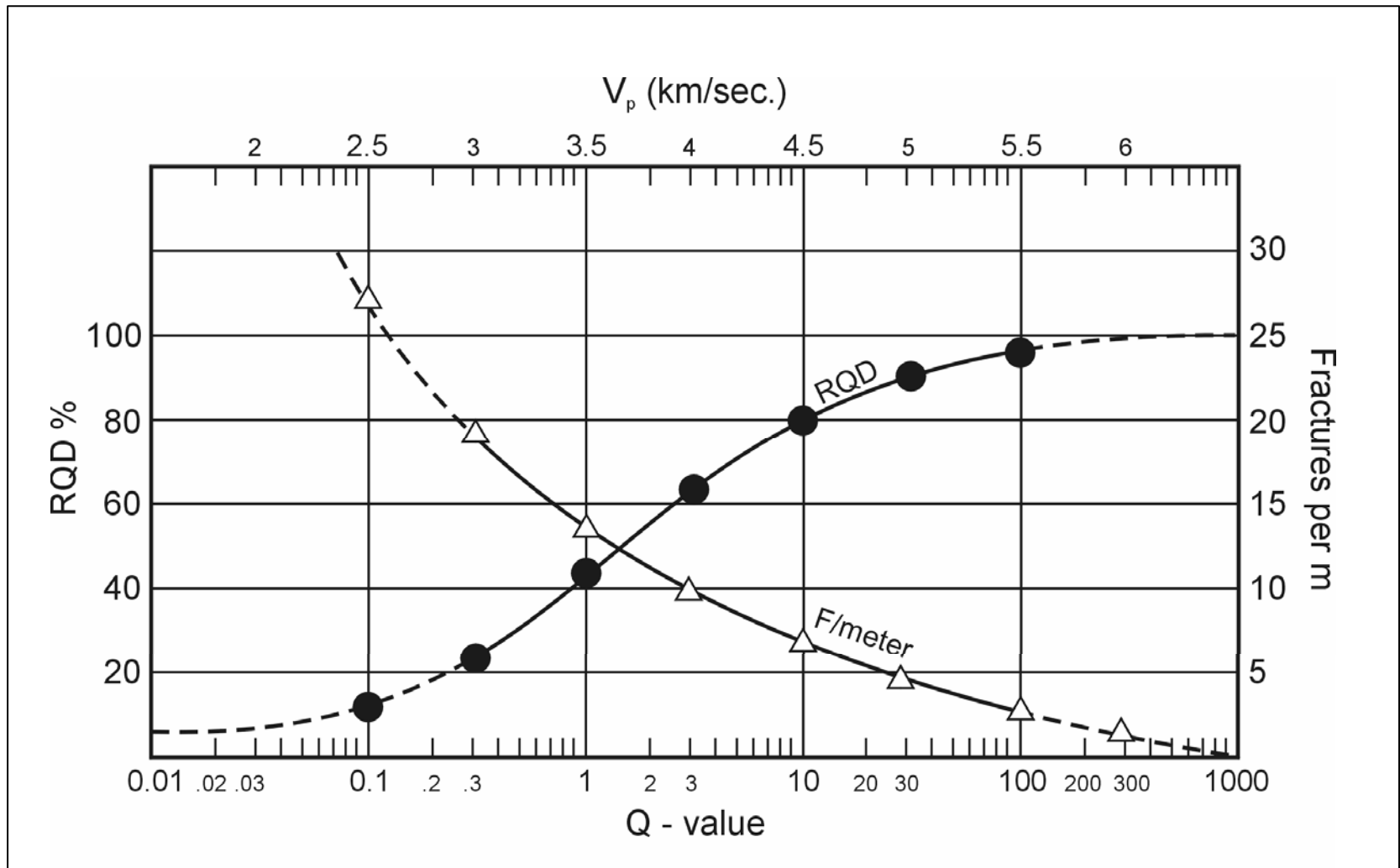


**DISCRETE ELEMENT MODELLING REQUIRES 'PRIORITIZING' OF MAJOR JOINTS.
BUT MODULUS EFFECT OF UNMODELLED JOINTS NEEDS ALSO TO BE CAPTURED.**

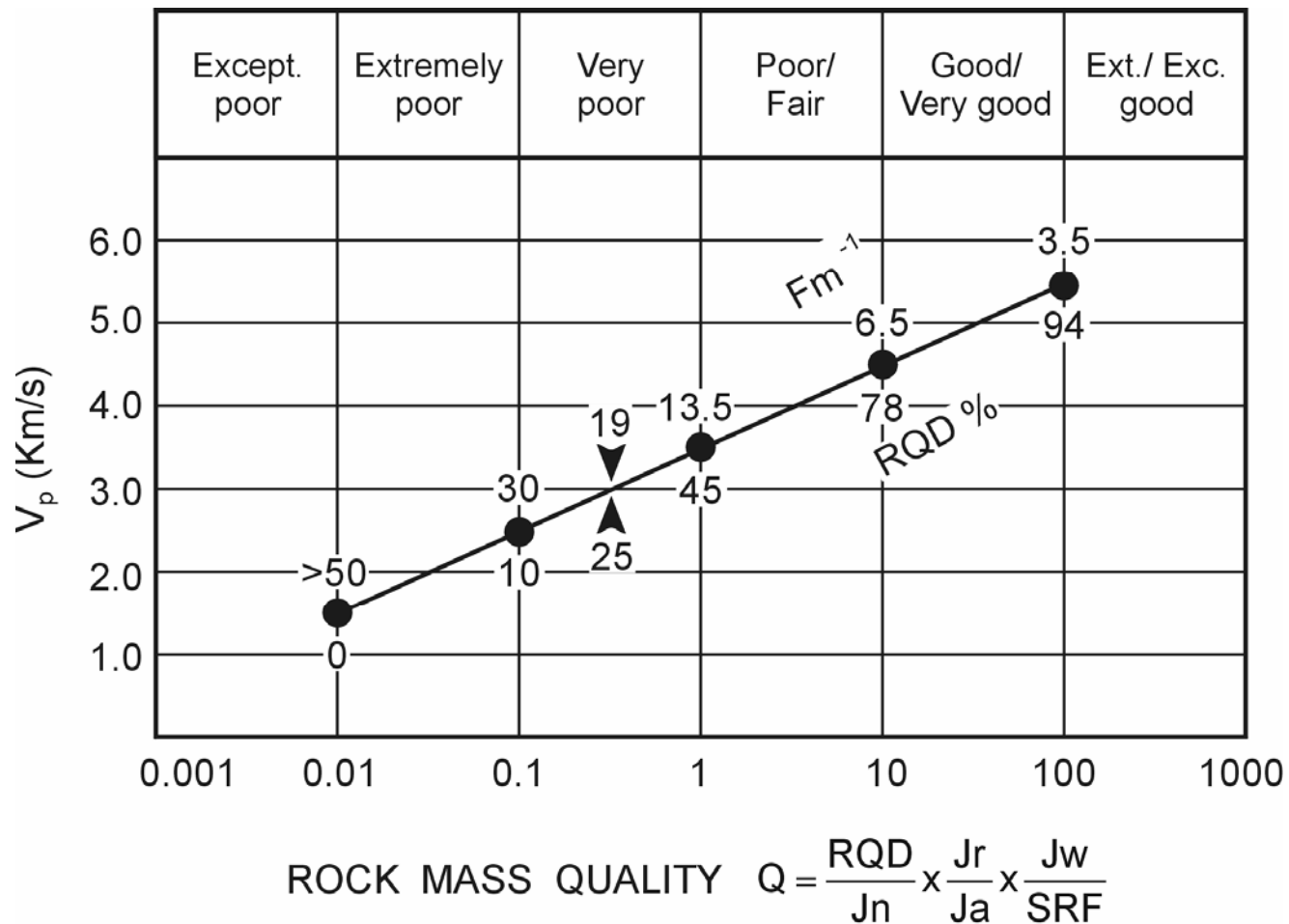


- In the case of correlating Q-values to **engineering/ geophysical parameters like E_{mass} (deformation modulus) or to V_p (P-wave seismic velocity)** the term **$Q_c = Q \times \sigma_c / 100$** is used.
- The **six-order of magnitude Q range of 0.001 to 1000 (approx.)** and the larger range of **Q_c** correlate fairly simply, to the huge, real world, range of rock mass properties.

PREDICTING V_p AND E_{MASS} FROM Q , or Q_c VALUE

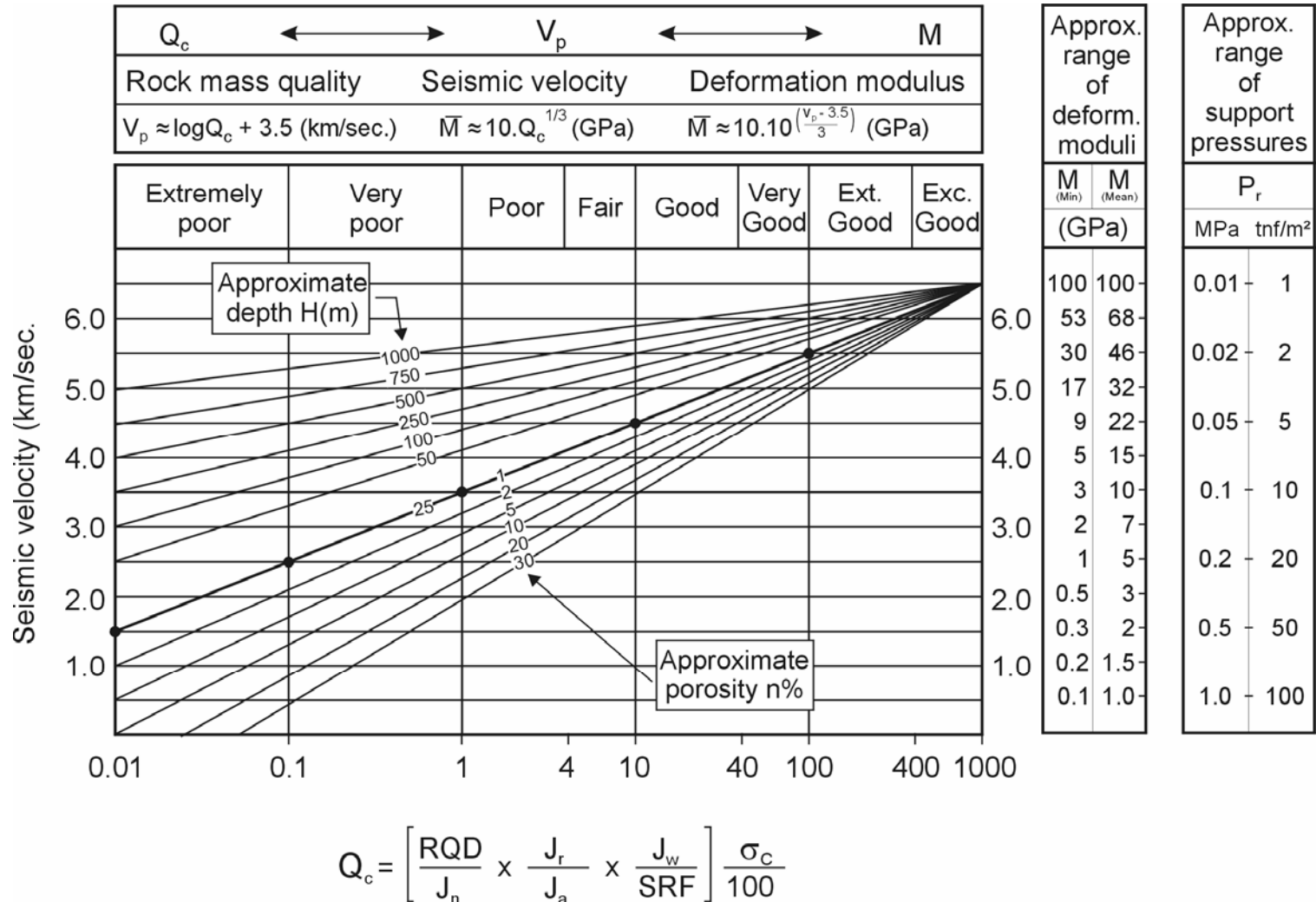


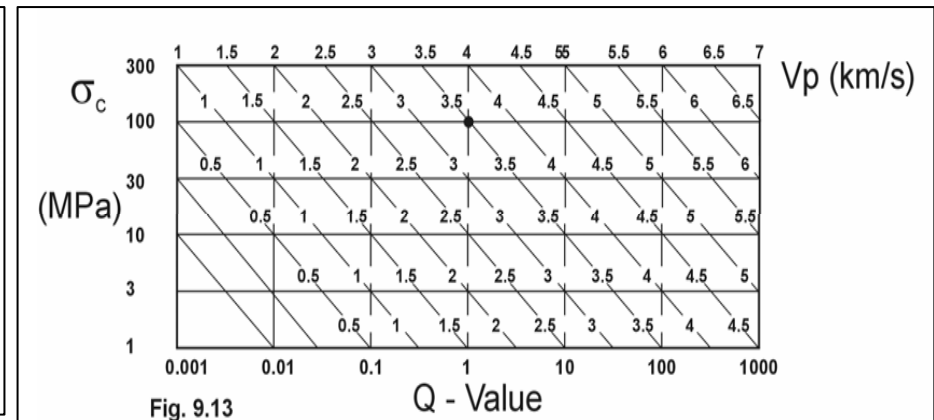
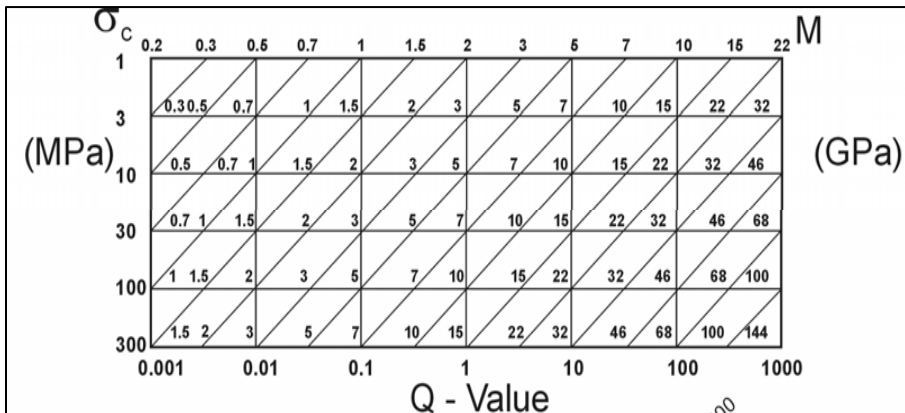
(After Sjøgren et al. 1979, with Barton, 1995 addition of Q)



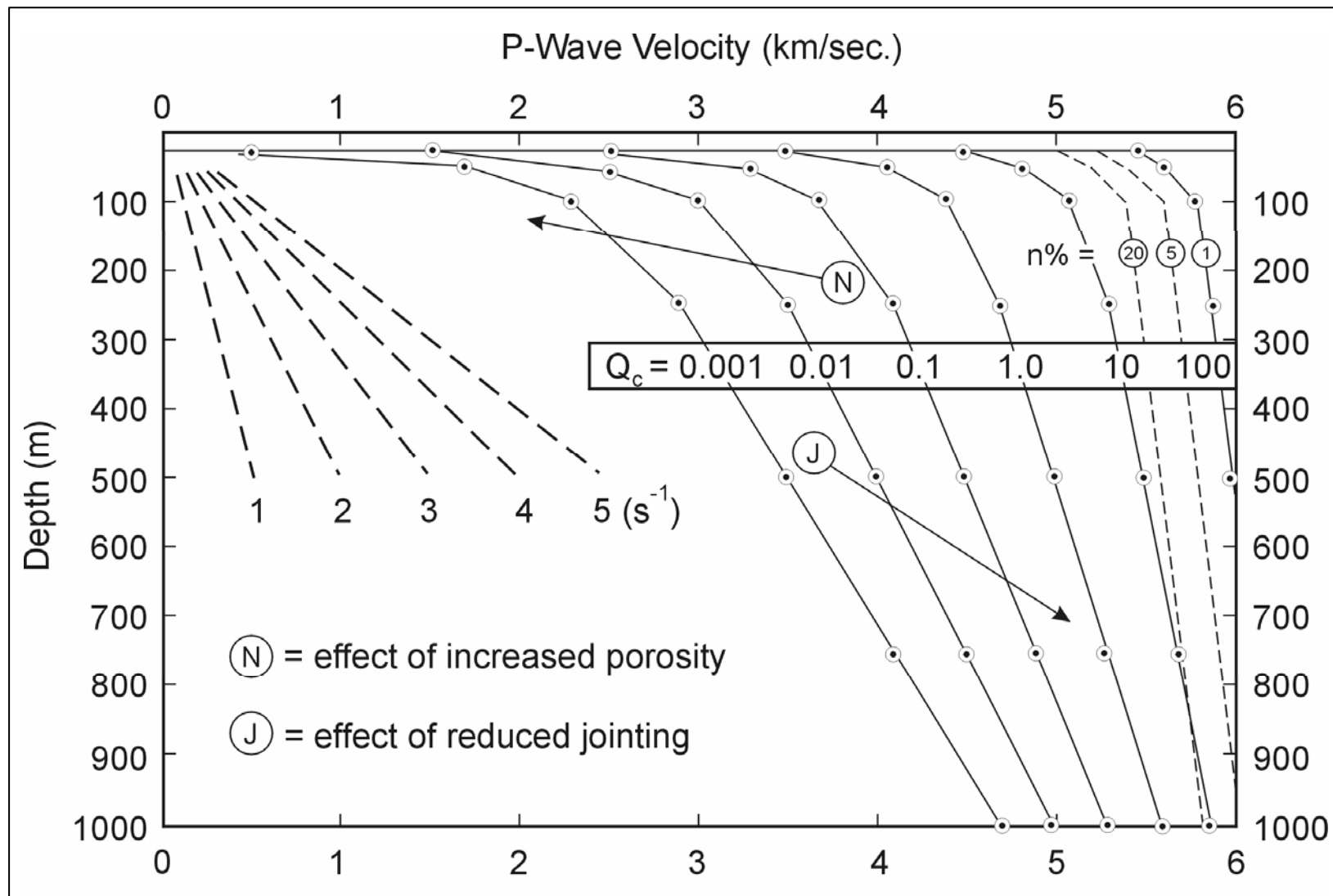
(As with all Sjøgren data: hard rock, near-surface)

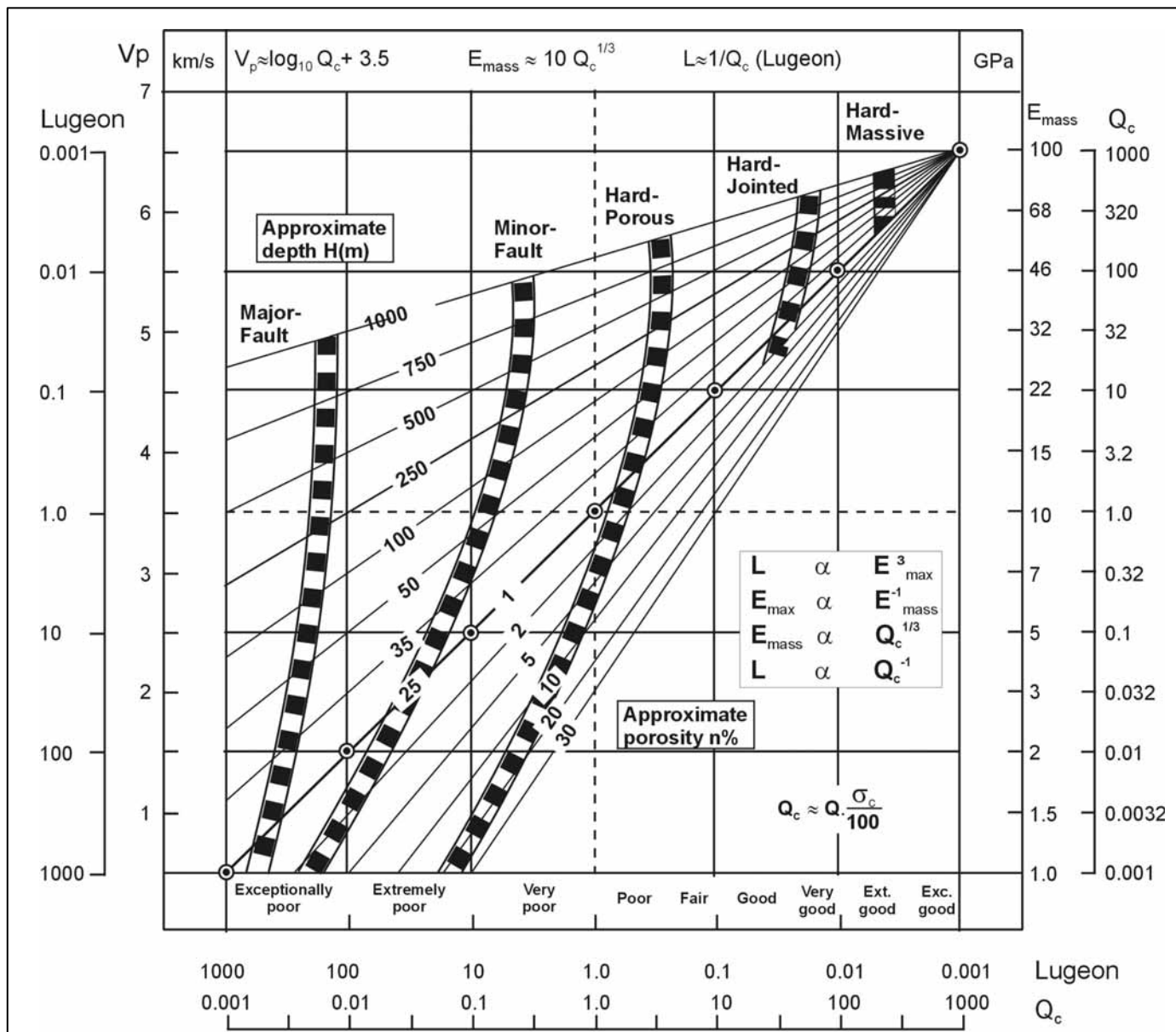
AN INTEGRATED MODEL: $Q_c - V_p - E_{\text{mass}} - P_r$





WITH NO CORRECTION FOR DEPTH (OR STRESS) – as central diagonal in previous figure – nominal depth 25m





CC and FC

A recent discovery (Barton, 2002) is that the Q-value consists of the product of the cohesive strength (the component of the rock mass requiring shotcrete or mesh or concrete support), and the frictional strength (the component of the rock mass requiring bolting).

$$CC = \frac{RQD}{J_n} \times \frac{1}{SRF} \times \frac{\sigma_c}{100}$$

$$FC = \tan^{-1} \left(\frac{J_r}{J_a} \times J_w \right)$$

Unpredicted degrees of weathering have a directly negative effect on both these strength (or weakness) components and therefore also on the support requirements.

Table of Q-parameters with declining quality (resembling weathering) (Barton, 2002).

RQD	J _n	J _r	J _a	J _w	SRF	Q	σ _c	Q _c	FC°	CC MPa	V _p km/s	E _{mass} GPa
100	2	2	1	1	1	100	100	100	63°	50	5.5	46
90	9	1	1	1	1	10	100	10	45°	10	4.5	22
60	12	1.5	2	0.66	1	2.5	50	1.2	26°	2.5	3.6	10.7
30	15	1	4	0.66	2.5	0.13	33	0.04	9°	0.26	2.1	3.5
10	20	1	6	0.5	5	0.008	10	0.0008	5°	0.01	0.4	0.9

*Rock masses with low **CC**-values require more **shotcrete**,*

*Rock masses with low **FC**-values require more **rock bolts***



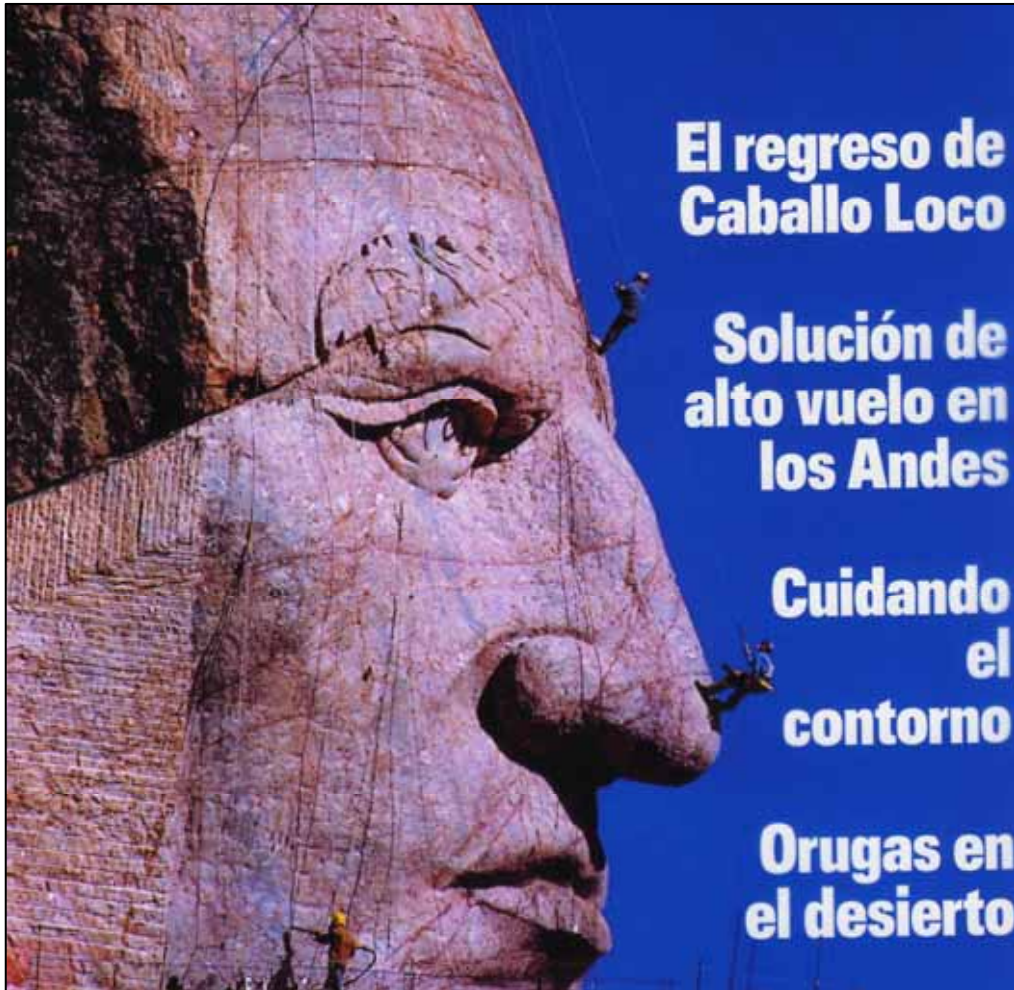


LOW CC

MEDIUM FC



LOW CC IN ARCH, AND INSUFFICIENT SHOTCRETE THICKNESS CAUSED (REGRETTABLY) THE INSTANT DEATH OF A TUNNEL WORKER



MINING AND CONSTRUCTION MAGAZINE

HIGH CC HIGH FC

$$Q = \frac{100}{0.5} \times \frac{4}{0.75} \times \frac{1.0}{5} = 213$$

SRF = 5 (near-surface)



COMPARISON OF SOME GSI and Q EQUATIONS

$$E_m \text{ (GPa)} = \left(1 - \frac{D}{2}\right) \sqrt{\frac{\sigma_{ci}}{100}} \times 10^{(GSI-10)/40}$$

$$\sigma'_{cm} = \sigma_{ci} \times \frac{(m_b + 4s - a(m_b - 8s))(m_b/4 + s)^{a-1}}{2(1+a)(2+a)}$$

$$\phi' = a \sin \left[\frac{6am_b (s + m_b \sigma'_{3n})^{a-1}}{2(1+a)(2+a) + 6am_b (s + m_b \sigma'_{3n})^{a-1}} \right]$$

$$c' = \frac{\sigma_{ci} [(1+2a)s + (1-a)m_b \sigma'_{3n}] (s + m_b \sigma'_{3n})^{a-1}}{(1+u)(2+a) \sqrt{1 + \left(\frac{6am_b (s + m_b \sigma'_{3n})^{a-1}}{2(1+a)(2+a)} \right) / ((1+a)(2+a))}}$$

$$\text{where } \sigma_{3n} = \sigma'_{3 \max} / \sigma_{ci}$$

(+GSI + a + s + m_b relations)

$$E_m \approx 10 \times Q_c^{1/3}$$

$$\sigma_{cm} \approx 5\gamma Q_c^{1/3}$$

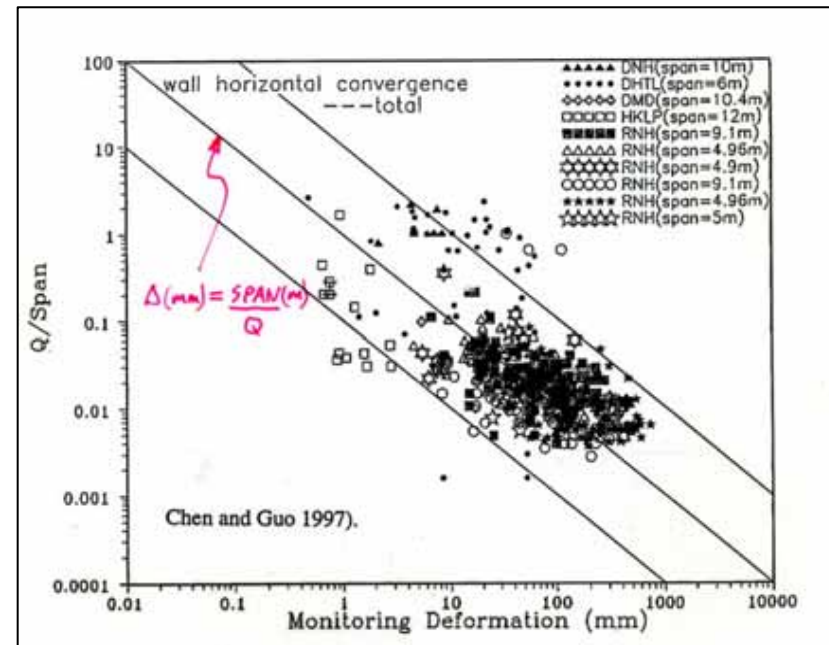
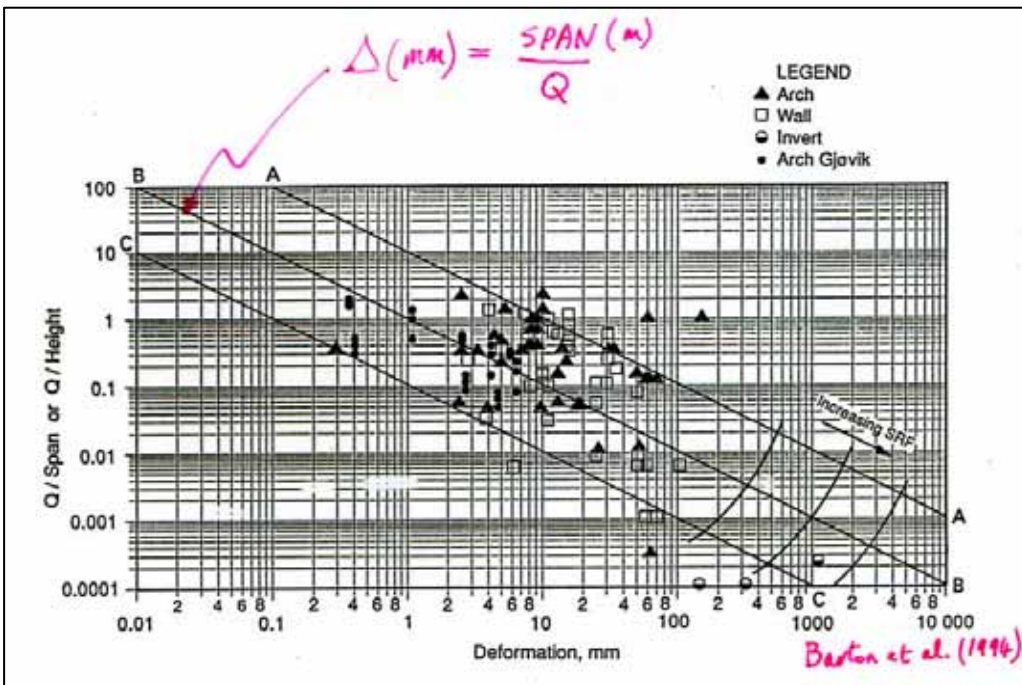
$$\phi' \approx \tan^{-1} \left(\frac{J_r}{J_a} \times \frac{J_w}{1} \right)$$

$$c' \approx \left(\frac{RQD}{J_n} \times \frac{1}{SRF} \times \frac{\sigma_c}{100} \right)$$

(no "stress" term yet)

$$(\sigma_c = \sigma_{ci})$$

DEFORMATION AND CLOSURE PREDICTION WITH Q



Chen and Guo collected hundreds of fresh data from difficult tunnelling projects in Taiwan, using the same plotting format of log Q/SPAN and log convergence.

MORE ACCURACY – BY CONSIDERING ‘COMPETENCE FACTOR’

STRESS/STRENGTH DIRECTLY, NOT JUST AS IN SRF

$$\Delta_v = \frac{SPAN}{100Q} \sqrt{\frac{\sigma_v}{\sigma_c}}$$

$$\Delta_h = \frac{HEIGHT}{100Q} \sqrt{\frac{\sigma_h}{\sigma_c}}$$

$$k_o = \left(\frac{SPAN}{HEIGHT} \right)^2 \left(\frac{\Delta_h}{\Delta_v} \right)^2$$

(Units are as follows : SPAN, HEIGHT, Δ_v and Δ_h are each in millimetres, while rock stresses and rock strengths need consistent units such as MPa).

Example: Nathpa Jhakri

$$\Delta_v \approx \frac{20,000}{10 \cdot 3} \sqrt{\frac{6}{35}} \approx 28\text{mm}$$

$$\Delta_h \approx \frac{50,000}{10 \cdot 3} \sqrt{\frac{4}{35}} \approx 56\text{mm}$$

With these Natpa Jhakri power house predictions we therefore have:

$$K_o \approx \left(\frac{56}{28}\right)^2 \left(\frac{20}{50}\right)^2 \approx 0.64$$

Measured values of the principal stresses were $\sigma_h \approx 4$ MPa, $\sigma_v \approx 6$ MPa, i.e. almost the correct result is shown.

For example the Gjøvik cavern with span of about 60 m (60,000 mm) showed a total “radial” arch deformation of about 6 to 8 mm, and had a mean Q-value of about 10. the average depth was 40 m (say $\sigma_v = 1$ MPa) and the average uniaxial strength $\sigma_c \approx 75$ MPa (tectonised gneiss) substituting in equation 4 we get:

$$7mm \approx \frac{60,000}{100 \cdot 10} \sqrt{\frac{1}{75}}$$

The right hand side of this approximation is calculated to be 6.9 mm. Normally the agreement would not of course be as close as this. The influence of horizontal stress on Δ_v is also unknown in this case.

EXAMPLE OF DEFORMATION ESTIMATION IN FAULTED ROCK

- Pinglin Tunnel: heavily jointed, slickensided and sometimes clay-bearing quartzites, acted on by exceptionally high joint-water pressures. An initial Q-value, prior to eventual drainage is about :

$$Q = \frac{15}{9} \times \frac{0.5}{4} \times \frac{0.05}{1} = 0.01$$

- The above equation implies a potential deformation of about 1 meter.
- The reality is actually repeatedly stuck TBM, and sometimes badly deformed steel sets, or occasional piping failures at the face as the water tries to drain through probe holes.
- A key to 'improved' Q-value and reduced deformations, would be drainage if achievable, and effective high pressure pre-grouting. These two potential measures can be beneficial to one or to several of the six Q-parameters.